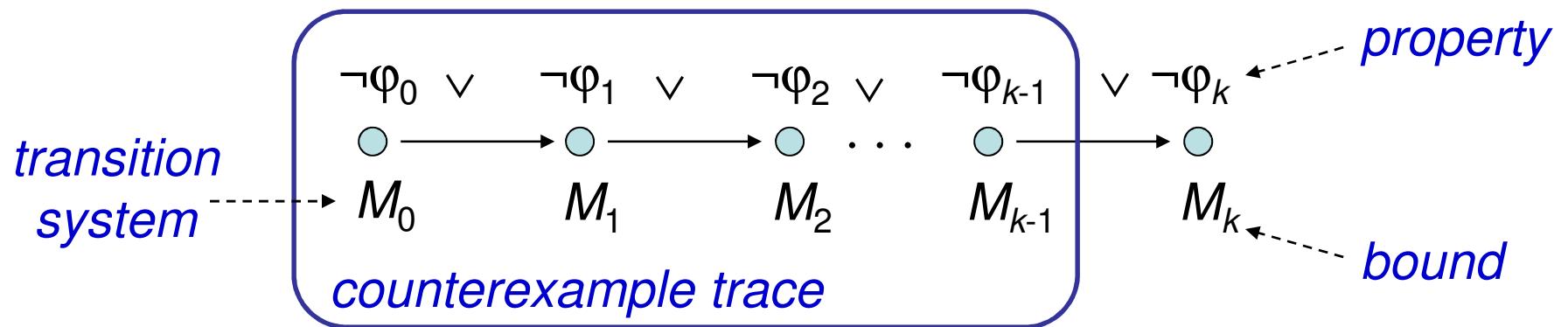


# SMT-Based Bounded Model Checking for Embedded ANSI-C Software

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# Bounded Model Checking (BMC)

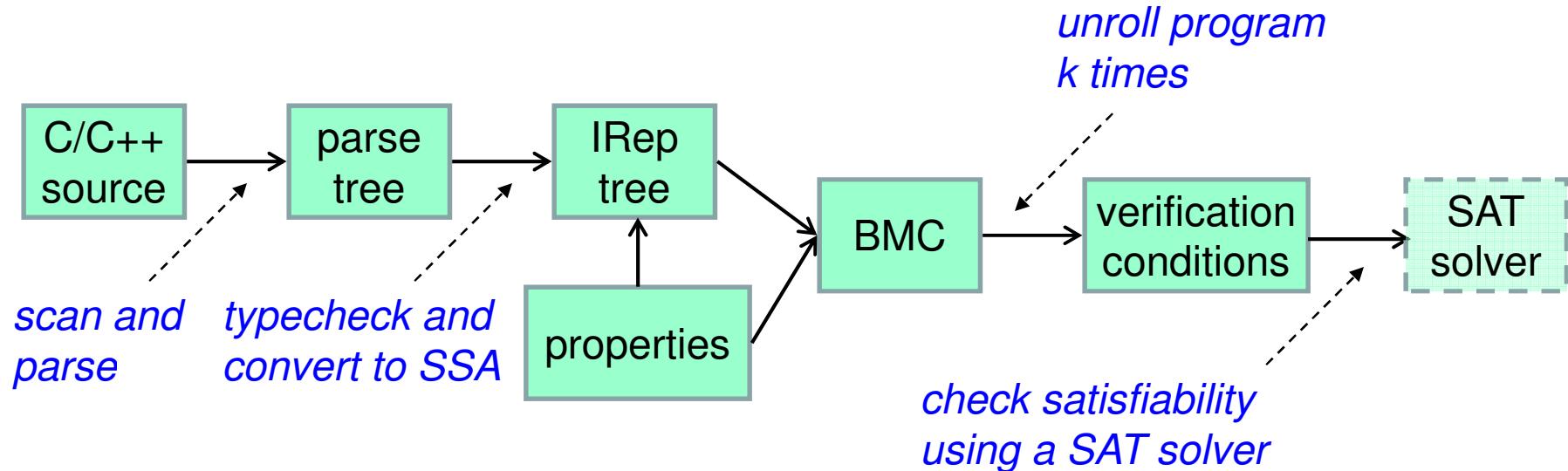
Basic Idea: check negation of given property up to given depth



