

Adaptive feedback analysis and control of programmable stimuli for assessment of cerebrovascular function

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Abstract- The assessment of cerebrovascular regulatory mechanisms often requires flexibly-controlled and precisely-timed arterial blood pressure (ABP) and/or CO₂ changes. In this study, a new system for inducing variations in mean ABP and also to control inhaled CO₂ was designed, implemented and tested using programmable sequences and programmable controls to induce pressure changes through bilateral thigh cuffs and also to switch between air and a CO₂/air mixture provided via a face mask. Adaptive feedback control of a pressure generator was required to meet stringent specification of fast changes, and accuracy in timing and pressure levels applied by the thigh cuffs. The implemented system consists of a PC-based signal analysis/control unit, a pressure control unit and a CO₂/air control unit. Initial evaluations were carried out to compare the cuff pressure control performances between adaptive and non-adaptive control configurations. Results show that the adaptive control method can reduce the mean error in sustaining target pressure by 99.57% and reduce the transient time in pressure increases by 45.21%. The system has proven a highly effective tool in ongoing research on brain blood flow control.

Keywords

Dynamic cerebral autoregulation, programmable stimuli, adaptive feedback system, arterial blood pressure control, thigh cuff technique, CO₂ reactivity.

Glossary of Terms

Symbol	Description	Default setting	Unit
ABP	Arterial blood pressure.	NA	mmHg
EtCO ₂	End Tidal CO ₂ .	NA	mmHg
t ₀	The moment in time at which the ideal pressure signal changes from “high” to “low”.	NA	s
t ₁	The moment in time at which the ideal pressure signal changes from “low” to “high”.	NA	s
Δt ₁	The cooling period.	0.4	s
t _{1_1}	The moment in time at which the cuff pressure level reaches TH (the threshold used when state changes from “low” to “high”).	NA	s
t _{1_2}	The moment in time at $t = t_{1_1} + \Delta t_1$.	NA	s
Δt _s	The adaptation period.	0.1	s
t _{s_1}	The moment at which the cuff pressure level falls and is lower than PTC - Δpe.	NA	s
t _{s_2}	The moment at $t = t_{s_1} + \Delta t_s$.	NA	s
t _{s_3}	The moment at which the cuff pressure level increases and is higher than the pressure level of PTC + Δpe.	NA	s
t _{s_4}	The moment at $t = t_{s_3} + \Delta t_s$.	NA	s
p	The pressure level referred as the “current pressure level” in the method description.	NA	mmHg
Δpe	The error tolerance of the cuff pressure.	2	mmHg
Δp ₀	The pressure decrease factor.	10	mmHg
Δp ₁	The pressure increase factor	20	mmHg
Δp _c	The pressure compensation factor	10	mmHg
PTL	The pressure threshold for the “low” state.	10 (Programmable)	mmHg
PTH	The pressure threshold for the “high” state.	150 (Programmable)	mmHg
PTC	The pressure level referred as the “current pressure threshold” (it can be either TL or TH).	Please refer to TL or TH.	mmHg
RMax	The maximum control level of the regulator.	250	mmHg
RMin	The minimum control level of the regulator.	0	mmHg
P _{error}	The pressure error defined in (6)	NA	mmHg
t _{rd}	The response delay defined in (7)	NA	s

1. Introduction

Control of blood flow in the brain is dominated by the mechanisms of cerebral autoregulation [1] and reactivity to arterial CO₂-level (PaCO₂) changes [2]. The former maintains cerebral blood flow (CBF) relatively constant despite changes in mean arterial blood pressure (ABP) and the latter reflects the strong effects that changes in PaCO₂ can have on CBF. Many previous studies using system identification techniques to investigate CBF regulatory mechanisms were based on spontaneous fluctuations of ABP (as input) and CBF (as output) to extract information about the dynamic properties of cerebral autoregulation in the frequency or time-domain [3, 4, 5], and such modeling has also been extended to CO₂ reactivity [3, 5]. Despite the many advantages of using spontaneous physiological fluctuations in the input and output signals, this approach has several limitations, chiefly the reliability of model based estimates due to poor signal-to-noise ratio and narrow band spectral distributions. To overcome these problems, several different manoeuvres have been proposed, such as the release of compressed thigh cuffs, tilting, changes in posture, hand grip, Valsalva and synchronised breathing [1]. Many of these manoeuvres though require subject cooperation and in general do not provide the continuous stationary changes required by most system identification approaches. Therefore, the need exist for techniques that can induce changes in ABP and PaCO₂, independent of subject cooperation and can also allow precise timing and amplitude of stimulation. Hypercapnia, induced by for example breathing of a 5% CO₂ in air mixture, is also well known to induce temporary impairment of autoregulation [1] and this has been extensively used when assessing methods to measure autoregulation [1, 4, 6].

