1	Radial and Local Time structure
2	of the Saturnian Ring Current, revealed by Cassini
3	
4	N. Sergis <sup>1</sup> , C. M. Jackman <sup>2</sup> , M.F. Thomsen <sup>3</sup> , S. M. Krimigis <sup>1,4</sup> , D. G. Mitchell <sup>4</sup> ,
5	D. C. Hamilton <sup>5</sup> , M. K. Dougherty <sup>6</sup> , N. Krupp <sup>7</sup> , R. J. Wilson.
6	
7	<sup>1</sup> Office of Space Research and Technology, Academy of Athens, Athens, GR.
8	<sup>2</sup> School of Physics and Astronomy, University of Southampton, Southampton, UK.
9	<sup>3</sup> Planetary Science Institute, Tucson, Arizona, USA.
10	<sup>4</sup> Applied Physics Laboratory, Johns Hopkins University, Laurel, MD, USA.
11	<sup>5</sup> Department of Physics, University of Maryland, College Park, MD, USA.
12	<sup>6</sup> Blackett Laboratory, Imperial College London, London, UK.
13	<sup>7</sup> Max Planck Institute for Solar System Research, Goettingen, Germany.
14	<sup>8</sup> Laboratory for Atmospheric and Space Physics, University of Colorado, Boulder, CO
15	USA.
16	
17	
18	
19	
20	
21	
22	
23	
24	
25	
26	
27	
28	
29	
30	
31	
32	

### **Abstract**

We analyze particle and magnetic field data obtained between July 2004 and December 2013 in the equatorial magnetosphere of Saturn, by the Cassini spacecraft. The radial and local time distribution of the total (thermal and suprathermal) particle pressure and total plasma beta (ratio of particle to magnetic pressure) over radial distances from 5 to 16 Saturn radii (Rs=60,258 km) is presented. The average azimuthal current density J<sub>0</sub> and its separate components (inertial, pressure gradient and anisotropy) are computed as a function of radial distance and local time and presented as equatorial maps. We explore the relative contribution of different physical mechanisms that drive the ring current at Saturn. Results show that (a) the particle pressure is controlled by thermal plasma inside of  $\sim$ 8 Rs and by the hot ions beyond  $\sim$ 12 Rs, exhibiting strong local time asymmetry with higher pressures measured at the dusk and night sectors; (b) the plasma beta increases with radial distance and remains >1 beyond 8-10 Rs for all local times; (c) the ring current is asymmetric in local time and forms a maximum region between ~7 and ~13 Rs, with values up to 100-115 pA/m<sup>2</sup>; (d) the ring current is inertial everywhere inside of 7 Rs, exhibits a mixed nature between 7 and 11 Rs and is pressure gradient driven beyond 11 Rs, with the exception of the noon sector where the mixed nature persists. In the dawn sector, it appears strongly pressure gradient driven for a wider range of radial distance, consistent with fast return flow of hot, tenuous magnetospheric plasma following tail reconnection.

### 1. Introduction

65

96

66 Saturn is a rapidly revolving planet (period of ~10.8 hr) with a relatively strong intrinsic 67 magnetic field (~21000 nT on the surface near the equator) and significant internal 68 plasma sources (e.g. planetary atmosphere, rings, Enceladus). The magnetic and particle 69 pressure deflect the solar wind flow forming a large magnetosphere with a "nose" stand-70 off distance of 20-28 R<sub>S</sub> (1 R<sub>S</sub>=60,258 km), that holds a complex and dynamic electric 71 current system. Part of this global system is the current that flows in the azimuthal 72 direction around the planet, usually referred to as the "ring" current. 73 In such a fast rotating magnetosphere with a non-homogeneous plasma distribution, the 74 total azimuthal current that flows very close to the equatorial plane, can be viewed as the 75 sum of three components: i) the inertial drift of the near-corotating plasma (i.e. the 76 inertial current), ii) the gradient of the perpendicular plasma pressure, present principally 77 along the radial direction (i.e. the pressure gradient current) and iii) the anisotropy of the 78 plasma pressures parallel and perpendicular to the field lines in the presence of field 79 curvature (i.e. the anisotropy current). 80 The ring current plays a key role in the magnetosphere-ionosphere coupling in Saturn. Its 81 azimuthal asymmetry is associated with the topology and strength of the field aligned 82 currents. The dynamic interaction between these two current systems certainly affects, 83 and could in some degree drive, the short time periodic variability, that although well 84 observed in several magnetospheric properties, is still imperfectly understood. 85 The Saturnian azimuthal current is carried by magnetospheric charged particles, primarily 86 water product ions (W+) and protons (H+), distributed in radial distances between ~8 and 87 ~15 R<sub>S</sub>, and characterized by an increased suprathermal (>3 keV) particle pressure, high (1-10) plasma beta (ratio of particle to magnetic pressure), and intense dynamic behavior. 88 89 It was originally detected indirectly by its effect (depression) on the planetary magnetic 90 field [Ness et al., 1981, 1982; Connerney et al., 1981, 1983] and directly, yet partially, 91 measured by particle sensors [Krimigis et al., 1981, 1983; Mauk et al., 1985] during the 92 Voyager 1 and 2 flybys. A magnetic "signature" of the Saturnian ring current was also 93 present in the measurements obtained during the 1979 Pioneer-11 encounter [Connerney 94 et al., 1984; Davis et al., 1990]. However, only much later, Bunce et al. [2003] were able 95 to confirm that these magnetic perturbations were similar to those seen during the

