

# Elements of Foundations for Ubiquitous Computing

the beautiful, the useful and the rest

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#### **Ubiquitous Computing:**

computation over a global network of mobile, bounded resources shared among mobile entities which move between highly dynamic, largely unknown, untrusted networks.

#### Difficulties:

Extreme dynamic reconfigurability; lack of coordination and trust; limited capabilities; partial knowledge . . .

#### Issues:

Protection and management of resources; privacy and confidentiality of data; ...

#### **Ubiquitous Computing:**

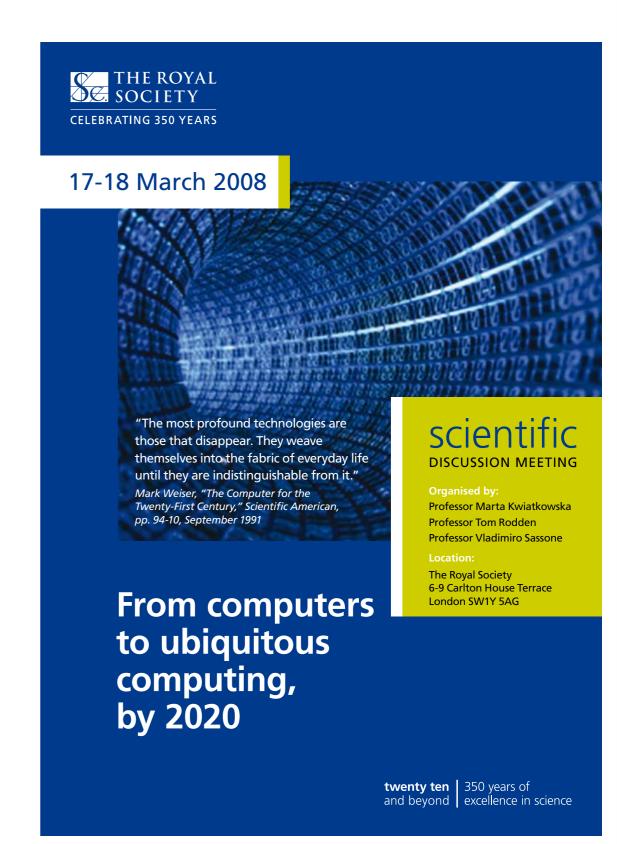
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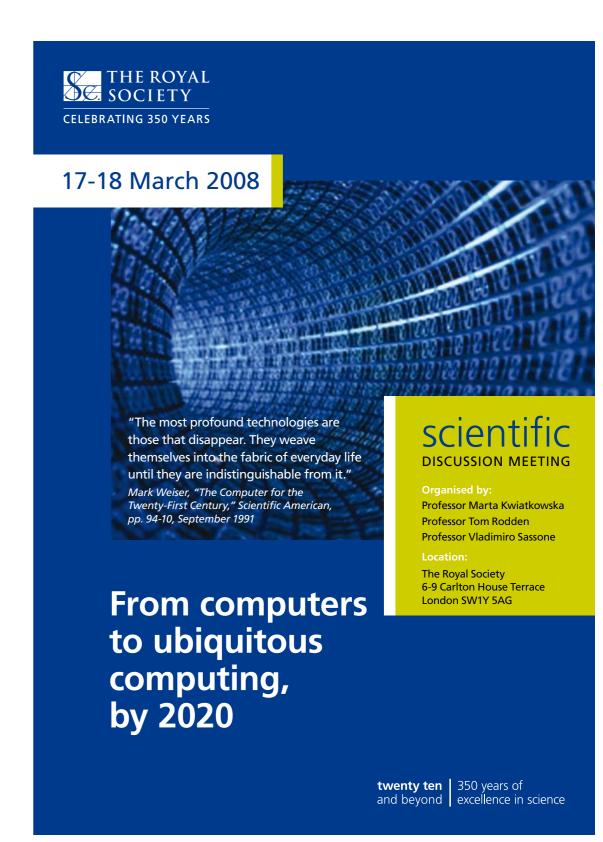
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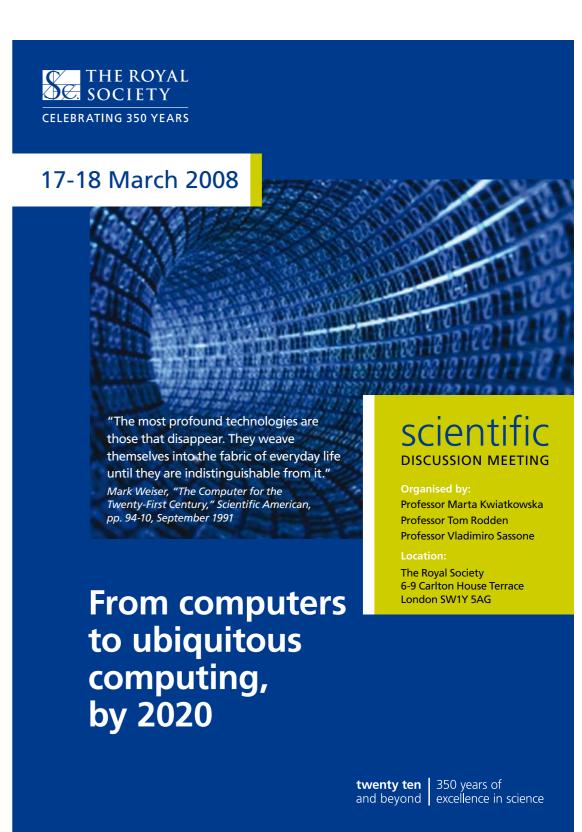
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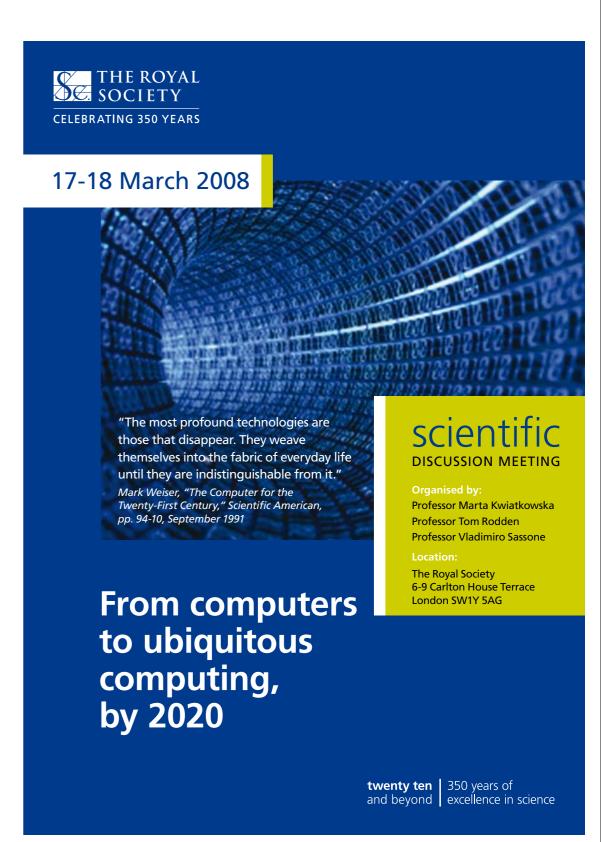
invisible computing



invisible computing sentient computing



invisible computing sentient computing mobile computing

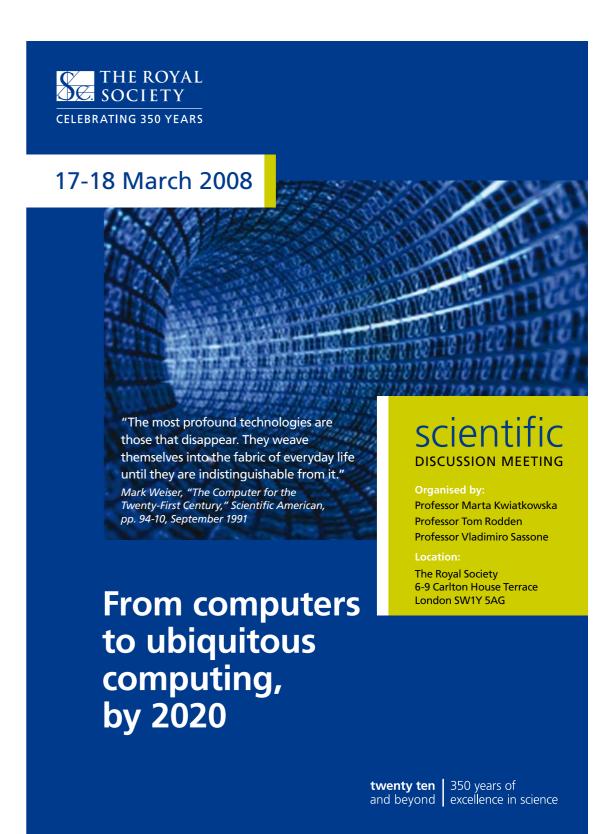


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sentient computing

mobile computing

autonomic computing



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"The most profound technologies are those that disappear. They weave themselves into the fabric of everyday life until they are indistinguishable from it."