- transition system  $M$  unrolled  $k$  times
  - for programs: unroll loops, unfold arrays, ...
- translated into verification condition  $\psi$  such that  
 **$\psi$  satisfiable iff  $\varphi$  has counterexample of max. depth  $k$**
- has been applied successfully to verify (embedded) software

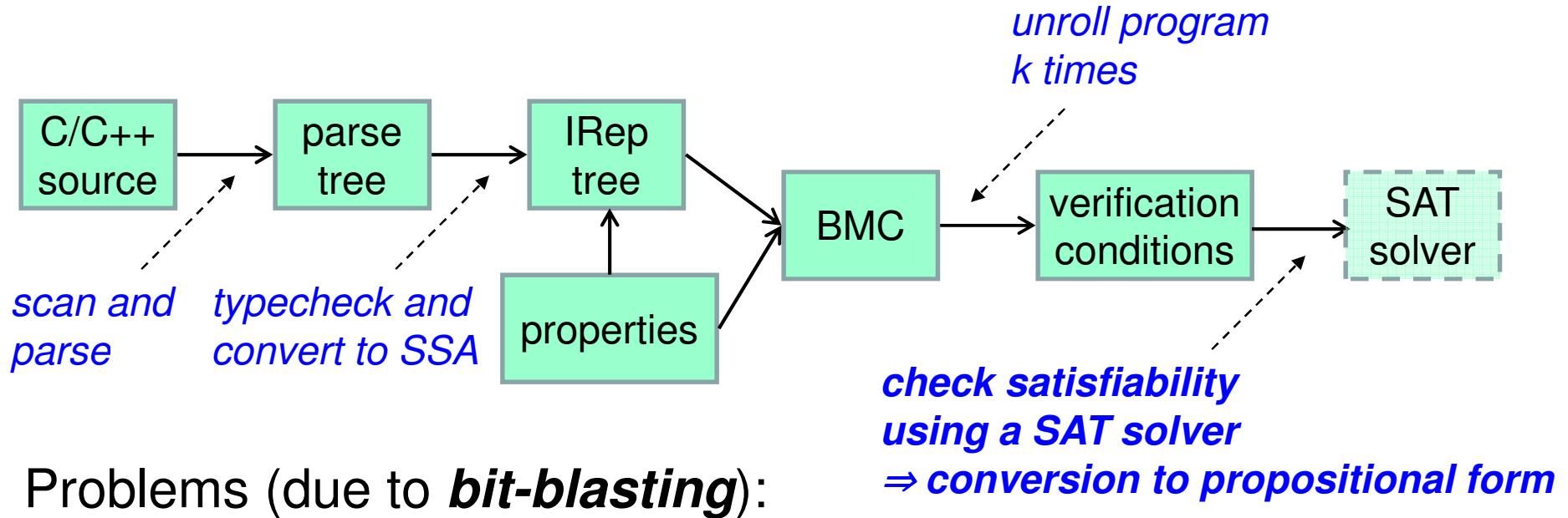
# SAT-based CBMC [D. Kroening]

implements BMC for ANSI-C/C++ programs using SAT-solvers:



# SAT-based CBMC [D. Kroening]

implements BMC for ANSI-C/C++ programs using SAT-solvers:



Problems (due to *bit-blasting*):

- **complex expressions** lead to large propositional formulae
  - **high-level information is lost**
- Encoding of  $x == a + b$*
- represent  $x, a, b$  by  $n$  independent propositional variables each
  - represent addition by logical circuit
  - represent equality by equivalences on propositional variables

# Objective of this work

## Exploit SMT to improve BMC of embedded software

- exploit background theories of SMT solvers
- provide suitable encodings for
  - pointers
  - unions
  - bit operations
  - arithmetic over- and underflow
- build an SMT-based BMC tool for full ANSI-C
  - build on top of CBMC front-end
  - use several third-party SMT solvers as back-ends
- evaluate ESBMC over embedded software applications

# Satisfiability Modulo Theories (1)

SMT decides the **satisfiability** of first-order logic formulae using the combination of different **background theories** ( $\Rightarrow$  building-in operators).