Voyager passes, further suggesting that the ring current must have been closer to the

planet during the Pioneer-11 flyby, as a result of a more compressed magnetospheric stateduring this pass.

99

100

101

102

103

104

105

106

107

108

109

110

111

112

113

114

115

116

117

118

119

120

121

122

123

124

125

126

127

Since Cassini started orbiting Saturn in July 2004, the azimuthal current has been observed in much greater detail. Bunce et al. [2007] studied the Saturnian ring current using magnetic field measurements and an axisymmetric magnetic field model [Connerney et al., 1983], and argued that the azimuthal current is primarily inertial. Kellett et al. [2010, 2011] used the same magnetic field model but also included particle data from 11 Cassini orbits. They concluded that the ring current density peaks of ~90  $pA/m^2$  at  $\sim 9$  R<sub>S</sub>, falls gradually (as 1/r) to below  $\sim 20$   $pA/m^2$  at 20 R<sub>S</sub> and does not vary significantly with local time. They also argued that the pressure gradient current is the most important component beyond 12 Rs, and that in the innermost region (inside of 6 Rs) the dominant inertial current can be significantly reduced by the pressure anisotropy current component. Sergis et al. [2007, 2010] and Krimigis et al. [2007] analyzed magnetic field, thermal plasma and energetic particle measurements, and showed that the azimuthal current density develops a maximum of 100-150 pA/m<sup>2</sup> between 8 and 12 Rs and drops with increasing radial distance faster than the 1/r rate previously derived. They further demonstrated that the Saturnian ring current is primarily inertial inside of ~8 R<sub>S</sub> becoming increasingly pressure gradient driven and significantly more variable at its maximum region and beyond, especially during hot plasma injection events, when the suprathermal pressure increases and the local mass density is lower. The observed variability was attributed mainly to the energetic particle pressure contribution that was proven far more variable than initially assumed and modeled, but also to the plasma interchange instability events, commonly observed by Cassini in the region between 6 and 12 Rs [Burch et al., 2005; Hill et al., 2005; Mauk et al., 2005; Paranicas et al., 2007; Chen et al., 2008; Rymer et al., 2009; Kennelly et al., 2013; Thomsen et al., 2013, 2014]. In terms of ion composition and relative ion species contribution to the total pressure and to the ring current density, both thermal and hot plasma data [Sergis et al, 2009; Thomsen et al.. 2010] indicate that the relative contribution of the heavier W+ ion population (translated to nearly 70% O+), is most of the time greater than 50%, not surprising given that the ring current resides at the central, equatorial region of the fast rotating, diskshaped plasma sheet.