Mark Weiser, "The Computer for the Twenty-First Century," Scientific American, pp. 94-10, September 1991

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Professor Marta Kwiatkowska Professor Tom Rodden Professor Vladimiro Sassone

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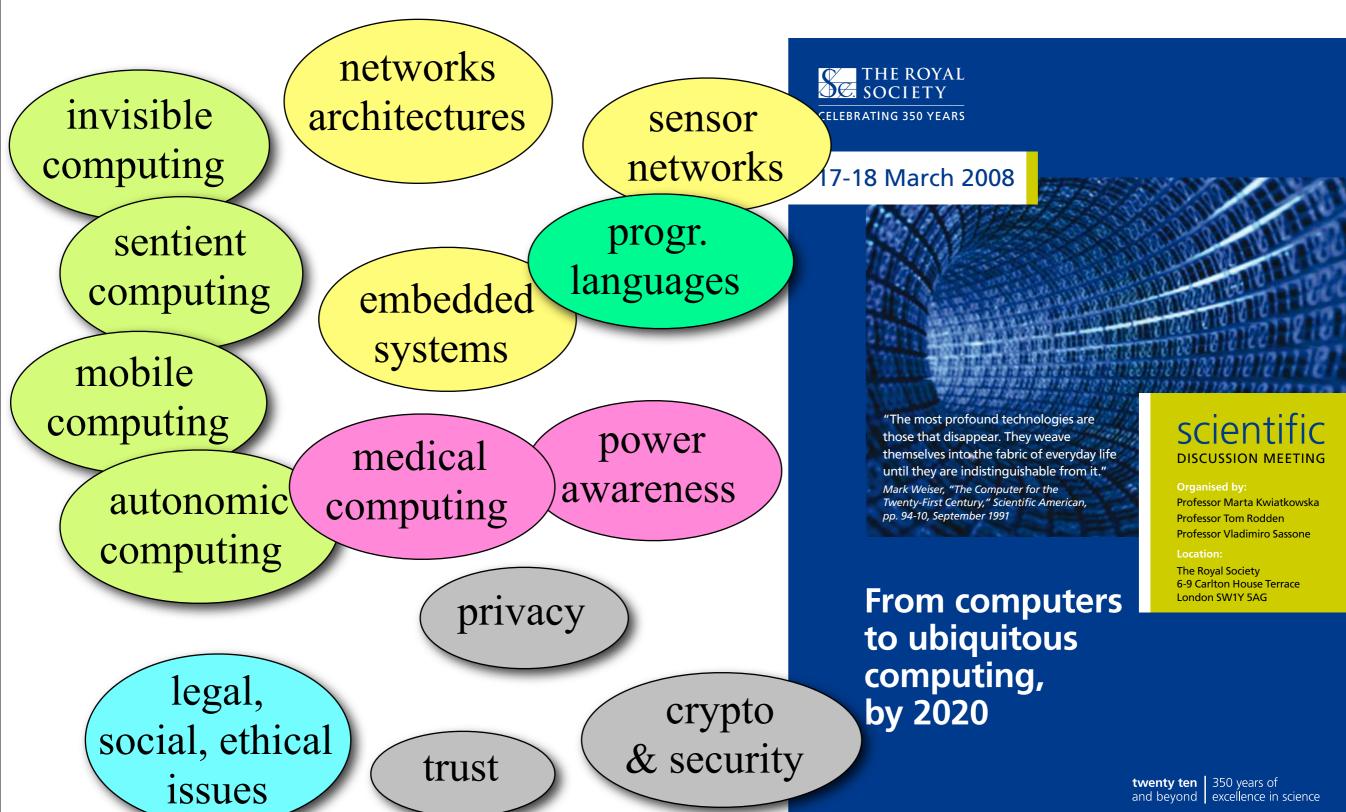
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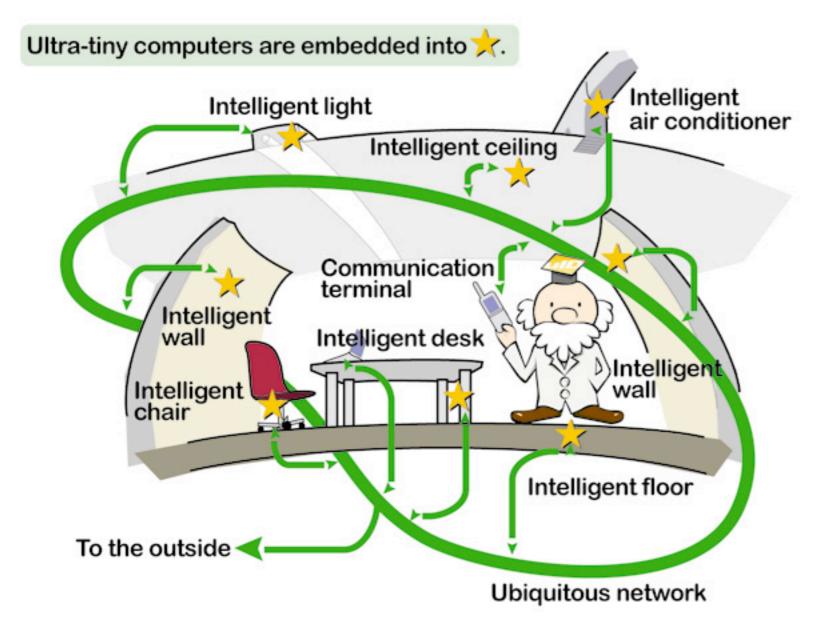
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legal, social, ethical issues