Theory	Example
Equality	$x_1 = x_2 \wedge \neg(x_1 = x_3) \Rightarrow \neg(x_1 = x_3)$
Bit-vectors	$(b >> i) \& 1 = 1$
Linear arithmetic	$(4y_1 + 3y_2 \geq 4) \vee (y_2 - 3y_3 \leq 3)$
Arrays	$(j = k \wedge a[k] = 2) \Rightarrow a[j] = 2$
Combined theories	$(j \leq k \wedge a[j] = 2) \Rightarrow a[i] < 3$

# Satisfiability Modulo Theories (2)

- Given
  - a decidable  $\Sigma$ -theory  $T$
  - a quantifier-free formula  $\varphi$

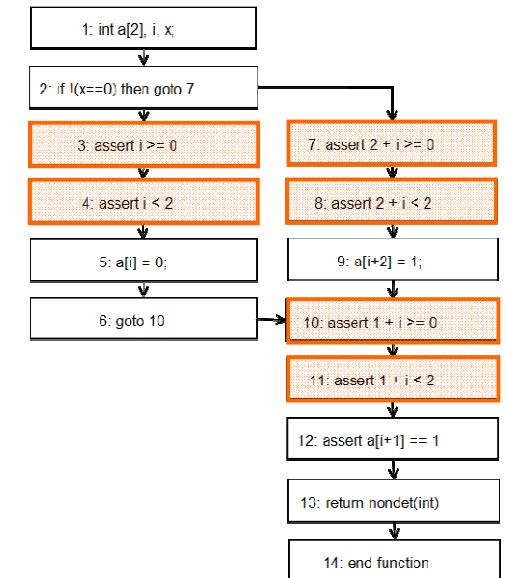
$\varphi$  is  **$T$ -satisfiable** iff  $T \cup \{\varphi\}$  is satisfiable, i.e., there exists a *structure* that *satisfies* both *formula* and *sentences* of  $T$
- Given
  - a set  $\Gamma \cup \{\varphi\}$  of first-order formulae over  $T$

$\varphi$  is a  **$T$ -consequence of  $\Gamma$**  ( $\Gamma \models_T \varphi$ ) iff *every model of  $T \cup \Gamma$  is also a model of  $\varphi$*
- Checking  $\Gamma \models_T \varphi$  can be reduced in the usual way to checking the  $T$ -satisfiability of  $\Gamma \cup \{\neg\varphi\}$

# Software BMC using ESBMC

- program modelled as state transition system
    - *state*: program counter and program variables
    - derived from control-flow graph
    - checked safety properties give extra nodes
  - program unrolled up to given bounds
    - number of loop iterations
    - size of arrays
  - unrolled program optimized to reduce blow-up
    - constant folding
    - forward substitutions
- } crucial

```
int main() {
    int a[2], i, x;
    if (x==0)
        a[i]=0;
    else
        a[i+2]=1;
    assert(a[i+1]==1);
}
```



# Software BMC using ESBMC

- program modelled as state transition system
  - *state*: program counter and program variables
  - derived from control-flow graph
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- front-end converts unrolled and optimized program into SSA

```
int main() {
    int a[2], i, x;
    if (x==0)
        a[i]=0;
    else
        a[i+2]=1;
    assert(a[i+1]==1);
}
```



$$\begin{aligned}
 g_1 &= x_1 == 0 \\
 a_1 &= a_0 \text{ WITH } [i_0 := 0] \\
 a_2 &= a_0 \\
 a_3 &= a_2 \text{ WITH } [2+i_0 := 1] \\
 a_4 &= g_1 ? a_1 : a_3 \\
 t_1 &= a_4 [1+i_0] == 1
 \end{aligned}$$

# Software BMC using ESBMC

- program modelled as state transition system
  - *state*: program counter and program variables
  - derived from control-flow graph
  - checked safety properties give extra nodes
- program unrolled up to given bounds
  - number of loop iterations
  - size of arrays
- unrolled program optimized to reduce blow-up
  - constant folding
  - forward substitutions } crucial
- front-end converts unrolled and optimized program into SSA
- extraction of *constraints*  $C$  and *properties*  $P$ 
  - specific to selected SMT solver, uses theories
- satisfiability check of  $C \wedge \neg P$

```
int main() {
    int a[2], i, x;
    if (x==0)
        a[i]=0;
    else
        a[i+2]=1;
    assert(a[i+1]==1);
}
```