In 2007 Aaslid et al [7] reported the combined use of three Hokanson¹ units (i.e., a controller, an air source unit and a timer) to drive bilateral thigh cuffs on and off at a constant frequency of 0.05 Hz. Their system did not allow changes in frequency or other controls, and also did not incorporate the ability to assess reactivity to CO₂ changes. Moreover, information about the rise time of the pressure changes and their stability inside the cuff was not provided either.

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A novel design/implementation approach is introduced in this study for a system to assess autoregulation using inflatable cuffs around the thighs, with its pressure management based on closed-loop adaptive feedback control, with simultaneous control of inspired CO₂ levels. The key system operation is to impose changes in ABP through inflation of cuffs, and allow arbitrary changes in pressure (e.g. periodic, non-periodic or pseudo-random) with pressure levels pre-programmed and sustained over prolonged intervals. The system features include the novel design and implementation of the adaptive feedback control mechanism, which contributes to a fast rise time and reduces cuff pressure errors during extended inflations.

Statistical results from the evaluations suggest that the adaptive system is superior to the simple threshold system, in terms of system performances on pressure error and response delay. The results show that the implemented adaptive system can effectively reduce the pressure fluctuations caused for example by air leaking, mechanical compliance in the system, or patient movement.

2. Methods

2.1 System specification

The main system requirements are: a) flexibility in operation (e.g. cuff control and CO₂ delivery controlled separately or combined); b) pre-programmed arbitrary sequences for ABP and/or CO₂ delivery; both amplitude and timing of pressure changes can be programmed; c) fast and accurate pressure control allowing the cuff pressure to change from 10 to 150 mmHg in less than 1.0 s; d) user friendly interface ; e) compliance with strict safety requirements.

2.2 System design and structure

The block diagram of the new programmable control system for evaluations of cerebrovascular function is shown in Fig. 1, consisting of three sub-system blocks: a cuff pressure controller, a CO₂/air controller and a central controller.

The central controller reads the desired control data (e.g. sequence of sample values for pressure and CO₂ level) from a control data file. It compares these data with the measured pressure feedback signals in real-time before sending control

commands to the other two controllers. The central controller comprises a combination of hardware and software components that include a PC, an USB-based analog and digital I/O module USB-1408FS² and Windows-based control software. This controller provides a user-friendly interface platform, which allows an operator to conveniently select data and modify parameters the system running mode. An adaptive feedback control unit is included in this controller to achieve more accurate pressure level control (Section 2.3 for details).

The cuff pressure controller and the CO₂/air controller are two hardware-based control units, which control the cuff pressure and the CO₂ inhalation according to the control commands received from the central controller. Several hardware-based safety measures are included in these two controllers. The cuff pressure controller also forms part of the feedback loop within the adaptive control scheme. The CO₂/air controller selects either pure air or air mixed with CO₂ (typically 5%CO₂ in air) as the gas source supplied to the subject/patient, usually via a facemask, and includes electronically controlled valves and safety features.

2.3 The design and the implementation of adaptive feedback control scheme for the thigh cuff pressure

As shown in Fig. 2, an adaptive feedback control scheme was implemented to control the cuff pressure. The illustrated control structure is based on a modified version of the parallel scheme for model reference adaptive control (MRAC) systems [8], which consists of an inner loop for control state transition management and an outer loop for control case selections and pressure level evaluation. Following initial tests with a simpler control system, the MRAC approach was selected to ensure compliance with the required specifications and overcome limitations of off-the-shelf controllers and valves which may be subject to potential “dead-zone”, backlash and hysteresis effects [9].