128 Corroborating the results from *in-situ* Cassini data, wide-angle Energetic Neutral Atom 129 (ENA) monitoring by the Ion and Neutral Camera (INCA) on Cassini, confirmed that the 130 hot component of the ring current is a non-uniform structure [Krimigis et al, 2007; Carbary et al., 2008b; Sergis et al., 2009], indicating that long-term measurements can 131 132 only describe its average state, particularly as certain magnetospheric properties are also 133 longitude dependent. 134 In addition to studies that focus on data analyses, a variety of model simulations have also been developed to reproduce basic properties of the Saturnian magnetosphere, 135 136 including the pressure and ring current distributions. Achilleos et al. [2010] introduced a 137 model of force balance with thermal plasma and energetic particle measurements as input 138 and equatorial observations as a boundary condition, to show that Saturn's 139 magnetospheric field can be significantly modified by internal changes in hot plasma 140 pressure. Using magnetic field and particle (thermal and hot plasma) measurements, 141 Brandt et al. [2010] modeled the magnetic field perturbation along a given Cassini orbit 142 and suggested that the asymmetric pressure contribution by energetic particles that are 143 periodically injected inwards and subsequently drift around Saturn, could associate with 144 the magnetic field periodicities in Saturn's magnetosphere. Jia et al. [2012] developed a 145 global MHD model in which they assume a localized vortical flow structure in the 146 southern ionosphere (70° S latitude) that rotates at roughly the rate of planetary rotation. 147 Among other magnetospheric properties, they reproduced the equatorial current density distribution and they found that the azimuthal current density  $J_\phi$  presents a clear local 148 149 time asymmetry at all planetary rotation phases, being higher by a factor of ~2 on the 150 night sector. 151 Soon after Cassini's arrival, it became clear that the Saturnian ring current is not the 152 uniform, symmetric structure assumed by early magnetic field modeling, but its spatial 153 distribution and in particular its dependence on local time has not been fully examined, 154 largely because of incomplete spatial coverage. In this work, we utilize all available 155 magnetic field, thermal plasma and energetic particle data from Cassini magnetometer 156 (MAG), the Cassini Plasma Spectrometer (CAPS) and the Magnetospheric Imaging 157 Instrument (MIMI), obtained between the beginning of the mission (July 2004) and the 158 end of 2013 (mid 2012 for CAPS measurements), and present the radial and local time 159 distribution of average particle pressure, total plasma beta and azimuthal current density in the Saturnian magnetosphere. The results are compared to those from previous studies and further discussed in the context of existing models and proposed interpretations.

162

190

160

161

### 2. Instrumentation and data selection

163 164 Since its arrival at the Saturnian system, Cassini has offered the opportunity of combined 165 in-situ and remote observations. The Cassini Plasma Spectrometer (CAPS) [Young et al., 166 2004] can measure thermal plasma properties (1 eV/e to 50 keV/e for ions and 0.6 eV to 167 28 keV for electrons), while the Magnetospheric Imaging Instrument (MIMI) [Krimigis et 168 al., 2004] measures energetic ions (3 keV to few MeV) and electrons (20 keV to 1 MeV). 169 Thus, the combined CAPS and MIMI use covers essentially the full particle energy 170 distribution (not possible with Pioneer or Voyager), offering in addition species and 171 charge state separation. 172 The calculation of thermal plasma moments (ion number densities, ion temperatures and 173 plasma bulk velocity) is based on numerical integration of the observed ion count rates, 174 as described by *Thomsen et al.* [2010]. Due to field-of-view (FOV) pointing restrictions 175 of the CAPS sensors, it is not always possible to produce plasma properties such as pitch 176 angle distributions or the flow velocity vector. Therefore, the computation was performed 177 only for times when the plasma flow direction was in the FOV of the sensor, the CAPS 178 actuator was operating and the spacecraft was not rolling. In addition, we have included 179 the plasma parameter set derived by forward modeling [Wilson et al., 2008], which 180 provides estimations of the parallel and the perpendicular ion temperature. The plasma 181 properties we use are also not inconsistent with the radial profiles of plasma moments 182 independently produced by Livi et al. [2014] using 1-D forward modeling. 183 The energetic particle pressure (E>3keV, also referred to as suprathermal) is computed 184 using MIMI/CHEMS and LEMMS data, following the method described in Sergis et al. 185 [2009]. The adopted time resolution for the computed suprathermal pressures is 10 186 minutes. This resolution ensures both reliable statistics, given the typical count rates in 187 the region of interest, and detailed spatial coverage (Cassini can be taken as almost 188 stationary in global scale within each 10-min interval). The magnetic field vector is 189 measured by Cassini's fluxgate magnetometer [Dougherty et al., 2004] and 10-minute

averages were used as well. For the present study we combine particle data and magnetic

field measurements for radial distances between 5 and 16  $R_S$  and within  $\pm 1$  Rs from the equatorial plane, as explained below.