$$C := \left[ \begin{array}{l} g_1 := (x_1 = 0) \\ \wedge a_1 := \text{store}(a_0, i_0, 0) \\ \wedge a_2 := a_0 \\ \wedge a_3 := \text{store}(a_2, 2 + i_0, 1) \\ \wedge a_4 := \text{ite}(g_1, a_1, a_3) \end{array} \right]$$

$$P := \left[ \begin{array}{l} i_0 \geq 0 \wedge i_0 < 2 \\ \wedge 2 + i_0 \geq 0 \wedge 2 + i_0 < 2 \\ \wedge 1 + i_0 \geq 0 \wedge 1 + i_0 < 2 \\ \wedge \text{select}(a_4, i_0 + 1) = 1 \end{array} \right]$$

# Encoding of Numeric Types

- SMT solvers typically provide different encodings for numbers:
  - abstract domains ( $\mathbb{Z}$ ,  $\mathbb{R}$ )
  - fixed-width bit vectors (`unsigned int`, ...)
    - ▷ “internalized bit-blasting”
- verification results can depend on encodings

$$(a > 0) \wedge (b > 0) \Rightarrow (a + b > 0)$$

*valid in abstract domains  
such as  $\mathbb{Z}$  or  $\mathbb{R}$*

*doesn't hold for bitvectors,  
due to possible overflows*

- majority of VCs solved faster if numeric types are modelled by abstract domains but possible loss of precision
- ESBMC supports both encodings

# Encoding Numeric Types as Bitvectors

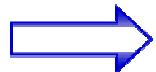
Bitvector encodings need to handle

- type casts and implicit conversions
  - arithmetic conversions implemented using word-level functions (part of the bitvector theory: extractBits, ...)
    - ▷ different conversions for every pair of types
    - ▷ uses type information provided by front-end
  - conversion to / from bool via if-then-else operator
- arithmetic over- / underflow
  - standard requires modulo-arithmetic for unsigned integers
  - define error literals to detect over- / underflow for other types
$$res\_ok \Leftrightarrow \neg overflow(x, y) \wedge \neg underflow(x, y)$$
    - ▷ similar to conversions
- floating-point numbers
  - approximated by fixed-point numbers, integral part only
  - represented by fixed-width bitvector

# Encoding of Structured Datatypes

- arrays and records / tuples typically handled directly by SMT-solver
- pointers modelled as tuples
  - $p.o \triangleq$  representation of underlying object
  - $p.i \triangleq$  index (if pointer used as array base)

```
int main() {
    int a[2], i, x, *p;
    p=a;
    if (x==0)
        a[i]=0;
    else
        a[i+1]=1;
    assert(*(p+2)==1);
}
```



C

$$\left\{ \begin{array}{l} p_1 := \text{store}(p_0, 0, \&a[0]) \\ \wedge p_2 := \text{store}(p_1, 1, 0) \\ \wedge g_2 := (x_2 == 0) \\ \wedge a_1 := \text{store}(a_0, i_0) \\ \wedge a_3 := \text{store}(a_2, 1 + i_0, 1) \\ \wedge a_4 := \text{ite}(g_2, a_1, a_3) \\ \wedge p_3 := \text{store}(p_2, 1, \text{select}(p_2, 1) + 2) \end{array} \right.$$

*Store object at position 0*

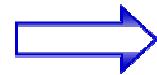
*Store index at position 1*

*Update index*

# Encoding of Structured Datatypes

- arrays and records / tuples typically handled directly by SMT-solver
- pointers modelled as tuples
  - $p.o \triangleq$  representation of underlying object
  - $p.i \triangleq$  index (if pointer used as array base)

```
int main() {
    int a[2], i, x, *p;
    p=a;
    if (x==0)
        a[i]=0;
    else
        a[i+1]=1;
    assert(*(p+2)==1);
}
```



$$P := \left\{ \begin{array}{l} i_0 \geq 0 \wedge i_0 < 2 \\ \wedge 1 + i_0 \geq 0 \wedge 1 + i_0 < 2 \\ \wedge \text{select}(p_3, 0) = \text{&a}[0] \\ \wedge \text{select}(\text{select}(p_3, 0), \\ \quad \quad \quad \text{select}(p_3, 1)) == 1 \end{array} \right\}$$