twenty ten and beyond sexcellence in science

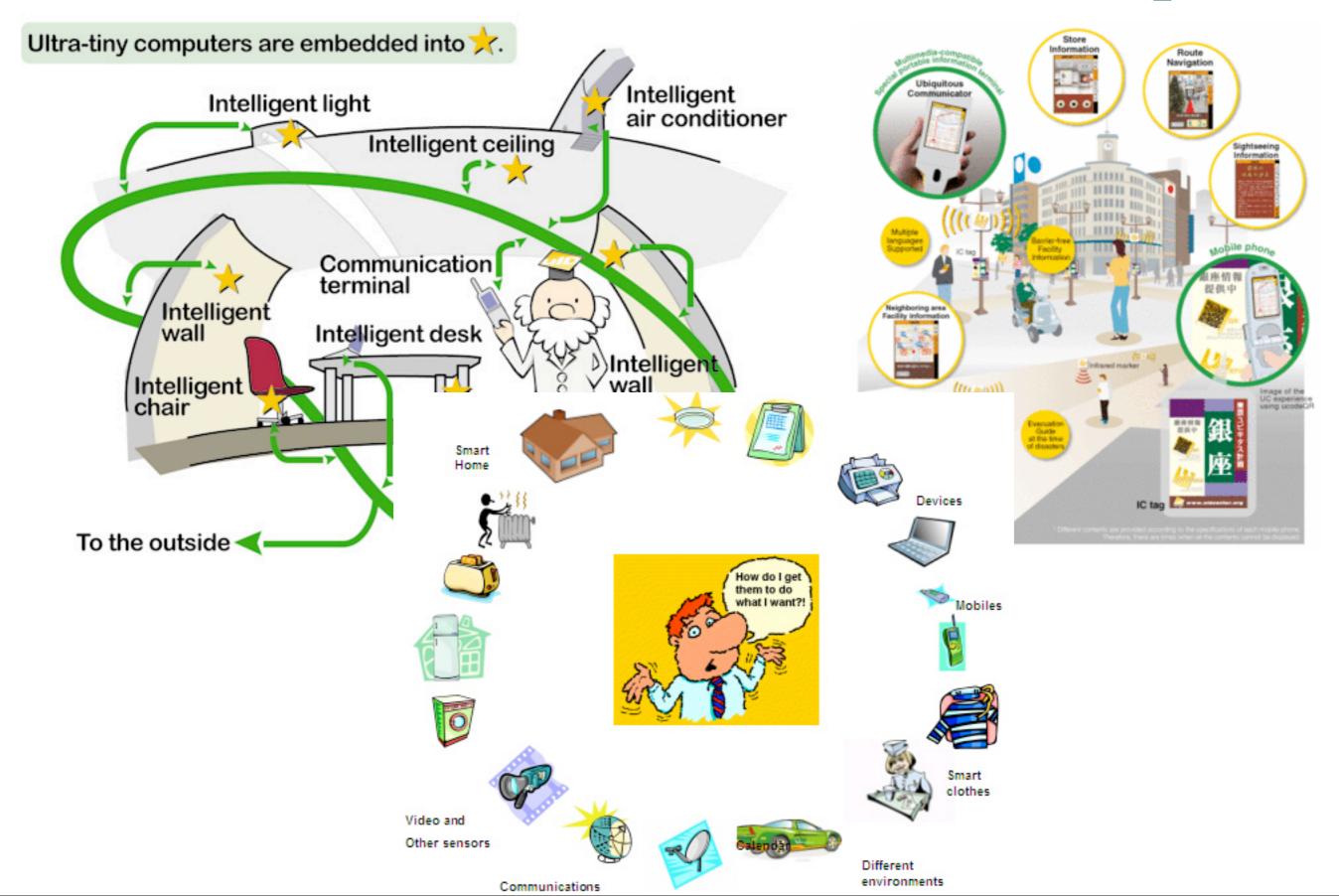


#### A lot of embedded devices and smart space





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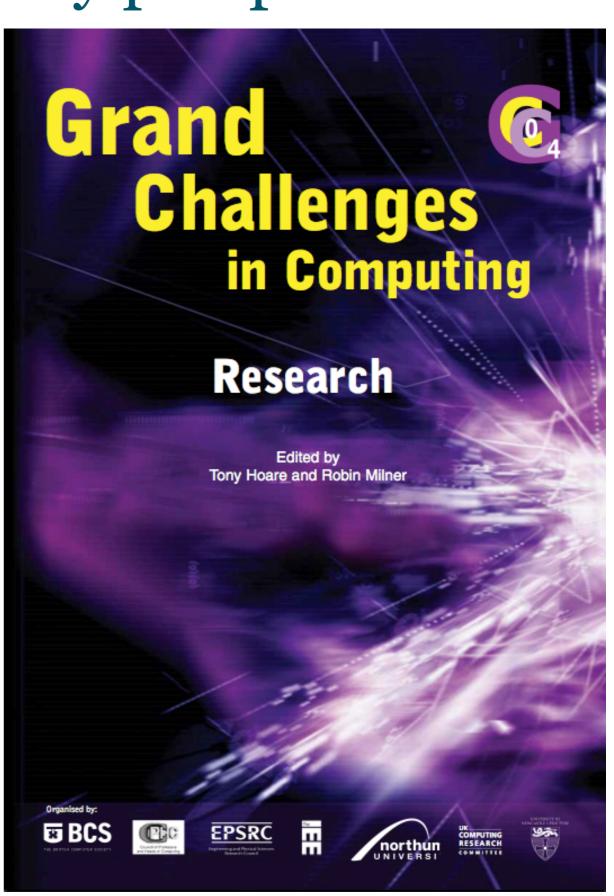


Models for Concurrency

Semantic Theories

**Spatial Logics** 

Programming Languages



Models for Concurrency

**Semantic Theories** 

**Spatial Logics** 

Programming Languages

Resource Control

#### Petri Nets Based Models and Calculi

A distributed timed-arc Petri net is a Petri net together with

- a interval time constraint on transitions, either discrete or continuous;
- a clock synchronisation relation ∑ on places.

Tokens age, transitions are enabled accordingly. Time elapses at the same speed at p and p' if  $p \sum p'$ .

Globally Asynchronous, Locally Synchronous

Global Time:  $\Sigma = P \times P$  Local Time:  $\Sigma = \Delta_P$ 

A Separation Result: Reachability for safe LT nets is decidable, but undecidable for safe GT nets.

Models for Concurrency

Semantic Theories

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Programming Languages

#### **Labels from Reductions**

- A categorical machinery which allows the derivation of LTSs from reduction systems.
- Bisimulation on such LTSs is a congruence, provided a general condition is met.

#### Coinduction Principle Desiderata:

- Correspondence:  $p \searrow q$  iff  $p \xrightarrow{\tau} q$
- Correctness:  $p \approx q$  implies  $p \cong q$
- Completeness:  $p \cong q$  implies  $p \approx q$

The intuition:  $a \xrightarrow{\mathscr{C}} b$  iff  $\mathscr{C}[a] \setminus b$ 

Eg:  $a \xrightarrow{-|\overline{a}|} \mathbf{0}$ ,  $M \xrightarrow{(\lambda x.-)N} M\{N/x\}$ ,  $KM \xrightarrow{-N} M$ 

Models for Concurrency

**Semantic Theories** 

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Two related continuations:

(1) What "barbs" i.e. observations are required to give rise to an observation theory corresponding to the contexts as labels?

(2) How to generate transition systems out of from SOS specification systems in the case of stochastic transition systems?

Models for Concurrency

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#### Structural Bilogics

Spatial logics: Separation in space

 $\ell_1[a@\ell.P] \mid \ell_2[\overline{a}@\ell.Q]$ 

Separation logics: Separation of resources

 $\ell$ [ a.nil | b.nil ]

A more expressiveness and unified approach: Eg,

 $PC_a(in_c \otimes \mathbf{T}) \overset{c}{\otimes} PC_b(out_c \otimes \mathbf{T})$ 

describes two PCs linked to the network by "separated" a and b, and to each other by "shared" c.

Results: Proof and model theory for BiLog, encoding of previous logics, decidability issues.

Models for Concurrency

**Semantic Theories** 

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Programming Languages

Jeeg: concurrent OO with history-sensitive access control

- Java (no synchronized(), wait(), notify(), notifyAll())
   for business code;
- Linear Time Temporal Logic for synchronisation code (method guards).

```
public class MyClass {
    sync { m : \phi; ... }
    ... //Standard Java class def
}
```

where m is a method identifier and  $\phi$  is an LTL formula. When m is invoked, the thread is holds unless  $\phi$ . When the condition is true, all waiting threads are awaken. m is implicitly synchronised.

Models for Concurrency

Resources: Models, Types, Logics, Languages

**Semantic Theories** 

Access Control

Access Authorisation

**Spatial Logics** 

Secrecy for Mobile Agents

Programming Languages

Trust Management

Bounds Control

Models for Concurrency

Resources: Models, Types, Logics, Languages

**Semantic Theories** 

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Secreey for Mobile Agents

Programming Languages

Trust Management

Bounds Control

#### Trust in UbiCom



→ Features of Ubiquitous Computing like scalability, mobility, and incomplete information deeply affect security requirements.

One of the proposed approaches is to use a notion of computational trust, resembling the concept of trust among human beings.

#### Approaches to Trust



#### Credential-based Models

- trust predicated on possession of predefined credential
- eg, password, RSA key, certificate, role, history, provenance, ...

#### → Predictive Models ("observe & learn")

- a probabilistic model assigns a degree of confidence to a principal's ability to predict another principal's behaviour.
- $\bullet$  eg, the behaviour of a principal A may be defined as the probability that interaction with A yields a certain outcome.

Overarching notion: Trust Policy express complex conditions based on elementary trust values.

#### Data Provenance



- → (Meta)data is almost entirely neglected in the process calculi
- → Track data provenance both for its important applications and as an challenging exercise in modelling (meta)data.

  Aim at simplicity:
  - data annotations representing provenance
  - structure, interpretation and management of provenance information
  - provenance tracking
- → Provenance-based security (trust + data confidentiality)
  - ▶ Example: conference submission
- → The overall ambition is to underpin and develop practical stuff, like trust-policy languages and protocols, and provenance-middleware