193

194

195

196

197

198

199

200

201

202

203

204

205

206

207

208

209

210

211

212

213

214

215

216217

218

219

220

221

222

As shown by several studies [Krimigis et al., 2007; Arridge et al., 2008, 2011; Carbary et al., 2008a, 2015; Sergis et al., 2011] the Saturnian plasma sheet is pushed away from the rotational equator, as the solar wind attack angle changes seasonally, reaching ±26.7° at solstices. As a result, measurements taken near the equatorial (rotational) plane do not always correspond to current sheet plasma environment, but can at times include also the outer (in terms of vertical distance) parts of the plasma sheet, depending on the radial distance and the seasonal and rotational phases. According to Arridge et al. [2011], for a radial distance of 15 Rs, the center of the plasma sheet can at times be vertically displaced by ~2 Rs, which is comparable to the typical scale heights of its ion populations [Sergis et al., 2011]. In general, beyond a radial distance of ~12 Rs, the risk of miscalculating (overestimating) the radial pressure gradient becomes significant.

Fortunately, increased spatial coverage and nearly continuous measurements by the Cassini MAG and MIMI sensors, allow us to filter the hot plasma data so that intervals for which the magnetic field vector indicates that Cassini is not truly in the central plasma sheet are not included in the analysis. After several tests, we decided to consider only intervals during which the radial component of the magnetic field has an absolute value below 0.5 nT (|Br|<0.5 nT) and at the same time is less than one fifth of the total magnetic field Br<0.2|B|. These two criteria guarantee that Cassini is inside the central region of the plasma sheet without reducing significantly our sampling. The above selection process was not applied to thermal plasma moments due to their sparse distribution. Instead, CAPS data was binned in radial distance with a step of 1 Rs, and the upper (3rd) quartile of the computed thermal pressure values for each radial bin was used in our analysis, in order to minimize the risk of including measurements that correspond to the outer (uppermost/lowermost) plasma sheet. As the thermal plasma (and W+ ions in particular) are well confined vertically [Sergis et al. 2011], the risk of including in our analysis high pressure intervals that do not correspond to the central plasma sheet is very limited. Since the dominant variation in plasma parameters is radial, the 1 Rs bin size is the largest we can adopt without introducing a significant systematic error. The described selection criteria ensure that our sampling is at all times confined to the central plasma sheet, suppressing errors associated with the change of the rotational or seasonal phase.

Expanding previous studies, we also include H<sub>2</sub>+ ions (in addition to H+ and W+) for both thermal and hot plasma in the computation of the total particle pressure and the corresponding ring current component.

To investigate the dependence of particle properties on local time, we organize our analysis in four, 6-hr wide local time (hereafter LT) sectors: night, dawn, day and dusk, centered at 0000 hr, 0600 hr, 1200 hr and 1800 hr respectively, and all results are presented and discussed in that context. To test how the selected LT bin size affects the results, we repeated the same analysis for a more detailed local time binning (eight 3-hr sectors). The results and the scientific conclusions did not change notably. The distribution of the filtered measurements in radial distance and local time is shown in Figure 1. The sampling is not uniform, especially in local time, with the dawn sector less covered by all instruments. However, due to the long (nearly 10-year) period of observation, the statistical uncertainty is still significantly reduced compared to previous studies and generally lower than the intrinsic dynamics of the system for most magnetospheric regions, as the study of individual Cassini passes has shown.

### 3. Results

240 3.1 Particle pressure and plasma beta

The radial profiles for the thermal (in black), suprathermal (in red) and total (in blue) particle pressure components are shown in Figure 2 for each 6-hr LT sector (night, dawn, day, dusk) of the equatorial magnetosphere of Saturn. It is evident that for all local times thermal plasma pressure dominates at the inner part of the region under study (inside of ~7-8 Rs). With increasing radial distance, the hot particle pressure gradually becomes the major component, in spite of its variability reflected in the larger error bars. The radial distance beyond which the hot plasma pressure overrides the thermal plasma pressure varies between ~8.5 Rs at dusk and night side, and ~11.5 Rs at dawn and dayside. The total pressure is ~50% higher at dusk and night sectors with sample values at 8 Rs ~0.3 nPa at dusk and the night side (1500 to 0300) compared to ~0.2 nPa at dawn and the dayside (0300 to 1500). Thermal plasma pressure drops with radial distance, while suprathermal pressure develops a maximum region between ~7 and ~11 Rs which is much broader, and thus less clear, on the dayside. We should note that these radial profiles correspond to the average conditions of the central plasma sheet region. The fast

(order of few minutes) temporal variability that has been reported, especially for the energetic particle population [Krupp et al., 2005; Krimigis et al., 2007], can only be reflected in the error bars. The total particle pressure P was fitted for each LT sector using polynomial functions of the form logP=a<sub>0</sub>+a<sub>1</sub>r+a<sub>2</sub>r<sup>2</sup>+a<sub>3</sub>r<sup>3</sup>+a<sub>4</sub>r<sup>4</sup>. The values for the a<sub>i</sub> coefficients are given in Table 1.