*negation satisfiable  
(a[2] unconstrained)  
⇒ assert fails*

# Evaluation

# Comparison of SMT solvers

- Goal: compare efficiency of different SMT-solvers
  - CVC3 (1.5)
  - Boolector (1.0)
  - Z3 (2.0)
- Set-up:
  - identical ESBMC front-end, individual back-ends
  - operations not supported by SMT-solvers are axiomatized
  - standard desktop PC, time-out 3600 seconds

# Comparison of SMT solvers

Module	#L	#P	CVC3		Boolector		Z3	
			Time	Error	Time	Error	Time	Error
Bu	<i>lines of code</i> (n=140)	43	17	<i>number of properties checked</i>		0	2	0
		43	17			0	163.2	0
SelectionSort	(n=35)	34	17	8.5	0	0.8	0.8	0
	(n=140)	34	17	MO	1	74.6	0	74.4
InsertionSort	(n=35)	86	17	35.6	0	2.4	0	2.5
	(n=140)	86	17	MO	1	TO	1	143
Prim					0	0.5	0	0.5
StrCmp			<i>size of arrays</i>		0	91.2	0	38.8
MinMax	19	9	MO	1	947.6	0	6.2	0
Ims	258	23	1011.9	0	138.7	0	138.6	0
Bitwise	18	1	272.4	0	7.5	0	28.4	0
adpcm_encode	149	12	211.8	0	738.9	0	5.5	0
adpcm_decode	111	10	43.8	0	20.2	0	14.3	0

# Comparison of SMT solvers

Module	#L	#P	CVC3		Boolector		Z3	
			Time	Error	Time	Error	Time	Error
BubbleSort (n=35)	43	17	28.3	0	1.9	0	2	0
	43	17	MO	1	182.7	0	163.2	0
SelectionSort (n=35)	34	17	8.5	0	0.8	0	0.8	0
	24	17	MO	1	74.6	0	74.4	0
InsertionSort (n=35)					2.4	0	2.5	0
					TO	1	143	0
Prim					0.5	0	0.5	0
StrCmp		6	9.9	0	91.2	0	38.8	0
MinMax	19	9	MO	1	947.6	0	6.2	0
Ims	258	23	1011.9	0	138.7	0	138.6	0
Bitwise	18	1	272.4	0	7.5	0	28.4	0
adpcm_encode	149	12	211.8	0	738.9	0	5.5	0
adpcm_decode	111	10	43.8	0	20.2	0	14.3	0

All SMT-solvers can  
handle the VCs from the  
embedded applications

# Comparison of SMT solvers

Module	#L	#P	CVC3		Boolector		Z3	
			Time	Error	Time	Error	Time	Error
BubbleSort (n=35)	43	17	28.3	0	TO	0	TO	0
	43	17	MO	1				
SelectionSort (n=35)	34	17	8.5	0	TO	0	TO	0
	34	17	MO	1				
InsertionSort (n=35)	86	17	35.6	0	2.4	0	2.5	0
	86	17	MO	1				
Prim	79	30	16.9	0	0.5	0	0.5	0
StrCmp	14	6	9.9	0	91.2	0	38.8	0
MinMax	19	9	MO	1	947.6	0	6.2	0
Ims	258	23	1011.9	0	138.7	0	138.6	0
Bitwise	18	1	272.4	0	7.5	0	28.4	0
adpcm_encode	149	12	211.8	0	738.9	0	5.5	0
adpcm_decode	111	10	43.8	0	20.2	0	14.3	0

CVC3 doesn't scale  
that well and runs  
out of memory

# Comparison of SMT solvers

Module	#L	#P	CVC3		Boolector		Z3	
			Time	Error	Time	Error	Time	Error
BubbleSort	(n=10)	10	17	88	1.9	0	2	0
	(n=100)	100	17	88	82.7	0	163.2	0
SelectionSort	(n=10)	10	17	88	0.8	0	0.8	0
	(n=100)	100	17	88	74.6	0	74.4	0
InsertionSort	(n=35)	86	17	35.6	0	2.4	0	2.5
	(n=140)	86	17	MO	1	TO	1	143
Prim	79	30	16.9	0	0.5	0	0.5	0
StrCmp	14	6	9.9	0	91.2	0	38.8	0
MinMax	19	9	MO	1	947.6	0	6.2	0
Ims	258	23	1011.9	0	138.7	0	138.6	0
Bitwise	18	1	272.4	0	7.5	0	28.4	0
adpcm_encode	149	12	211.8	0	738.9	0	5.5	0
adpcm_decode	111	10	43.8	0	20.2	0	14.3	0