The above control model is applied in this study to implement a three-input non-linear control system, which has a control vector with a generalized denotation as follows:

² Measurement Computing Corporation, Norton, MA 02766, USA

$$[\text{Inp}(t)]^T = [\text{P}(t), \text{VI}(t), \text{VD}(t)] \quad (1)$$

where $\text{P}(t)$ is the pressure level of the pressure regulator at time t ; $\text{VI}(t)$ is the inflation valve control input and the $\text{VD}(t)$ is the deflation control input; and the symbol T denotes the transpose operation. The value of $\text{P}(t)$ could range from the RMin (the minimum regulator pressure) to RMax (the maximum regulator pressure). The valve inputs $\text{VI}(t)$ and $\text{VD}(t)$ can be either 1 (open) or 0 (closed).

Before providing details of the states of the control system, an overview will be given. In order to ensure fast inflation, the “over-boost-and-compensate” technique is employed as illustrated in Fig. 3. During the inflation phase, the pressure regulator (Fig. 2) is turned to the maximum level (Rmax) instead of the target pressure (PTH) in order to accelerate inflation, and the inflation valve is opened. When the cuff pressure reaches the PTH , the inflation valve closes, and control signal of the regulator is changed to the minimum level (RMin) to prevent overshoot of the cuff pressure before being set to the PTH . The system then enters the pressure holding phase, where the regulator aims to keep the pressure within a narrow tolerance range of the target. When cuff pressure falls below the range (e.g. due to leakage), the inflation valve opens and a control level higher than the PTH is applied to the regulator in order to increase the cuff pressure. This holding process continues (with a linearly increased control level) until the cuff pressure is brought back to the PTH . When the cuff pressure is above the tolerance range (e.g. due to the patient moving and shifting more weight onto the cuffs), the same holding process will be carried out except that a low control signal is applied to the regulator to bring down the cuff pressure. For deflation of the cuffs in accordance with the drop in target pressure at the end of the holding state, the deflation valve opens to ambient air (a fast, low-resistance pathway) and the deflation valve closes when the desired pressure is reached. No “over-boost-and-compensate” approach is needed or employed during this phase.

The above 3-phase scheme was implemented using an “adaptive inverse approach” [9] with three control states are defined following (1):

$$\text{Inp}(t) = \begin{cases} \text{Inp}_{10}(t), & \text{transient state: } S_{10}(\text{cuff deflation}) \\ \text{Inp}_{01}(t), & \text{transient state: } S_{01}(\text{cuff inflation}) \\ \text{Inp}_{\text{hd}}(t), & \text{holding state: } S_{\text{hd}}(\text{stable pressure desired}) \end{cases} \quad (2)$$

Each of these three control states further contains several control cases, as shown in (3)-(5). The details of the control cases and the parameters used in these equations are provided in Table 1.

$$[\text{Inp}_{10}(t)]^T = \begin{cases} [\text{PTH}, 0, 0], & \text{Case_0_1} \\ [\text{PTL}, 1, 1], & \text{Case_0_2} \\ [\text{PTL}, 0, 0], & \text{Case_0_3} \end{cases} \quad (3)$$

$$[\text{Inp}_{01}(t)]^T = \begin{cases} [\text{PTL}, 0, 0], & \text{Case_1_1} \\ [\text{RMax}, 1, 0], & \text{Case_1_2} \\ [\text{RMin}, 0, 0], & \text{Case_1_3} \\ [\text{PTH} + \Delta p_c, 0, 0], & \text{Case_1_4} \end{cases} \quad (4)$$

$$[\text{Inp}_{hd}(t)]^T = \begin{cases} [\text{TC}, 0, 0], & \text{Case_h_1} \\ [\text{TC} + \Delta p_1, 1, 0], & \text{Case_h_2} \\ [\text{TC} + \Delta p_1 + 20(t - t_{s_2}), 1, 0], & \text{Case_h_3} \\ [\text{TC} - \Delta p_0, 1, 0], & \text{Case_h_4} \\ [\text{TC} - \Delta p_0 - 20(t - t_{s_4}), 1, 0], & \text{Case_h_5} \end{cases} \quad (5)$$

In Fig.3 a), data recorded from a healthy volunteer are used to illustrate these three control states, whilst the control cases defined in equation (4) are illustrated in the zoomed screen image in Fig.3 b). The logic chart shown in Fig.4 shows the logical controls in equation (5), which ensures that the impact of every control command is always to diminish the difference between the cuff pressure and the desired pressure. The logic charts for Equations (3) and (4) are similar to Fig.4 but much simpler, which are not illustrated here for simplicity.