In Figure 3 we present the radial profile of the total plasma beta as measured for each LT sector. The line colors adopted in Figure 3 (i.e. black for the night side, green for dawn, red for the dayside and blue for dusk) will be used throughout this study. The plasma beta becomes greater than 1 beyond 8 Rs for the dusk and night sectors, beyond 8.5 Rs for the dawn sector and outside 10 Rs for the dayside. With increasing radial distance, the plasma beta values remain generally between 5 and 10 for dusk, night and dawn sectors, and between 1 and 5 for the dayside. Towards the inner magnetosphere, as the magnetic field increases with radial distance as approximately r³, the plasma beta drops fast, becoming <0.1 at 5 Rs for all local times. A high beta regime of the Saturnian

these studies used the spatial resolution and the particle energy range we employ here. As the combined use of CAPS and MIMI data offers wide energy coverage (few eV to few

magnetosphere, with  $\beta$ >1 for radial distances between 10 and 15 Rs, has been previously

reported [Sittler et al., 2008; Sergis et al., 2009; Thomsen et al.; 2010]. However, none of

273 MeV) for the 3 most important (in terms of pressure contribution) ion species (i.e. H+,

W+ and H<sub>2</sub>+), the plasma beta profiles presented in this study can be viewed as the most

characteristic of the Saturnian magnetosphere to date.

276

284

274

275

255

256

257

258

259

260

261

262

263

264

265

266

267

268

269

270

277 3.2 Radial force balance and azimuthal current

Following the formulation previously used by Sergis et al. [2010] and Kellett et al.

279 [2011], and assuming that all ion components have the same bulk velocity, we express

the radial, steady-state force balance equation in the equatorial plane as:

$$\rho \frac{V_{\phi}^{2}}{r} - \frac{\partial P}{\partial r} - \frac{P_{\perp}}{R_{C}} \left(\frac{A-I}{A}\right) \approx J_{\phi} B_{z}$$
 (1)

where  $\rho$  is the plasma mass density,  $V_{\phi}$  the *in-situ* measured azimuthal flow velocity, P the total particle pressure,  $P_{\perp}$  the field-perpendicular thermal pressure component,  $R_{C}$  the

curvature of the field lines, A the thermal plasma pressure anisotropy (A=P $\perp$ /P $_{\parallel}$ , P $_{\parallel}$  being

the parallel thermal pressure),  $J_{\phi}$  the azimuthal current density and  $B_z$  the north-south magnetic field component. The three distinct terms on the left side represent the inertial, the pressure gradient and the pressure anisotropy components of the force per unit volume along the radial direction, and can all be derived from *in-situ* measurements and under the minimal assumptions stated earlier.

The inertial force is directly computed from Cassini/CAPS *in-situ* data  $(V_{\phi}, \rho, r)$  and is subsequently fitted as  $\log(\rho V_{\phi}^2/r)=b_0+b_1r+b_2r^2+b_3r^3+b_4r^4$ . The  $b_i$  coefficients and are shown in Table 1. The pressure radial gradient is computed by differentiating the polynomial fit to the total particle pressure. The anisotropy force (significant only inside of 8-10 Rs where  $P_{\perp}>P_{\parallel}$ ) is directly calculated from the thermal pressure anisotropy measurements available from 6 to 10 R<sub>S</sub> [*Wilson et al.*, 2008] and then fitted as  $\log(F_A)=c_0+c_1r+c_2r^2$  (coefficients in Table 1). For this range of radial distance the dipole approximation can be safely used to derive the magnetic curvature as  $R_C=r/3$ . Finally, the vertical component of the magnetic field was also fitted for each LT sector as  $\log(B_Z)=d_0+d_1r+d_2r^2+d_3r^3$  ( $d_i$  values in Table 1), although the corresponding radial profiles (not presented here) exhibit only weak dependence on local time.

The radial profiles of the three force components are presented in Figure 4 for each LT sector. The pressure gradient force overtakes the inertial force and gradually controls the radial force balance beyond ~9 Rs at all local times. At night, dawn and dusk it stays higher, but on the dayside the two are equal from ~11 to 15 Rs. The distance beyond which the pressure gradient force becomes larger than the inertial force, varies between ~7.5 and 9 Rs.