*Boolector and Z3 roughly comparable, with some advantages for Z3*

# Comparison of SMT solvers

- Goal: compare efficiency of different SMT-solvers
    - CVC3 (1.5)
    - Boolector (1.0)
    - Z3 (2.0)
  - Set-up:
    - identical ESBMC front-end, individual back-ends
    - unsupported operations axiomatized
    - standard desktop PC, time-out 3600 seconds
- ⇒ SMT-solver of choice: Z3
- best coverage of domain
  - overall fastest

# Comparison to SMT-CBMC [A. Armando et al.]

- SMT-based BMC for C, built on top of CVC3 (hard-coded)
  - limited coverage of language
- Goal: compare efficiency of encodings

Module	ESBMC		SMT-CBMC
	Z3	CVC3	CVC3
BubbleSort (n=35) (n=140)	2.0	28.7	94.5
	163.1	MO	*
SelectionSort (n=35) (n=140)	0.8	8.5	66.5
	74.4	MO	MO
BellmanFord	0.3	0.5	13.6
Prim	0.5	16.9	18.4
StrCmp	38.8	9.9	TO
SumArray	4.7	1.2	113.8
MinMax	6.2	MO	MO

# Comparison to SMT-CBMC [A. Armando et al.]

- SMT-based BMC for C, built on top of CVC3 (hard-coded)
  - limited coverage of language
- Goal: compare *All benchmarks taken from SMT-CBMC suite*

Module	Z3	CVC3	SMT-CBMC
<b>BubbleSort</b> (n=35) (n=140)	2.0 163.1	28.7 MO	94.5 *
<b>SelectionSort</b> (n=35) (n=140)	0.8 74.4	8.5 MO	66.5 MO
<b>BellmanFord</b>	0.3	0.5	13.6
<b>Prim</b>	0.5	16.9	18.4
<b>StrCmp</b>	38.8	9.9	TO
<b>SumArray</b>	4.7	1.2	113.8
<b>MinMax</b>	6.2	MO	MO

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- SMT-based BMC for C, built on top of CVC3 (hard-coded)
  - limited coverage of language
- Goal: compare efficiency of encodings

Module	ESBMC		SMT-CBMC
	Z3	CVC3	CVC3
BubbleSort (n=35)	10	28.7 MO	94.5 *
		8.5 MO	66.5 MO
BellmanFord	0.3	0.5	13.6
Prim	0.5	16.9	18.4
StrCmp	38.8	9.9	TO
SumArray	4.7	1.2	113.8
MinMax	6.2	MO	MO

*ESBMC substantially faster,  
even with identical solvers  
→ probably better encoding*

# Comparison to SMT-CBMC [A. Armando et al.]

- SMT-based BMC for C, built on top of CVC3 (hard-coded)
  - limited coverage of language
- Goal: compare efficiency of encodings

Module	ESBMC		SMT-CBMC
	Z3	CVC3	CVC3
BubbleSort (n=35)	2.0	28.7	94.5
(n=140)	163.1	MO	*
SelectionSort (n=35)	0.8	8.5	<i>Z3 not uniformly better than CVC3</i>
(n=140)	74.4	MO	
BellmanFord	0.3	0.5	13.6
Prim	0.5	16.9	18.4
StrCmp	38.8	9.9	TO
SumArray	4.7	1.2	113.8
MinMax	6.2	MO	MO

# Comparison to SAT-CBMC [D. Kroening]

- SAT-based BMC for full ANSI-C
  - *not* recent SMT-based version
  - mature tool (V 2.9)
  - front-end and overall structure shared with ESBMC
- Goal: compare efficiency of SAT vs. SMT
  - on identical verification problems