The adaptive controller inserts a waiting period of 100ms after every pressure change in equation (5), during which no new pressure change is allowed. This allows the relatively slow regulator to catch up on faster pressure control commands. The waiting period also plays a “damping” role to neutralize any potential oscillations of the pressure control.

Two parameters are used to assess performance.

The first one is the pressure error P_{error} , as defined as:

$$P_{\text{error}} = P_{\text{cuff}} - P_{\text{ideal}} \quad (6)$$

where P_{cuff} is the cuff pressure and P_{ideal} is the ideal pressure signal defined in the control data file.

The second parameter t_{rd} is defined in the time domain as the response delay for pressure edge changes, as in the following equation:

$$t_{\text{rd}} = t_{\text{ct}} - t_{\text{it}} \quad (7)$$

where t_{it} is the time moment when the P_{ideal} changes to the targeted pressure level (i.e. PTH or PTL) and t_{ct} is the moment when the P_{cuff} actually reaches this level.

For the purposes of evaluation, the performance of the adaptive controller was compared with an alternative, simple implementation, in which inflation and the holding state was controlled only by step-wise changes in the pressure regulator input. This will be denominated simple threshold control.

2.5 The safety considerations and safety measures implemented

The recommended pressure level range from the European Society of Hypertension [10] (originally for the purpose of blood pressure measurement) were used to guide the safety specifications of the new system.

The implemented safety measures can be summarized as follows:

- If power is interrupted, cuffs will deflate and pure air is provided to the face-mask, based on the ‘normally open/closed’ characteristics of each valve.
- Basic pressure level protection is provided by the safety valve as shown in Fig. 1. This valve automatically opens to release the air if the pressure of the regulator persistently exceeds 200 mmHg. This protection is designed to be triggered by prolonged high pressure levels, rather than short transients as may occur during regulator action.
- If any instantaneous pressure at the output of the regulator reaches the 290 mmHg, the system will be forced into the reset state (cuffs are deflated and

air is provided to the face-mask). A hardware circuit and software functions work in parallel, and both can trigger this reset state.

- The cuff pressure is constantly monitored through the cuff pressure transducer and is adaptively controlled. If, for any reason, the cuff pressure reaches a pre-set threshold (default of 250 mmHg), the system will deflate the cuff and then force the central controller into a reset state.
- CO₂/air pressure level protection is provided by a safety valve (Fig. 1) connected to the CO₂ bottle. This valve automatically opens to release the air if the inspiratory CO₂/air pressure reaches 2.5 cmH₂O (1.84 mmHg).
- The central controller generates a 50Hz watchdog clock (0-5v square wave) and sends the signal to a hardware monitoring circuit. If the clock signal is interrupted for longer than 160ms (e.g. by software error), the system will deflate the cuffs and force the central controller into a reset state.
- The system was tested for electrical safety by independent assessors, according to the IEC 60601-1 standard.

2.6 Evaluation procedures

The evaluations in this study are focused on the implementation improvements of the cuff pressure, rather than the physiological effects caused by the pressure changes which have been reported elsewhere [11]. Experiments were carried out to achieve the following objectives: a) to examine the ability of the system to compensate for non-linearity control effects and unpredictable variations of cuff pressure; b) to statistically evaluate the error between the target and cuff pressures; c) to assess the system delay in imposing pressure changes.

The evaluation data were recorded from a healthy volunteer (56-year old male). The cuffs were placed around the thighs of the volunteer and two pre-programmed “ideal” control sequences (sampled at 1 Hz) were used to generate dynamic pressure changes. The first was a ‘low frequency’ square wave signal with its control cycle containing a 29-s “low” pressure state (10 mmHg) followed by a 29-s “high” pressure state (150 mmHg). The second was a ‘high frequency’ sequence

containing a 10-s “low” state followed by a 10-s “high” state. The lengths of the two sequences were 1693 s and 1290 s, respectively. These two sequences were used to test the impact of the duration of holding states on the pressure error P_{error} .

Each of the two target signals was then used to control the cuffs, using both the adaptive and the simple pressure control schemes.

Institutional ethics approval was obtained to conduct above experiments and written informed consent was given by the volunteer before the experiments were performed.