Inside of 6.5-7 Rs and with decreasing radial distance, the pressure gradient term drops and the inertial force starts to dominate due to higher mass density, despite the increasing opposed anisotropy force. For example, at a radial distance of 6 Rs, the inertial force is well above (at least factor of 4) the pressure gradient and the anisotropy contributions, with the exception of the dayside where the inertial and anisotropy forces are comparable. As Cassini's instrumentation provides direct measurements of the magnetic field and the

(thermal and hot) particle properties along its trajectory, equation (1) can be used to

deduce the azimuthal current density  $J_{\varphi}$ . Solved for  $J_{\varphi}$ , equation (1) becomes:

315 
$$J_{\phi} \approx \frac{1}{B_{z}} \left( \rho \frac{V_{\phi}^{2}}{r} - \frac{\partial P}{\partial r} - \frac{P_{\perp}}{R_{C}} \left( \frac{A - I}{A} \right) \right) \tag{2}$$

In analogy to equation (1), the three separate terms in the right side of equation (2) correspond to the inertial, pressure gradient, and anisotropy component of the azimuthal current. As mentioned earlier, each of these three terms can be independently determined based on in-situ, long term Cassini measurements. The radial profile of the azimuthal current density (pA/m<sup>2</sup>) for each LT sector is presented in Figure 5. Due to the complexity and the strong temporal variability of the system, imposed primarily by the hot plasma, the uncertainty in the azimuthal current values can only be roughly estimated, rather than precisely calculated, at  $\sim$ 50%. This  $\pm$ 50% envelope is shown in dotted lines of the same color for each radial profile. A region of maximum  $J_{\phi}$ , imposed by the pressure gradient, is observed for the day, dusk and night sectors between ~7 and ~11 Rs. In the dawn sector, the maximum is broader and shifted somewhat outwards (~9 to ~13 Rs). A clear local time asymmetry is also present. At dusk and night sectors the maximum current density, observed at 7.5 Rs and 8.5 Rs respectively, reaches 100-115 pA/m<sup>2</sup>. At the dawn sector the broader maximum is considerably lower (60 pA/m<sup>2</sup> at 11.5 Rs). At the dayside, the maximum is well defined at 8.5 Rs, but still lower compared to dusk and the night side, with values close to 85 pA/m<sup>2</sup>. Beyond its maximum region, for all local times, the ring current density appears to drop with radial distance faster than the 1/r rate assumed by disc models (e.g. Connerney et al. [1983], Bunce et al. [2007], Kellett et al. [2010]) indicated by the dashed magenta line in Figure 5, yet not as rapidly as reported by *Sergis et al.* [2011].

335336

337

338

339

340

341

342

343

344

316

317

318

319

320

321

322

323

324

325

326

327

328

329

330

331

332

333

334

# 4. Summary and discussion

After more than 12 years of Cassini in orbit around Saturn, certain issues regarding the nature and characteristics of the complex planetary current system remain unresolved.

In the present work we used a broad data set of combined particle and magnetic field

measurements covering nearly 10 years, from the beginning of the mission (mid-2004) to the end of 2013, and attempted to examine the average, global distribution of particle properties in the equatorial Saturnian magnetosphere, and in particular the plasma pressure and the azimuthal current. Apart from the geometrical confinement to the