# Comparison to SAT-CBMC [D. Kroening]

Module	#L	#P	SAT-CBM				SMT / SAT solver time				SBMC		
			Time				#P						
			Enc.	Solver	Fail	Error	Enc.	Solver	Fail	Error			
fft1	218	72	0.4	<0.1	0	0	0.4	<0.1	0	0			
fft1k	155	39	MO	-	0	39	37.8	<0.1	0	0			
jfdctint	374	331	1.2	<0.1	1	0	2.5	2.4	1	0			
lms	25				0	35							0
ludcmp	14				0	1							0
qurt	16				0	1							0
pocsag	521	103	15.3	0.1	1	0	12.3	5.8	1	0			
adpcm	473	553	74.3	3.5	0	0	45.7	9.2	0	0			
laplace	110	76	30.8	TO	0	76	12.3	0.3	0	0			
exStbKey	558	18	1.2	<0.1	0	0	1.2	<0.1	0	0			
exStbHDMI	1045	25	167.9	78.9	0	0	164.4	33.5	0	0			
exStbLED	430	6	195.9	130.0	0	0	165.6	44.5	0	0			
exStbHwAcc	1432	113	0.7	<0.1	0	0	0.7	<0.1	0	0			
exStbRes	353	40	271.8	319.0	0	0	269.3	1161.0	0	0			

*error detected  
in module –  
**GOOD THING***

*error occurred  
in tool –  
**BAD THING***

# Comparison to SAT-CBMC [D. Kroening]

Module	#L	#P	SAT-CBM				SBMC			
			Time				#P			
			Enc.	Solver	Fail	Error	Enc.	Solver	Fail	Error
<b>fft1</b>	218	72	0.4	<0.1	0	0	0.4	<0.1	0	0
<b>fft1k</b>	155	39	MO	-	0	39	337.8	<0.1	0	0
<b>jfdctint</b>	374	331	1.2	0.1	1	0	5	2.4	1	0
<b>lms</b>	25	-	-	-	0	35	-	-	-	0
<b>ludcmp</b>	14	-	-	-	0	1	-	-	-	0
<b>qurt</b>	16	-	-	-	0	1	-	-	-	0
<b>pocsag</b>	521	103	15.3	0.1	1	0	12.3	0.0	1	0
<b>adpcm</b>	73	553	74.3	3.5	0	0	45.7	9.2	0	0
<b>laplace</b>	110	76	30.8	TO	0	76	12.3	0.3	0	0
<b>exStbKey</b>	558	-	1.2	>0.1	0	0	1.2	<0.1	0	0
<b>exStbHDMI</b>	10	all embedded systems applicatons				0	164.4	33.5	0	0
<b>exStbLED</b>	4	applicatons				0	165.6	44.5	0	0
<b>exStbHwAcc</b>	1432	113	0.7	<0.1	0	0	0.7	<0.1	0	0
<b>exStbRes</b>	353	40	271.8	319.0	0	0	269.3	1161.0	0	0

# Comparison to SAT-CBMC [D. Kroening]

			SAT-CBMC				ESBMC			
			Time		#P		Time		#P	
Module	#L	#P	Enc.	Solver	Fail	Error	Enc.	Solver	Fail	Error
fft1	218	72	0.4	<0.1	0	0	0.4	<0.1	0	0
fft1k	155	39	MO	-	0	39	2337.8	<0.1	0	0
jfdctint	374	331	1.2	<0.1	1	0	0.5	2.4	1	0
lms	258	35	MO	-	0	35	132.6	0.2	0	0
ludcmp	144	88	4.5	TO	0	1	<0.1	1.44	0	0
qurt	164	8	18.8	TO	0	1	1.2	7.7	0	0
pocsag	521	183	15.3	0.1	1	0	12.3	5.8	1	0
adpcm	473	553	74.3	3.5	0	0	45.7	9.2	0	0
laplace	110	76	30.8	TO	0	76	12.3	0.3	0	0
exStbKey	558	18	1.2	<0.1	0	0	1.2	<0.1	0	0
exStbHDMI	1045	25	167.9	78.9	0	0	164.4	33.5	0	0
exStbLED	430	6	195.9	130.0	0	0	165.6	44.5	0	0
exStbHwAcc	1432	113	0.7	<0.1	0	0	0.7	<0.1	0	0
exStbRes	353	40	271.8	319.0	0	0	269.3	1161.0	0	0