2.7 Data acquisition

Analogue cuff pressure signal was obtained from the pressure transducer shown in Fig.1 and the target signal was obtained from the input to the output of the central controller (USB-1408FS). An A/D unit based on a DT-301 data acquisition board³ was used to acquire above-mentioned analogue signals. Unless otherwise stated, all the data acquisitions were carried out using a system sampling frequency of 500 Hz and then re-sampled at 50Hz. Matlab⁴-based programs were written and used to analyze the acquired data for all the evaluation purposes in this study.

3. Results

Cuff pressure data corresponding to a typical step with and without adaptive control and after signal alignment are illustrated in Fig.5, together with the corresponding ideal pressure signal.

Table 2 and Fig.6 present the distributions of P_{error} , for the four recordings, showing a substantial reduction of the pressure error when the adaptive system is used, in comparison with the simple threshold case, for both target sequences.

Table 2 also provides the error breakdown for both the high- and the low-pressure holding states (see Fig. 3a). The pressure error for the low state ($S_{\text{hd}}(0)$) did not show significant differences between the two system configurations, but in

³ Data Translation GmbH, Im Weilerlen 10, 74321 Bietigheim-Bissingen, Germany.

⁴ MathWorks, 3 Apple Hill Drive, Natick, MA, USA.

holding high state ($S_{hd}(1)$) there was a dramatic reduction in error due to the use of adaptive feedback instead of the simple threshold system. The use of adaptive feedback also halved the time delay for the rising edge of the cuff pressure, but had no significant effect on the falling edge of the pressure signal (Table 2). The results for the “holding-high” state show that the adaptive system outperformed the simple threshold system with significantly improved means and standard deviations. The error improvements can be estimated using the percentage of the mean difference such as $(M1-M2)/M1= 99.57\%$ and $(M3-M4)/M3=98.02\%$, corresponding to the low- and high-frequency control signal cases, respectively.

4. Discussion

From the set of results it is clear that the adaptive feedback controller implemented provided much more accurate and fast pressure changes than the more straightforward simple feedback threshold method. The latter led to a pressure decline during the holding phase that could reach 15% in our experiments. This lower value at the end of the high-pressure phase probably explains the faster return to the low-pressure state noted in Table 2, and is more pronounced for the longer holding phase. The exact reasons that the ‘high’ pressure is not maintained by the simple threshold method are not entirely clear, but are possibly a combination of air leaks, compliance in the system (including cuffs), and the resulting uneven dynamic pressure distributions.

It can also be seen from the results that the pulse repetition frequency of the control signal has an effect on the error distributions. For example, when a lower frequency was applied the error distribution deteriorated for the simple threshold system but the distribution improved for the adaptive system. Further investigations reveal that both the deterioration and the improvement were mainly due to the pressure data obtained from the longer “high state” duration, during which the “pressure drifting effect” became deteriorated with the simple controller.

To effectively evaluate the performances of the two systems, periodical control signals (i.e., control signals with a constant pulse length) were used in the evaluations in this study. In separate studies on blood pressure variations resulting

from the application of the thigh-cuffs [11], pseudo-random control sequences were used, which confirmed the suitability of the system for clinical and physiological studies.

5. Conclusions and Future Work

A programmable adaptive feedback control system for cerebral autoregulatory evaluations was designed and developed in this study. The system was implemented to flexibly change the pressure level of a pair of thigh cuffs and the supply of CO₂, which could be used as programmable stimuli in studies of autogulation. Adaptive feedback control theory was applied to alter and maintain the pressure level of the thigh cuffs, using the arbitrary logical sequences stored in control files as the “ideal” control inputs. A numbers of safety measures were included to insure that the pressure and CO₂ are safely supplied.

Purposely planned experiments were carried out in this study to compare the pressure control performances of the implemented adaptive system against those of a “simple threshold” system based on a straightforward threshold control method. The two systems were tested on a healthy volunteer to evaluate their performances as regards pressure control and delay in changing pressure. The evaluation results demonstrated that the adaptive system significantly improved the pressure error distributions with much ameliorated means and variances in the errors. They also show that the adaptive system outperformed the simple threshold system with significantly improved response time for the pressure changes containing rising edges. Extensive subsequent studies on human volunteers have confirmed the effectiveness of the design and implementation.