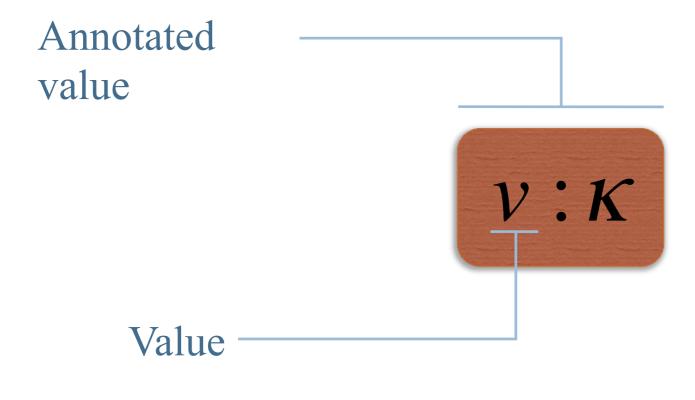


Annotated value

value

v: K

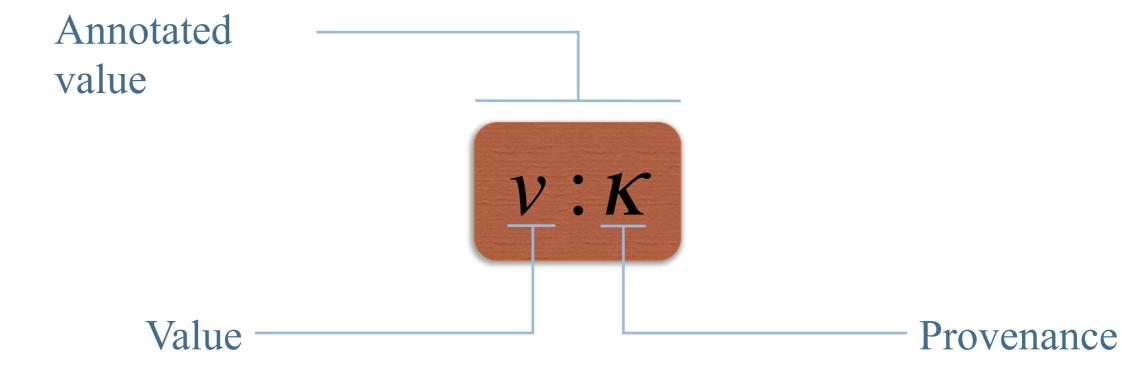




Actual data

Actual data



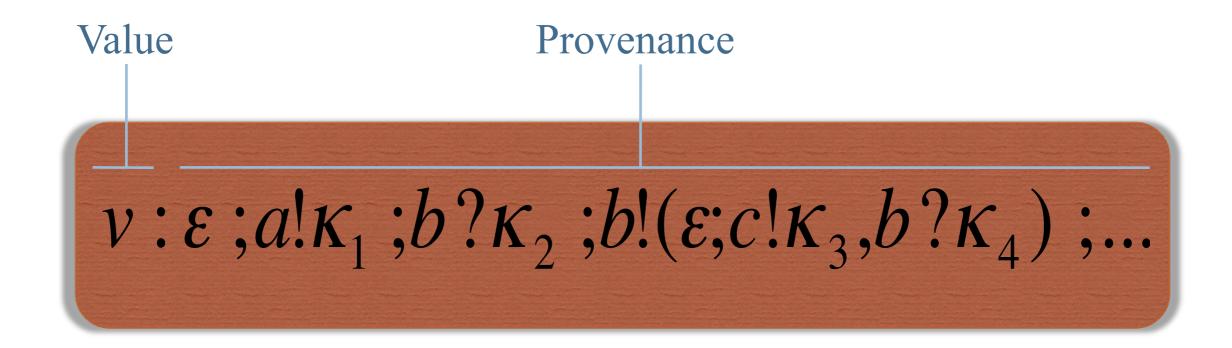


Meta information describing the origin of the value

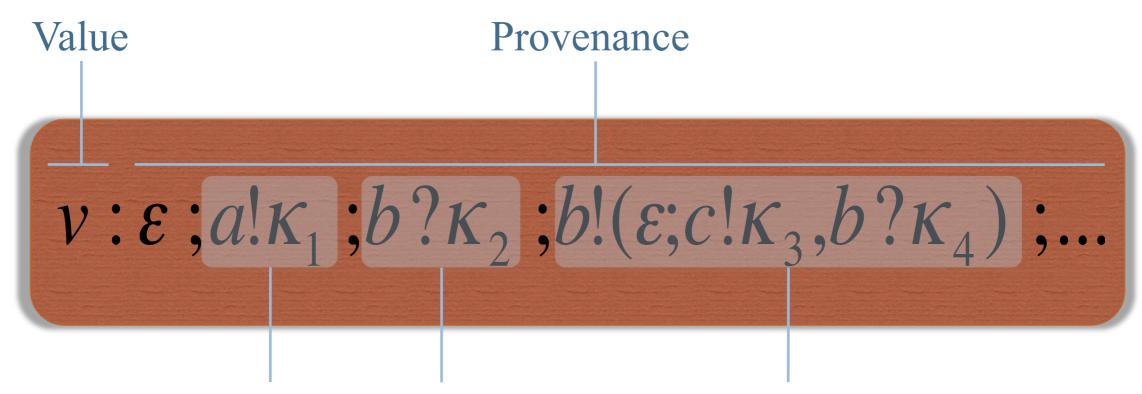


```
v:\varepsilon;a!\kappa_1;b?\kappa_2;b!(\varepsilon;c!\kappa_3,b?\kappa_4);...
```









"Operations" that were performed on the value. They record the principals that "influenced" the value and how.



 $\varepsilon$  (empty provenance) denotes value  $\nu$  originated here



ε (empty provenance)denotes value ν originatedhere

 $v: \varepsilon; a! \kappa_1$ 

It was sent by a on a channel with provenance  $\kappa_1$ 

provenance K<sub>1</sub>



ε (empty provenance) denotes value v originated here  $v: \varepsilon; a! \kappa_1; b? \kappa_2$ It was sent by a Was then received by b on a on a channel channel with provenance K 2 with



ε (empty provenance)denotes value ν originatedhere

And then sent by b on a channel that b received from c...

 $v: \varepsilon; a! \kappa_1; b? \kappa_2; b! (\varepsilon; c! \kappa_3, b? \kappa_4); \dots$ 

It was sent by a on a channel with provenance  $\kappa_1$ 

Was then received by b on a channel with provenance  $\kappa_2$ 

# Confidentiality in provenance systems



- Data may be public, yet its provenance confidential, or vice versa
- Principals who may access data are not necessarily the same as those who may access its provenance
- Fine grained access control over provenance "histories" is needed as different parts of it have different sensitivity

Security requirements of data



Security requirements of its provenance

Example: conference submissions









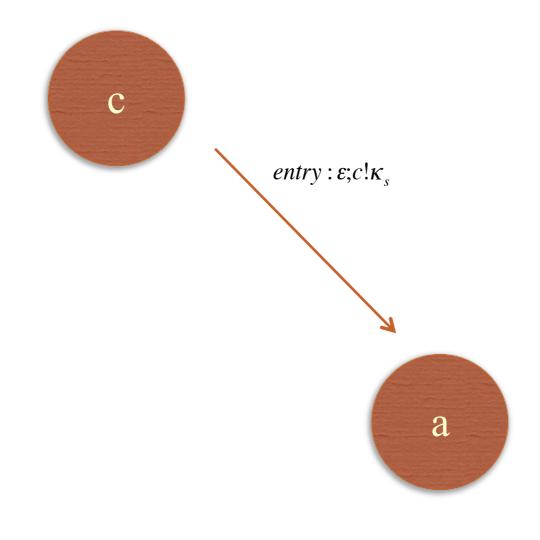
c: Author

a: PC Chair

j: Referee

Example: conference submissions





j

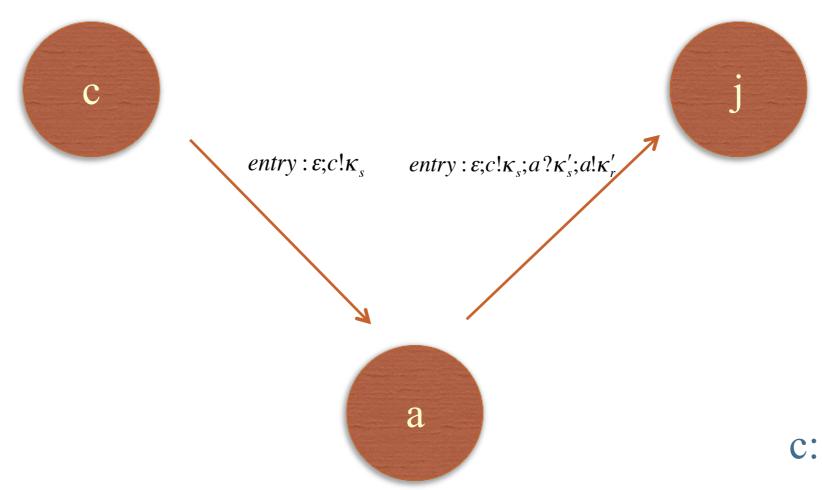
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Example: conference submissions