equatorial plane (±1 Rs), magnetic field selection criteria were also applied to the data 345 346 selection, in order to ensure that only the central plasma sheet environment is sampled. 347 In agreement with Sergis et al. [2007, 2009], but based on a much broader data set, the 348 results show that the particle pressure is controlled by thermal plasma inside of ~8 Rs 349 where the plasma is denser and energetic ion loss due to charge exchange is substantial, 350 and by the hot plasma beyond ~12 Rs. The exact distance of reversal, however, depends 351 on local time, being closer for the dusk and night LT sectors, and farther out for the dawn 352 and dayside. The total particle pressure drops more gradually with radial distance, 353 compared to the thermal plasma pressure profile reported by Thomsen et al. [2010], in 354 which, however, there was no LT separation. The measured pressure is also dependent on 355 local time, being higher (factor of  $\sim 1.5$ ) on the dusk and on the night side. This local time 356 asymmetry is imposed mainly by the hot plasma pressure component, as ion and ENA 357 measurements in keV energies have indicated in the past. 358 With almost full particle energy coverage offered by the synergy between the CAPS and 359 MIMI sensors, the total plasma beta was computed. The results verify that the middle and 360 outer Saturnian magnetosphere is characterized by a high plasma beta (>1 beyond 8-10 361 Rs). Compared to the partial (E<45 keV) plasma beta reported by *Thomsen et al.* [2010], the total plasma beta computed in this study is generally higher by a factor of  $\sim$ 2 and does 362 363 not drop with radial distance in the middle and outer magnetosphere; both features 364 expected after the inclusion of the hot plasma. Its distribution in local time (not available 365 in previous studies) shows a clear day-night asymmetry with beta values being lower 366 (factor of 2) in the dayside compared to all other LT sectors. 367 The measurements also allow the separate computation of each force term in the steady 368 state, radial force balance equation (i.e. inertial, pressure gradient, anisotropy) and, hence, 369 the direct computation of the azimuthal current density (see equations 1 and 2). More 370 importantly, we can now determine the relative contribution of each term, provide 371 guidance for models regarding associated physical mechanisms, and examine how the 372 nature of the Saturnian ring current changes with radial distance and local time in the 373 equatorial plasma sheet. 374 In order to obtain a global view of the ring current and its distribution, we interpolate 375 between the computed current density values, and consequently smooth between the 3-hr

wide LT bins, using 1 Rs bins for radial distance as in the radial profiles presented earlier.

The resulting distributions are shown in Figure 6, in the form of color-coded contour maps. Panel (6a) presents the distribution of the ring current density (pA/m<sup>2</sup>) in the center of the Saturnian plasma sheet. The average ring current appears as an asymmetric structure, quite similar to what averaged ENA emissions have revealed [Krimigis et al., 2007; Carbary et al., 2008b]. Its maximum region spans from post noon to post midnight (1400-0200 hr) and between 7 and 11 Rs. This picture is consistent with the simulated  $J_{\omega}$ distribution produced by global MHD modeling [Jia et al., 2012a], where a broad maximum of ~100 pA/m<sup>2</sup> forms between 10 and 15 Rs (shifted somewhat outwards compared to the results of this study), and remains fixed -although variable- in the night side (from ~1800 to ~0600 hr) throughout the planetary rotation. The displacement of the maximum  $J_{\omega}$  region in the simulation could be due to the underestimation of the contribution of the hot plasma pressure for r>10 Rs that largely controls the azimuthal current density. In both cases, nevertheless, the radial profile of the ring current differs from the monotonic 1/r decrease, often adopted in the past. Panel (6b) illustrates the changing nature of the ring current with radial distance and local time. The color scale parameterizes the relative contributions of the inertial and the pressure gradient components to the total ring current. Red colors correspond to full dominance by the pressure gradient current, whereas blue colors correspond to full dominance by the inertial term. As discussed earlier, the predominant dependence is clearly along the radial distance. There is, however, an obvious local time asymmetry of the driving mechanism of the ring current that, although indicated by ENA imaging and predicted by certain models (e.g. Jia et al. [2012a, 2012b]), was not revealed explicitly by in-situ data until now. From local afternoon (1600 hr) throughout the night side to local morning (0800 hr), the ring current is inertial inside of 7 Rs (blue color, >70% contribution by the inertial current), pressure gradient driven beyond 11 Rs (yellow and orange, >70% contribution by the pressure-grad current), and displays a mixed nature in the transition zone in-between where its maximum resides (green colors, 40-60% contribution for each current component). On the dayside, however, and in particular for a large sector around local noon (0800-1600 hr), the azimuthal current appears mixed (both inertial and pressure gradient driven) beyond 7 Rs. The maximum of the current density appears essentially unaffected by the anisotropy term.