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Table 1 Control states, control cases, conditions and actions
(please refer to the Glossary of Terms for the descriptions of the symbols)

Control State	Control Case	Conditions	Control Vector	Control Actions
S_01 state (cuff inflation)	Case_0_1	$t < t_0$	[PTH, 0, 0]	There is no valve action before $t = t_0$.
	Case_0_2	$t \geq t_0$ and $p > PTL$	[PTL, 1, 1]	Both the inflation and deflation valves are open to reduce both the cuff pressure and the regulator pressure.
	Case_0_3	$t \geq t_0$ and $p \leq PTL$	[PTL, 0, 0]	The inflation and the deflation valves are closed to maintain the cuff pressure.
S_10 state (cuff deflation)	Case_1_1	$t < t_1$	[PTL, 0, 0]	There is no valve action before $t = t_1$.
	Case_1_2	$t \geq t_1$ and $p < PTH$	[RMax, 1, 0]	Regulator pressure is changed to high and the inflation valve is open.
	Case_1_3	$t \geq t_1$ and $t < t_1_2$ and $p \geq PTH$	[RMin, 0, 0]	Regulator pressure is changed to low during a “cooling period” (default = 0.4s), to compensate the delayed non-linear reaction from the regulator.
	Case_1_4	$t \geq t_1_2$ and $p \approx TH$	[PTH, 0, 0]	The pressure control is switched back to TH, so that the regulator can quickly response to any adaptive controls in the following maintenance state.
Holding states including: S_hd(0) state (holding low) and S_hd(1) state (holding high)	Case_h_1	$ p - PTC < \Delta p_e$	[PTC, 0, 0]	There is no action when the pressure error can be tolerated.
	Case_h_2	$t \geq t_{s_1}$ and $t < t_{s_2}$ and $p < (PTC - \Delta p_e)$	[PTC + Δp_1 , 1, 0]	The regulator pressure is increased and the increased pressure is passed to the cuff through the inflation valve that is open.
	Case_h_3	$t \geq t_{s_2}$ and $p < (PTC - \Delta p_e)$	[PTC + $\Delta p_1 + 20(t - t_{s_2})$, 1, 0]	The regulator pressure increases linearly, to compensate the dropping cuff pressure. The pressure level is capped by RMax.
	Case_h_4	$t \geq t_{s_3}$ and $t < t_{s_4}$ and $p > (PTC + \Delta p_e)$	[PTC - Δp_0 , 1, 0]	The regulator pressure is decreased and the decreased pressure level is passed to the cuff through the inflation valve that is open.
	Case_h_5	$t \geq t_{s_4}$ and $p > (PTC + \Delta p_e)$	[PTC - $\Delta p_0 - 20(t - t_{s_4})$, 1, 0]	The regulator pressure decreases linearly, to compensate the rising cuff pressure. The pressure level is capped by RMin.

Table 2 The means and standard deviations of the pressure error and the response delay in four recordings

	Recording 1: Simple threshold system with low-frequency ideal signal	Recording 2: Adaptive system with low-frequency ideal signal	Recording 3: Simple threshold system with high-frequency ideal signal	Recording 4: Adaptive system with high-frequency ideal signal
	Mean/Standard deviation M1/Std1	Mean/Standard deviation M2/Std2	Mean/Standard deviation M3/Std3	Mean/Standard deviation M4/Std4
Overall pressure error	-9.47/20.20 (mmHg)	0.39/15.18 (mmHg)	-12.69/32.03 (mmHg)	-0.79/25.71 (mmHg)
Pressure error for the S_hd(0) state (holding low)	2.94/1.05 (mmHg)	2.18/0.36 (mmHg)	-1.26/0.77 (mmHg)	2.28/0.44 (mmHg)
Pressure error for the S_hd(1) state (holding high)	-18.78/2.92 (mmHg)	-0.08/0.71 (mmHg)	-15.13/4.11 (mmHg)	-0.30/1.12 (mmHg)
Response delay for the S_01 state (rising edge)	1909/44 (ms)	1046/20 (ms)	1864/70 (ms)	985/29 (ms)
Response delay for the S_10 state (falling edge)	1293/40 (ms)	1311/33 (ms)	1170/66 (ms)	1294/55 (ms)