# Comparison to SAT-CBMC [D. Kroening]

*SMT-encoding  
often more efficient  
than bit-blasting*

	SAT-CBMC				ESBMC			
	Time		#P		Time		#P	
	Enc.	Solver	Fail	Error	Enc.	Solver	Fail	Error
fft1k	0.4	<0.1	0	0	0.4	<0.1	0	0
jfdctint	39	MO	-	0	39	2337.8	><0.1	0
lms	258	35	MO	-	0	35	132.6	0.2
ludcmp	144	88	4.5	TO	0	1	<0.1	1.44
qurt	164	8	18.8	TO	0	1	1.2	7.7
pocsag	521	183	15.3	0.1	1	0	12.3	5.8
adpcm	473	553	74.3	3.5	0	0	45.7	9.2
laplace	110	76	30.8	TO	0	76	12.3	0.3
exStbKey	558	18	1.2	<0.1	0	0	1.2	<0.1
exStbHDMI	1045	25	167.9	78.9	0	0	164.4	33.5
exStbLED	430	6	195.9	130.0	0	0	165.6	44.5
exStbHwAcc	1432	113	0.7	<0.1	0	0	0.7	<0.1
exStbRes	353	40	271.8	319.0	0	0	269.3	1161.0

# Comparison to SAT-CBMC [D. Kroening]

Module	#L	#P	SAT-CBMC				ESBMC			
			Enc.	Solver	Time	#P	Enc.	Solver	Time	#P
fft1	218	72	0.4	<0.1	0	0	0.4	<0.1	0	0
fft			MO	-	0	39	2337.8	<0.1	0	0
jt			1.2	<0.1	1	0	0.5	2.4	1	0
lt			MO	-	0	35	132.6	0.2	0	0
lt			4.5	TO	0	1	<0.1	1.44	0	0
ct			18.8	TO	0	1	1.2	7.7	0	0
pt			15.3	0.1	1	0	12.3	5.8	1	0
act			71.3	3.5	0	0	45.7	9.2	0	0
laplace	110	76	30.8	TO	0	76	12.3	0.3	0	0
exStbKey	558	18	1.2	<0.1	0	0	1.2	<0.1	0	0
exStbHDMI	1045	25	167.9	78.9	0	0	164.4	33.5	0	0
exStbLED	430	6	195.9	130.0	0	0	165.6	44.5	0	0
exStbHwAcc	1432	113	0.7	<0.1	0	0	0.7	<0.1	0	0
exStbRes	353	40	271.8	319.0	0	0	269.3	1161.0	0	0

*SMT-solver often significantly faster than SAT-solver*

# Comparison to SAT-CBMC [D. Kroening]

Module	#L	#P	SAT-CBMC				ESBMC			
			Enc.	Solver	Time	#P	Enc.	Solver	Time	#P
fft1	218	72	0.4	<0.1	0	0	0.4	<0.1	0	0
fft			MO	-	0	39	2337.8	<0.1	0	0
jif			1.2	<0.1	1	0	0.5	2.4	1	0
lif			MO	-	0	35	132.6	0.2	0	0
lif			4.5	TO	0	1	<0.1	1.44	0	0
o			18.8	TO	0	1	1.2	7.7	0	0
p			15.3	0.1	1	0	12.3	5.8	1	0
adp			74.3	3.5	0	0	45.7	9.2	0	0
laplace	11	6	30.8	TO	0	76	12.3	0.3	0	0
exStbKey	558		1.2	<0.1	0	0	1.2	<0.1	0	0
exStbHDMI	1045	23	167.9	78.9	0	0	164.4	33.5	0	0
exStbLED	430	6	25.9	130.0	0	0	165.6	44.5	0	0
exStbHwAcc	1432	113	0.7	<0.1	0	0	0.7	<0.1	0	0
exStbRes	353	40	271.8	319.0	0	0	269.3	1161.0	0	0

*SMT-solver often significantly faster than SAT-solver, but not always*

# Conclusions

- SMT-based BMC is more efficient than SAT-based BMC
  - but not uniformly
- described and evaluated first SMT-based BMC for ANSI-C
  - provided encodings for typical ANSI-C constructs not directly supported by SMT-solvers
- available at [users.ecs.soton.ac.uk/lcc08r/esbmc/](http://users.ecs.soton.ac.uk/lcc08r/esbmc/)

## Future work:

- better handling of floating-point numbers
- concurrency (based on Pthread library)
- termination analysis