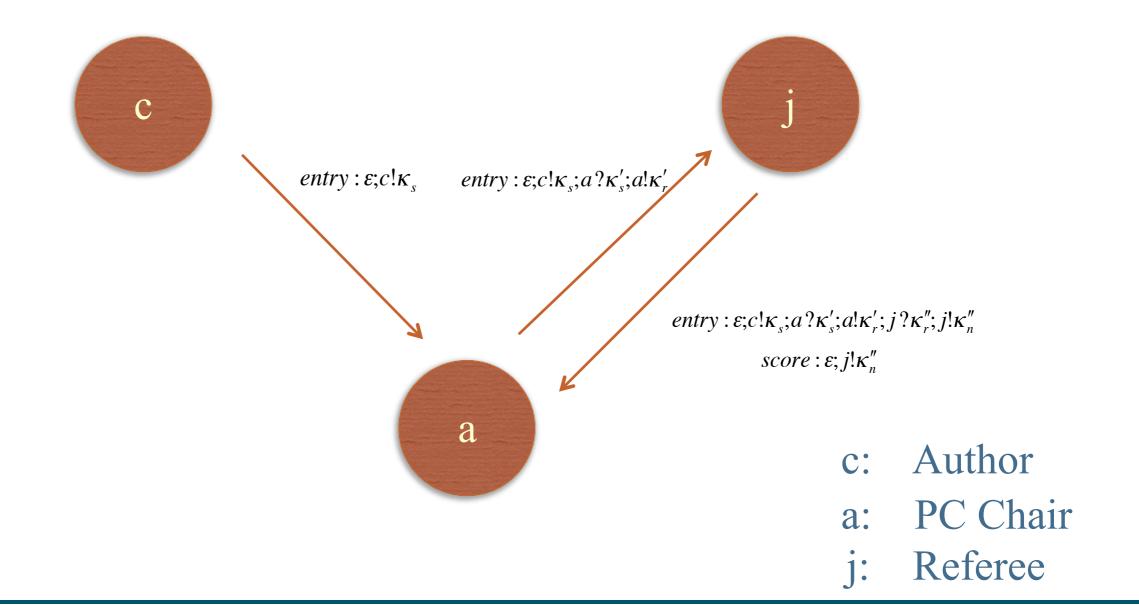


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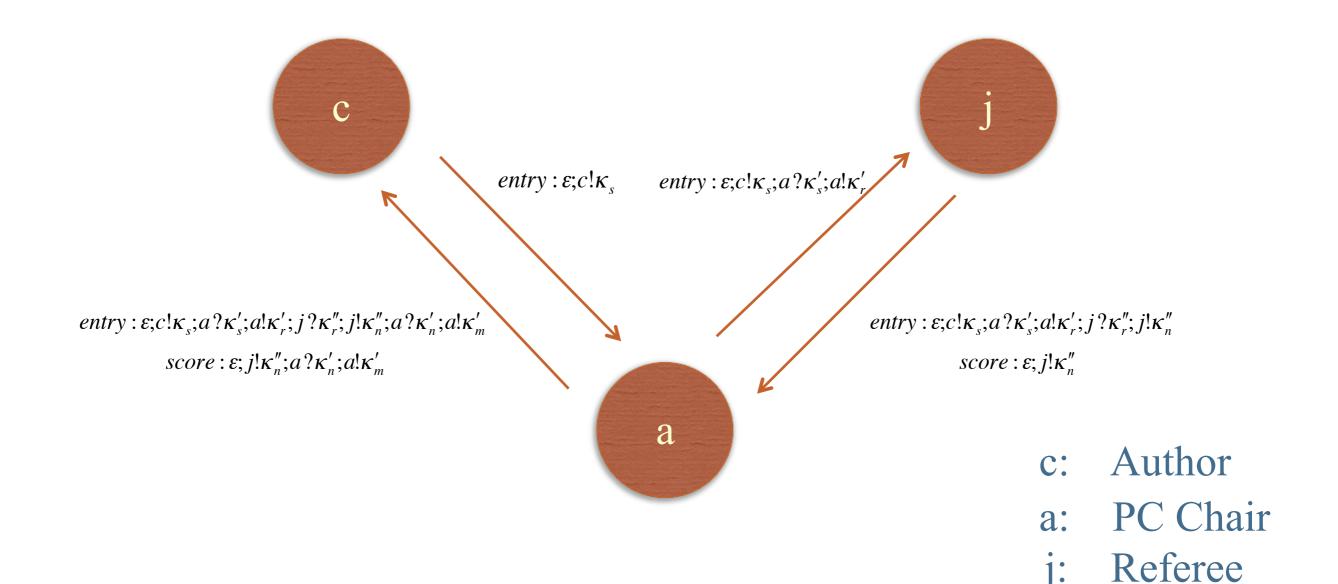
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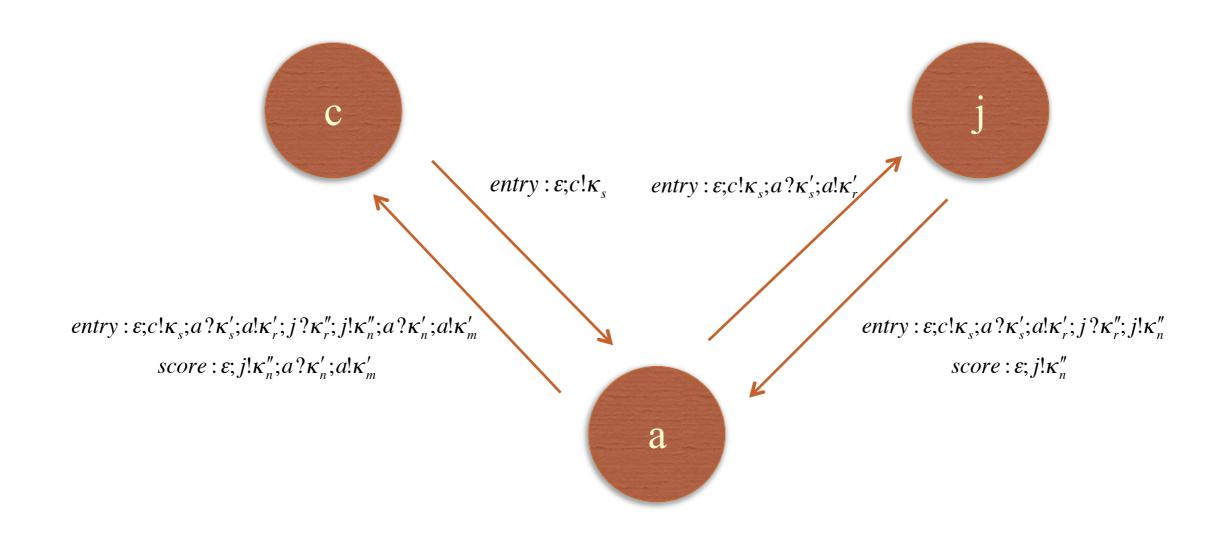




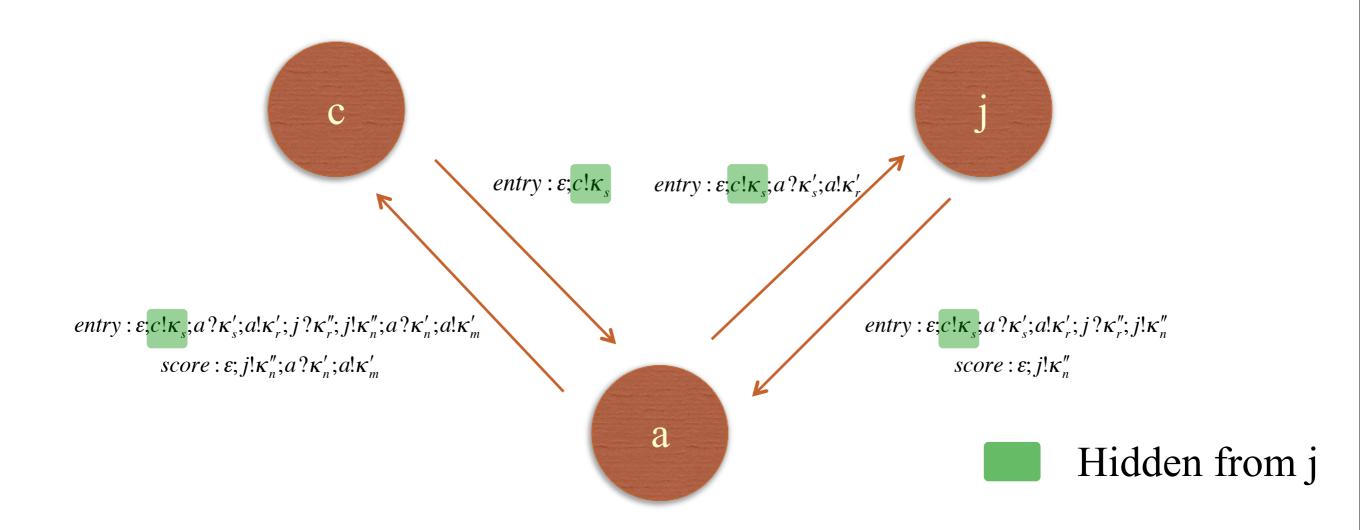




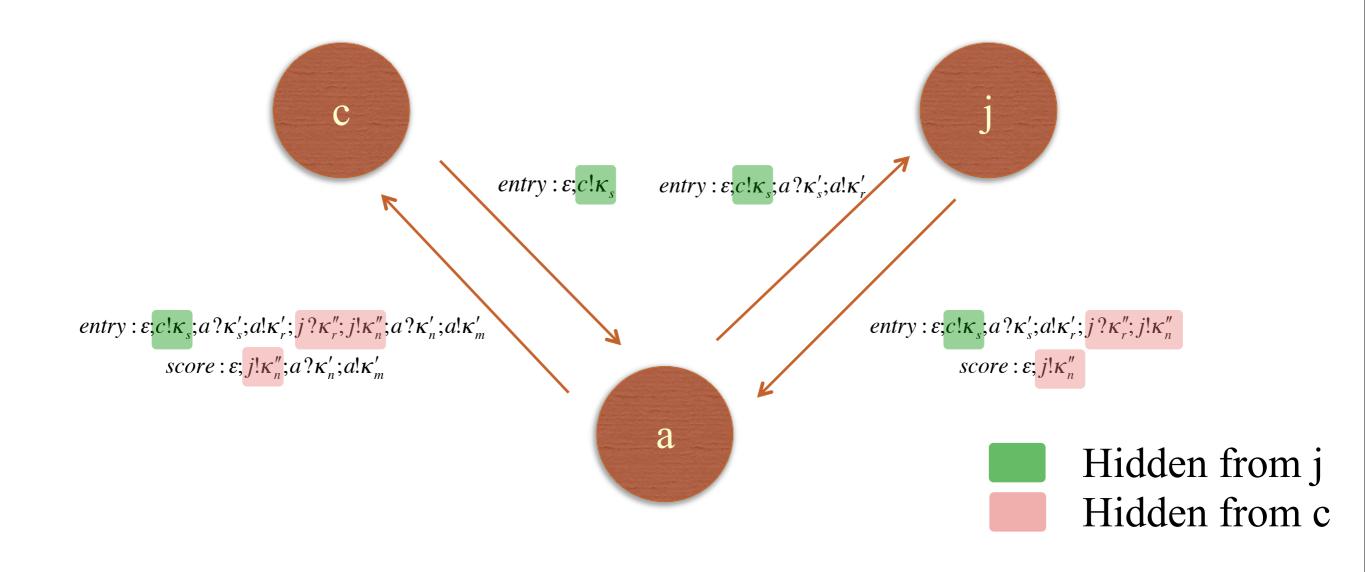














One value, multiple views

Different principals have different views of the same provenance list based on their privileges

entry:  $\varepsilon$ ;  $c!\kappa_s$ ;  $a?\kappa'_s$ ;  $a!\kappa'_r$ ;  $j?\kappa''_r$ ;  $j!\kappa''_n$ ;  $a?\kappa'_n$ ;  $a!\kappa'_m$ 



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a



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С



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j



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a c j

## Inferring probability distributions

- → Examples of applications in trust & security
  - → Estimate trust in an individual or set of individuals
  - → Estimate input distribution of a noisy channel to compute the Bayes risk
  - → Apply the Bayesian approach to hypothesis testing (anonymity, information flow)

→...