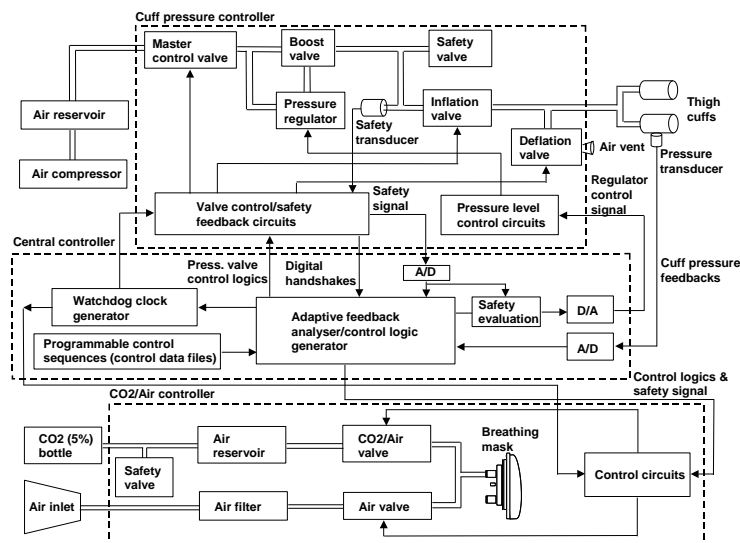


Fig.1 The block diagram of the programmable adaptive feedback control system

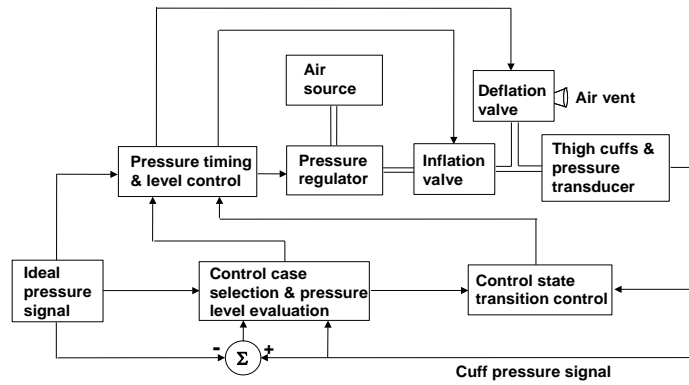
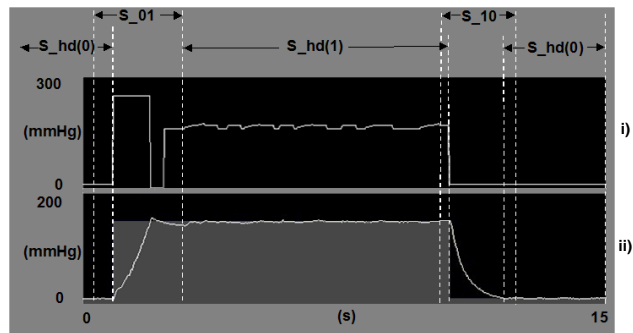
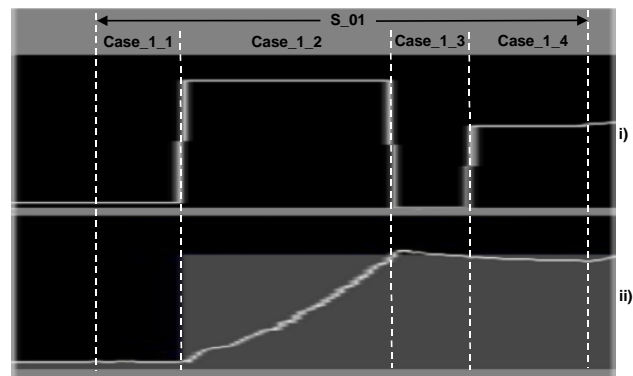


Fig.2 The block-diagram of the adaptive feedback control scheme (cuff pressure control)



a)



b)

Fig.3 The illustration of control states and control cases using data recorded from a healthy volunteer. a) The control states are shown as follows (some of the states are overlapped with adjacent states): S_01 and S_10 denote the cuff inflation and the cuff deflation states; S_hd(0) and S_hd(1) represent the pressure holding states for low and high pressure levels. The control signal of the regulator is shown in the upper image i). The recorded cuff pressure signal (white line) and the ideal cuff pressure (grey-colored areas) are displayed in the lower image ii). b) This is a zoomed version of the state S_01 that has been illustrated in a), containing the four control cases defined as Case_1_1 to Case_1_4 in equation (4).

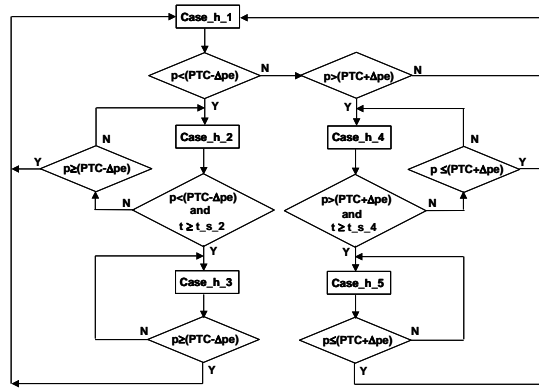


Fig.4 The logical chart of the control cases described in equation (5). Please refer to Tables 1 for details of the control cases and control parameters.

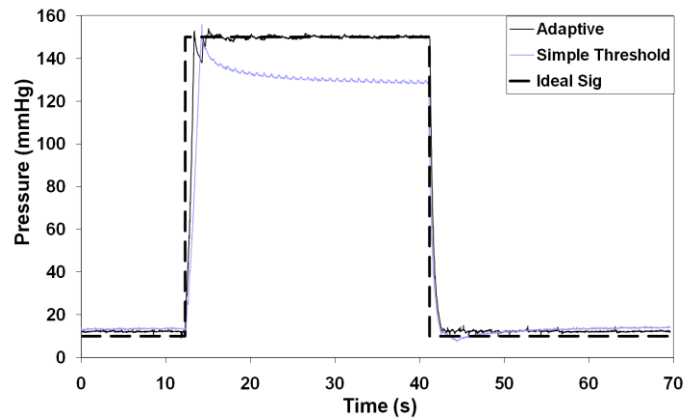


Fig.5 A typical example to compare performances of the cuff pressure control between the adaptive and the simple threshold systems: the resulted cuff pressure from the adaptive control system was much closer to the ideal (target) signal, with a faster rise-time and without the downward drift. These data were obtained from Experiments 1 (simple threshold system driven by the low-frequency ideal signal) and 3 (adaptive system driven by the low-frequency ideal signal))

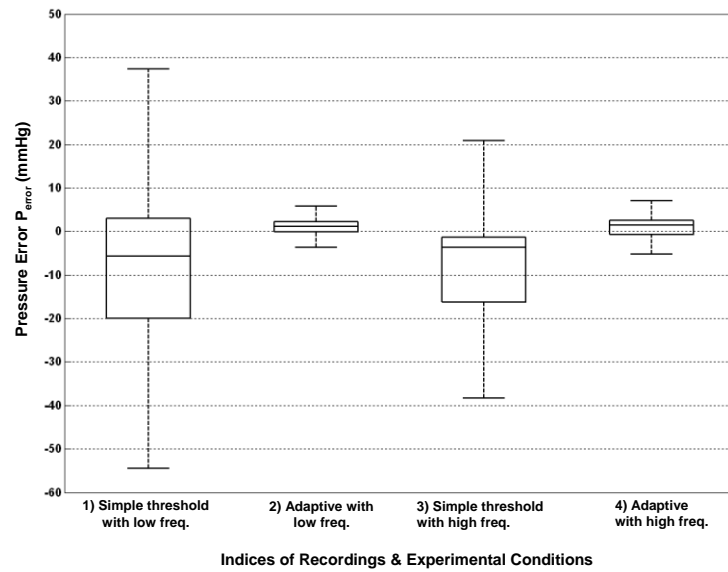


Fig.6 The distribution of cuff pressure error P_{error} for all the four recordings, showing quartiles, median and minimum and maximum values. Details of the experimental conditions for the four recordings are as follows: 1) simple threshold system driven by the low-frequency target signal (data length: 1693s); 2) adaptive system driven by the low-frequency target signal (data length: 1693s); 3) simple threshold system driven by the high-frequency target signal (data length: 1290s); 4) adaptive system driven by the high-frequency target signal (data length: 1290s). Improved performance is clearly evident.