### Beta Trust Model



The outcome of an interaction between a principal a and a partner b is either <u>successful</u> or <u>unsuccessful</u>:

$$o \in \{Succ, Fail\}$$

The probability that a partner b interacts successfully with a is governed by the parameter  $\theta$  where:

$$\theta = \Pr(o = Succ)$$

- → Goal: infer (an approximation of) the probability of success
- → Means: Observe sequence of trials (observations)

### Beta Trust Model



- $\rightarrow$  Note that: the behaviour of the partner b represented by  $\theta$  is assumed to be fixed over time.
- The estimated probability of success,  $B(Succ \mid o)$ , at time t is the expected value of  $\theta$  given the sequence of outcomes

$$o = \{o_0, o_1, \dots, o_t\}$$

$$B(Succ \mid o) = E[\theta \mid o]$$





#### → The "Frequentist" method:

$$F(n,s) = \frac{s}{n}$$

#### → The "Bayesian" method:

Assume an *a priori* probability distribution for  $\theta$  (representing your partial knowledge about  $\theta$ , whatever the source may be) and combine it with the *evidence*, using Bayes' theorem, to obtain the *a posteriori* distribution

### A Bayesian approach



Assumption:  $\theta$  is the generic value of a continuous random variable  $\Theta$  whose probability density is a <u>Beta distribution</u> with (unknown) parameters  $\sigma$ ,  $\varphi$ 

$$B(\sigma, \varphi)(\theta) = \frac{\Gamma(\sigma + \varphi)}{\Gamma(\sigma)\Gamma(\varphi)} \ \theta^{\sigma - 1} (1 - \theta)^{\varphi - 1}$$

where  $\Gamma$  is the extension of the factorial function i.e.  $\Gamma(n) = (n-1)!$  for n natural number

- $\Rightarrow$  The uniform distribution is a particular case of Beta, for  $\sigma=1,\ \varphi=1$
- $\Rightarrow$  B( $\sigma$ ,  $\varphi$ ) can be seen as the a posteriori probability density of  $\Theta$  given by a uniform a priori (principle of <u>maximum entropy</u>) and a trial sequence resulting in  $\sigma$ -1 successes and  $\varphi$ -1 failures.

### The Bayesian Approach



 $\rightarrow$  Following the approach, we have three probability density functions for  $\Theta$ :

 $\Rightarrow B(\sigma, \varphi)$ : the "real" distribution of  $\Theta$ 

⇒ $B(\alpha, \beta)$  : the *a priori* (our estimate of the distribution of  $\Theta$ )

 $\Rightarrow B(s + \alpha, f + \beta)$ : the a posteriori

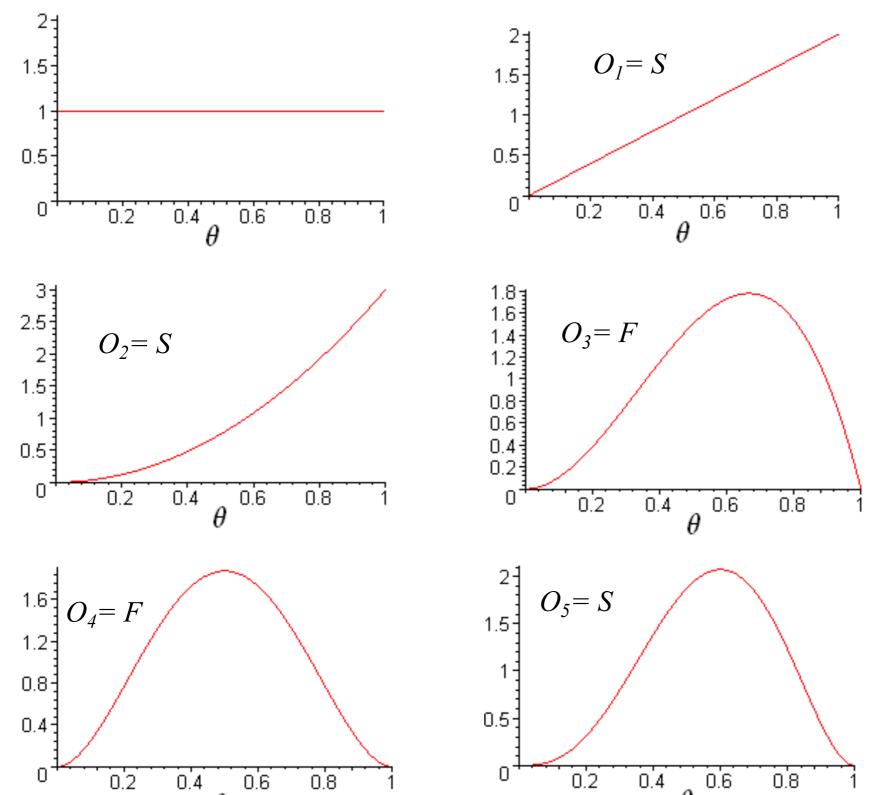
(the distribution of  $\Theta$  after the trials)

The result of the mean-based algorithm is:

$$A_{\alpha,\beta}(n,s) = E_{B(s+\alpha,f+\beta)}(\Theta) = \frac{s+\alpha}{s+f+\alpha+\beta} = \frac{s+\alpha}{n+\alpha+\beta}$$

### Trust Inference Process

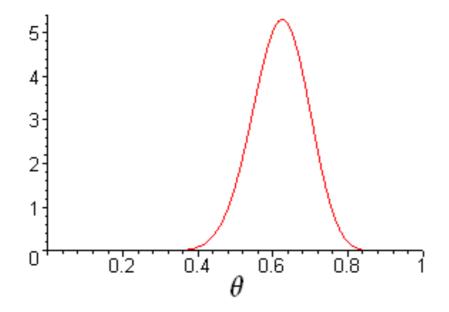




### Trust Inference Process



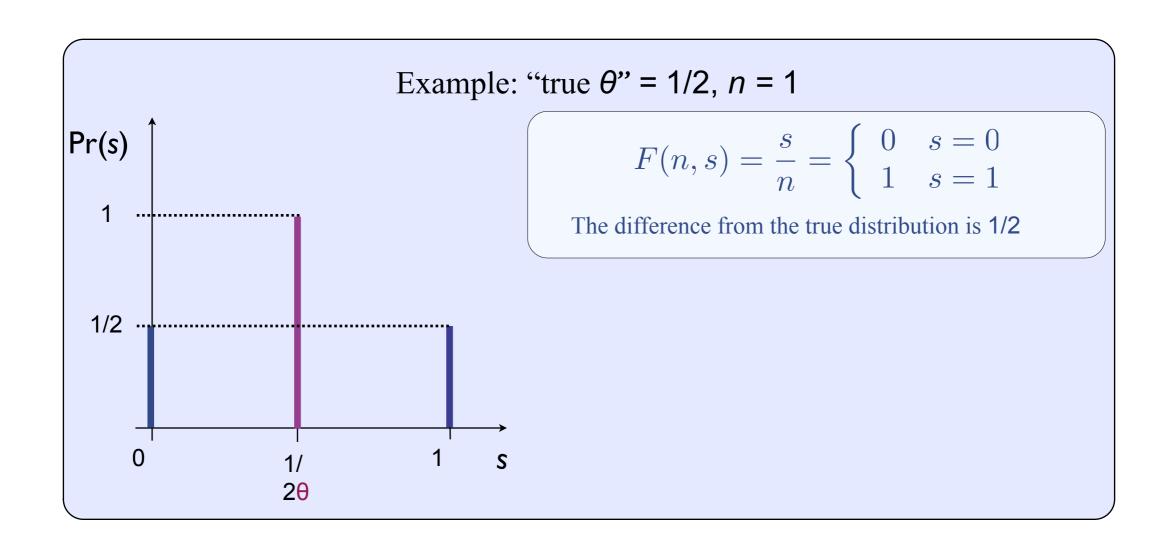
# The distribution of $\theta$ after 40 interactions 25 Successful and 15 Failed







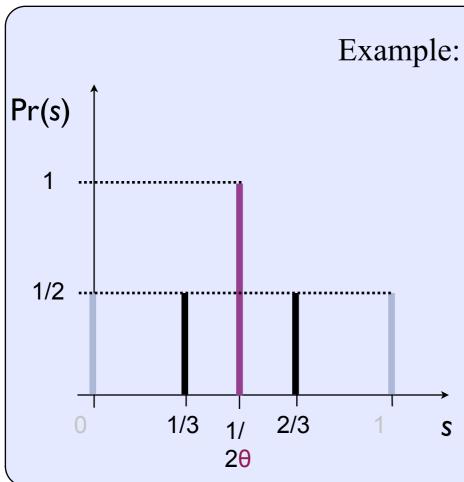
The Frequentist approach can be worse than the Bayesian approach even when the trials give a "good" result, or when we consider the average difference (from the "true"  $\theta$ ) wrt all possible results







The Frequentist approach can be worse than the Bayesian approach even when the trials give a "good" result, or when we consider the average difference (from the "true"  $\theta$ ) wrt all possible results



Example: "true  $\theta$ " = 1/2, n = 1

$$F(n,s) = \frac{s}{n} = \begin{cases} 0 & s = 0\\ 1 & s = 1 \end{cases}$$

The difference from the true distribution is 1/2

A better function would be

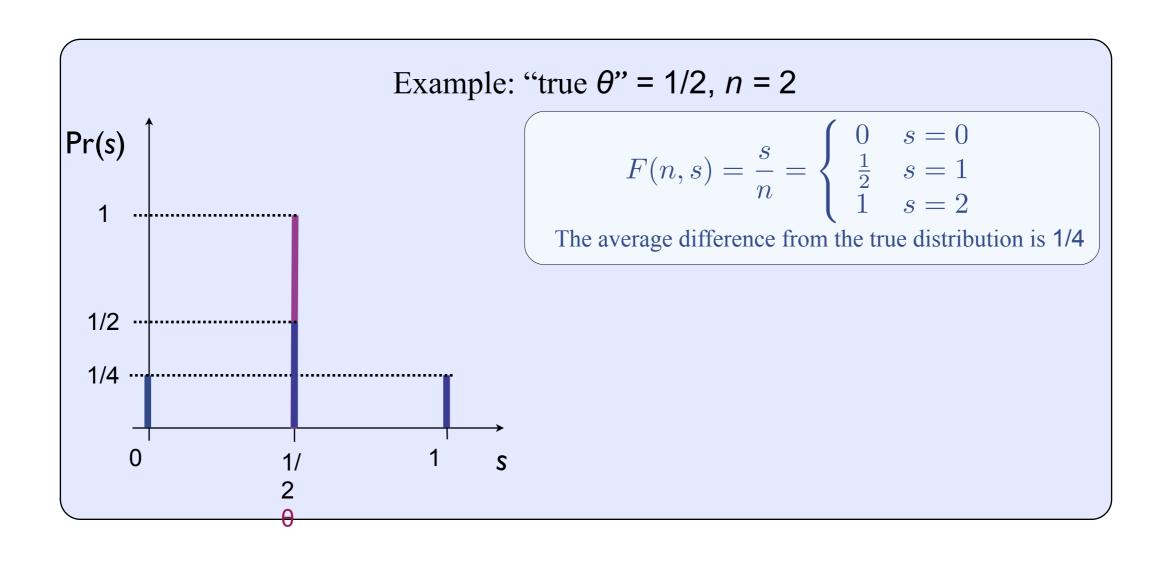
$$F_c(n,s) = \frac{s+1}{n+2} = \begin{cases} \frac{1}{3} & s=0\\ \frac{2}{3} & s=1 \end{cases}$$

The difference from the true distribution is 1/6





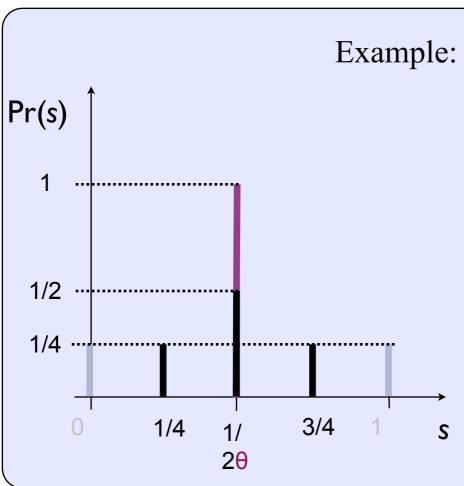
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Example: "true  $\theta$ " = 1/2, n = 2

$$F(n,s) = \frac{s}{n} = \begin{cases} 0 & s = 0\\ \frac{1}{2} & s = 1\\ 1 & s = 2 \end{cases}$$

The average distance from the true distribution is 1/4

Again, a better function would be er function would be  $F_c(n,s) = \frac{s+1}{n+2} = \begin{cases} \frac{1}{4} & s=0\\ \frac{1}{2} & s=1\\ \frac{3}{4} & s=2 \end{cases}$ 

$$\frac{3}{4} \quad s = 2$$

The average distance from the true distribution is 1/8

# Measuring the precision of Bayesian algorithms



- $\rightarrow$  Define a "difference"  $D(A(n,s), \theta)$  (not necessarily a distance)
  - → non-negative
  - $\Rightarrow$  zero iff  $A(n,s) = \theta$

- → Consider the expected value  $D_E(A,n,\theta)$  of  $D(A(n,s),\theta)$  with respect to the likelihood (the conditional probability of  $s \mid \theta$ )
- ⇒ Risk of A: the expected value R(A,n) of  $D_E(A,n,\theta)$  with respect to the "true" distribution of  $\Theta$

$$D_E(A, n, \theta) = \sum_{s=0}^{n} Pr(s \mid \theta) D(A(n, s), \theta)$$

$$R(A, n) = \int_0^1 Pd(\theta) D_E(A, n, \theta) d\theta$$

# Measuring the precision of Bayesian algorithms



We have considered the following candidates for D(x,y) (all of which can be extended to the n-ary case):

- → The norms:
  - $\Rightarrow |x y|$
  - $\Rightarrow |x y|^2$
  - → ...
  - $\Rightarrow |x y|^k$
  - → ...
- → The Kullback-Leibler divergence

$$D_{KL}((y, 1-y) \parallel (x, 1-x)) = y \log_2 \frac{y}{x} + (1-y) \log_2 \frac{1-y}{1-x}$$

# Measuring the precision of Bayesian algorithms



- Theorem. For the mean-based Bayesian algorithms, with a priori B  $(\alpha, \beta)$ , we have that the condition is satisfied (i.e. the Risk is minimum when  $\alpha, \beta$  coincide with the parameters  $\sigma, \varphi$  of the "true" distribution), by the following functions:
  - $\rightarrow$  The 2nd norm  $(x y)^2$
  - → The Kullback-Leibler divergence
- → Surprising that the condition is satisfied by these two very different functions, and not by any of the other norms  $|x y|^k$  for  $k \ne 2$ .
- → It leaves the search open for a measure for assessment and comparison of trust algorithm.

### Potential applications



- $\rightarrow$  We can use  $D_E$  to compare two different estimation algorithms; develop a measure of quality for "decision-making" algorithms
  - ightharpoonup Mean-based vs other ways of selecting a  $\theta$
  - → Bayesian vs non-Bayesian
  - → In more complicated scenarios there may be different Bayesian mean-based algorithms; eg.: noisy channels.

### Potential applications (ctd)



- → D<sub>E</sub> induces a metric on distributions. Bayes' equations define transformations on this metric space from the a priori to the a posteriori.
  - → Study the properties of such transformations to reveal interesting properties of the corresponding Bayesian methods, independent of the a priori.
- → Hypothesis testing (privacy, anonymity, confidentiality, information flow analysis, input distribution analysis, ...):
  - determine (probabilistic) bounds as to what probability-distribution inference algorithm may determine about you, your online activity, your software



#### Limitation of the Beta model

The assumption that a principal behaviour is fixed is not always realistic:

The behaviour of a principal may depend on its internal state which may change over time.



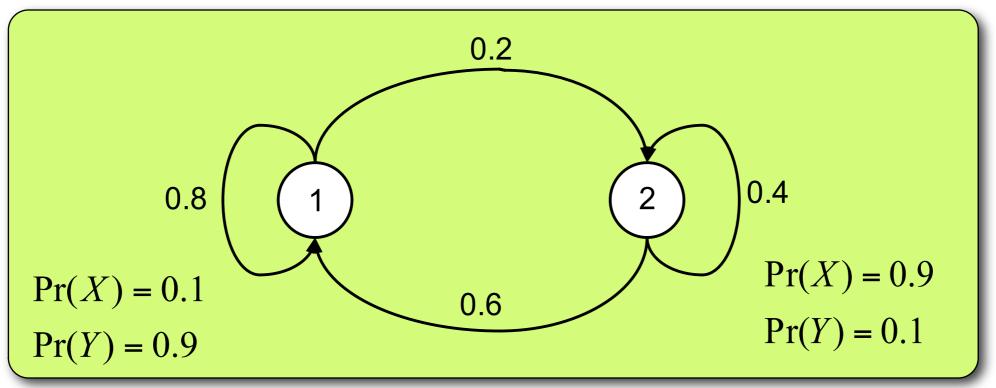
### Modelling Dynamic Behaviour

→ Modelling static behaviour as a probability distribution over outcomes leads to modelling the dynamic behaviour by a *Hidden Markov Model (HMM)*.

→ A single state in an HMM models the system behaviour at a particular time.

### Hidden Markov Model:





$$S = \{1,2\}$$

$$V = \{X,Y\}$$

$$A = \begin{bmatrix} 0.8 & 0.2 \\ 0.6 & 0.4 \end{bmatrix} \qquad B = \begin{bmatrix} 0.9 & 0.1 \\ 0.1 & 0.9 \end{bmatrix}$$

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### A simpler model: Beta with Decay

The probability distribution over outcomes changes over time.

Old observations are given less weight (decayed) than more recent observations.

 $\rightarrow$  Weights of observations are controlled by the decay factor r.



### Beta Trust Model with Decay

Given a decay factor  $0 \le r < 1$  and an observation sequence  $o = \{o_0, ..., o_L\}$  then

$$B_r(Succ \mid o) = \frac{m_r(o) + 1}{m_r(o) + n_r(o) + 2} \qquad B_r(Fail \mid o) = \frac{m_r(o) + 1}{m_r(o) + n_r(o) + 2}$$

where

$$m_r(o) = \sum_{i=0}^{L} r^{L-i} \cdot \delta_{Succ}(o_i)$$
  $n_r(o) = \sum_{i=0}^{L} r^{L-i} \cdot \delta_{Fail}(o_i)$ 

and

$$\delta_x(o) = \begin{cases} 1 & \text{if } x = o \\ 0 & \text{otherwise} \end{cases}$$

### How good is the model?



 $\rightarrow$  Given a dynamic system modelled by an HMM  $\lambda$  we define Beta estimation error as follows

$$\operatorname{Error}(\lambda, r) = E \left[ (B(Succ \mid o) - \alpha)^{2} \right]$$

where r is the decay factor, and α is the real probability that next outcome is Success

## System stability



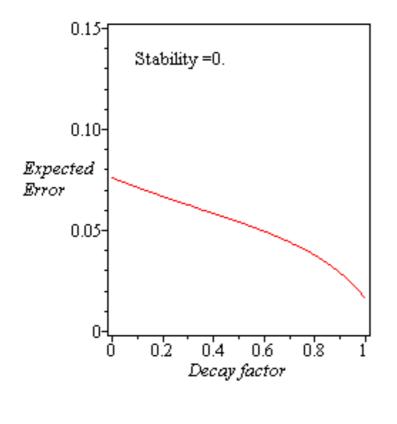
- → System stability is the expected probability of the HMM remaining in the same state.
- → Consider the system modelled by HMM:

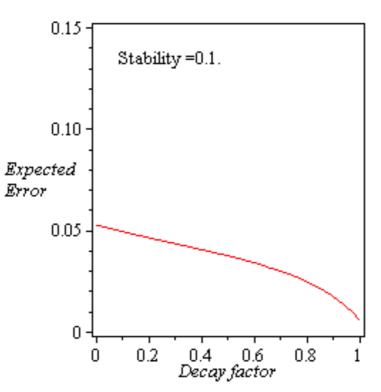
$$A_{\lambda} = \begin{bmatrix} s & \frac{1-s}{3} & \frac{1-s}{3} & \frac{1-s}{3} \\ \frac{1-s}{3} & s & \frac{1-s}{3} & \frac{1-s}{3} \\ \frac{1-s}{3} & \frac{1-s}{3} & s & \frac{1-s}{3} \\ \frac{1-s}{3} & \frac{1-s}{3} & \frac{1-s}{3} & s \end{bmatrix} \qquad \Theta_{\lambda} = \begin{bmatrix} 1.0 \\ 0.7 \\ 0.3 \\ 0.0 \end{bmatrix}$$

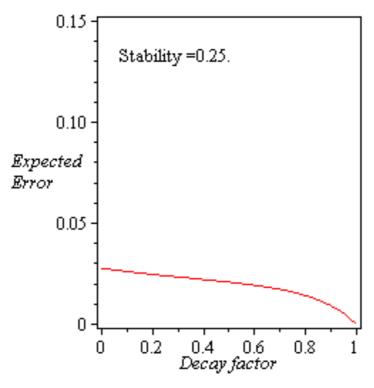
### Unstable system

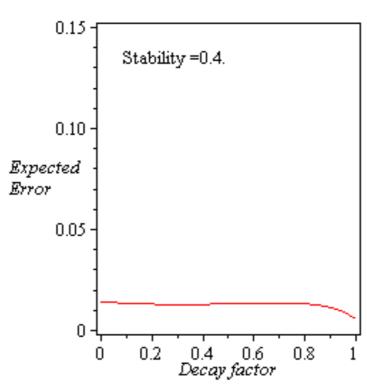
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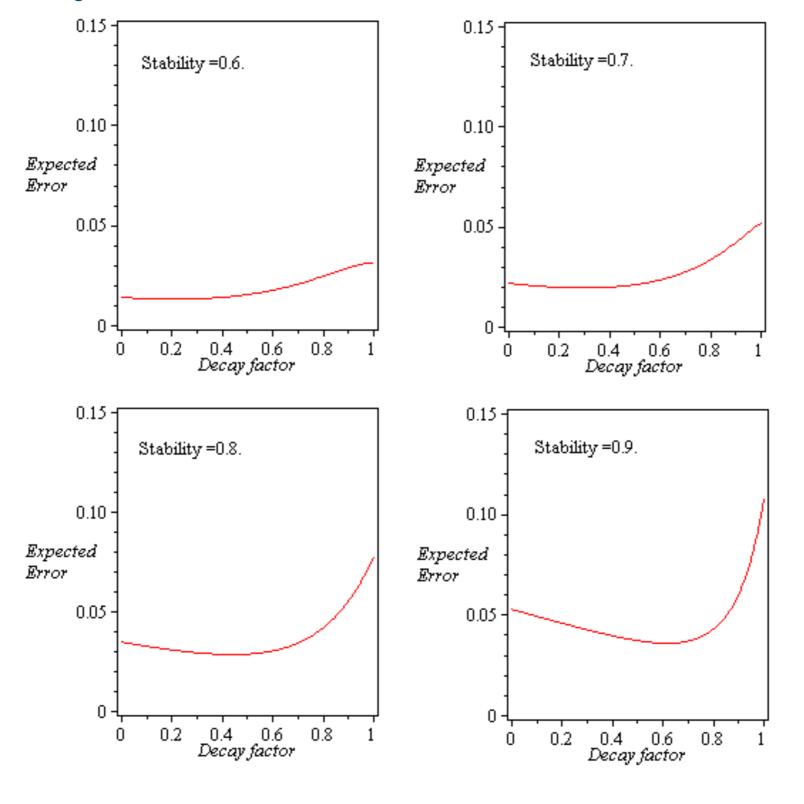




## Stable system



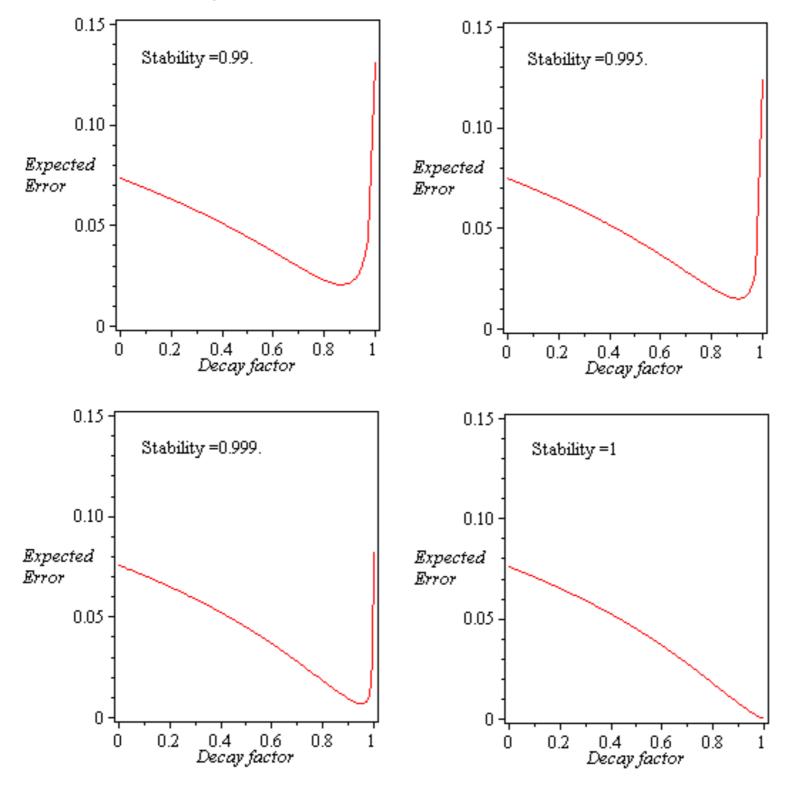
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### Very stable system



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### Conclusion (in general)



A whole wholly-different conception of computing to be developed: hard to talk of "further" work in general

Chiefly, nowhere like here apps w/out sound models are dangerous, and theory without practice is pointless

### Conclusion (in general)



A whole wholly-different conception of computing to be developed: hard to talk of "further" work in general

The gap between *Theory* and *Practice* matters in practice (although it may not matter in theory)

are dangerous, and theory without practice is pointless

### Conclusion (in general)



A whole wholly-different conception of computing to be developed: hard to talk of "further" work in general

The gap between *Theory* and *Practice* matters in practice (although it may not matter in theory)

are dangerous, and theory without practice is pointless

One thing I know: as one cannot "model-check" UbiNet, security & privacy in UbiCom must be coupled with trust

### Conclusion (personal take)



#### in the short term:

- hiding and multiview in provenance trees
- measures suitable to compare trust-algorithms
- reputation in HMMs
- integration of anonymity protocols and trust

#### in the longer term:

- programming language bindings
- data confidentiality and then privacy
- **...**
- • •