377

378

379

380

381

382

383

384

385

386

387

388

389

390

391

392

393

394

395

396

397

398

399

400

401

402

403

404

405

406

Note that a less prominent asymmetry is also seen between dawn and dusk; the dawn ring current appears more pressure gradient driven compared to dusk, especially outside of 12 Rs. This feature, as well as the outwards shifted current maximum, are indicative of fast return plasma flow, that has been reproduced by MHD simulations [Jia et al., 2012b] but also observed as a result of (at times impulsive) reconnection of closed field lines in the magnetotail [Masters et al., 2011], consistent with the so-called Vasyliunas cycle [Vasyliunas, 1983]. Thomsen et al. [2015], presented observational evidence from a nonequatorial Cassini pass, supported also by an MHD simulation, for the formation of a "plasmapause" (i.e. a sharp boundary separating flux tubes that were involved in tail reconnection from those that revolved through the night side without significant mass loss) in the dawn LT sector. The return flow was found to consist of supercorotational, low-density, high-temperature plasma, with significant O+ (magnetospheric) ion content, suggestive of the Vasyliunas cycle. The plasmapause boundary was observed at L=8.6 (i.e. well inside the ring current region). As the return flow channel transfers low density, high temperature magnetospheric plasma, it produces an azimuthal current driven by the hot plasma pressure rather than inertia, for radial distances beyond the location of the unstable to centrifugally driven interchange- plasmapause, which hence becomes a variable boundary, separating inertial from pressure driven current regimes. The outer limit of our sampling (15 Rs), makes it quite difficult to observe an analogous Dungeycycle return flow [Dungey, 1961], as this would be located farther out [Badman et al., 2007], although the *Thomsen et al.* [2015] reported evidence of Dungey-type lobe reconnection pursuant to the Vasyliunas-type flow pattern. We should note, however, that results concerning the dawn sector should be evaluated with caution, as this LT sector is not yet sampled adequately. It becomes also evident from the map of Figure 5, that, at least for certain LT sectors (e.g. dusk and night side), the ring current is strongly affected by the particle pressure (i.e. a maximum  $J_{\omega}$  region forms), even during times of moderate magnetospheric activity. The ring current constitutes an essential part of the magnetospheric current system and the global magnetospheric-ionospheric coupling. Its divergence is closely related to the structure and strength of the field-aligned currents (see theoretical analysis by Vasyliunas, 1984) that are responsible for the coupling between the magnetosphere and ionosphere

408

409

410

411

412

413

414

415

416

417

418

419

420

421

422

423

424

425

426

427

428

429

430

431

432

433

434

435

436

437

conveying angular momentum from the planet to its surrounding plasma disc in an attempt to maintain rigid corotation between the two regions.

In addition, the magnetosphere-ionosphere coupling at Saturn strongly affects (and perhaps drives) the observed, but not yet fully understood, periodicities in several magnetospheric phenomena, varying with a period very close to the planetary rotation [Carbary and Mitchell, 2013]. As data from the Cassini Radio and Plasma Wave Science Instrument (RPWS) have confirmed, the period of the Saturnian radio emission changes slowly, indicating that the source of the observed periodicities must be related to a complex and asymmetric atmosphere-ionosphere-magnetosphere coupling, rather than the interior of the planet. Therefore, the detailed mapping of the ring current and the study of the interacting current components (radial and field-aligned) that constitute the three-dimensional magnetospheric current system, become important in many aspects. The "proximal" orbit phase of Cassini (September 2017) will provide a unique opportunity to obtain measurements on the high-latitude magnetosphere very close to the planet, and bring us closer to forming a more complete picture of the Saturnian current system.

A long-standing question regarding the structure and the nature of the Saturnian ring current (and global current system in general) has always been whether it is more "Earthlike" or "Jupiter-like". Although both Saturn and Earth possess well-observed ring currents, these azimuthal charged particle flows cannot easily be viewed as analogues to each other. The Satunian ring current is significantly modulated by the fast planetary rotation, well protected from the solar wind, and supplied by ions mainly from an internal source (Enceladus). In Earth's case, ground and spacecraft measurements have shown that during "quiet" times the symmetric ring current is relatively weak and carried mostly by solar wind particles, intensifying during magnetic storms with a simultaneous change in its composition (i.e. becoming O+ dominated). These fundamental differences make any detailed comparison between the Saturnian and the Terrestrial ring current quite hard to attempt (see also discuss by *Kivelson* [2005]). On the other hand, with a major plasma source located close to the planet and embedded in a rotational-dominated, semi-permanent plasmadisc, the Saturnian ring current has much more in common with the current flow in Jupiter's middle magnetosphere.

Despite their similarities, the two giant magnetospheres seem to have differences, sometimes less obvious, that also reflect to their azimuthal currents. As an example, *Vasyliunas* [2008] described how the relative mass input is most likely larger at Saturn than at Jupiter, as certain scale quantities, such as the solar wind mass flux on the projected magnetospheric area or the mass flux required to completely prevent corotation, are much smaller at Saturn compared to Jupiter. Even though a detailed comparison between the two azimuthal currents is beyond the scope of this study, we should note that, based on its greater effect on the planetary magnetic field, the Saturnian ring current could be considered stronger than the Jovian one, although weaker when measured in absolute values.

### Acknowledgments

We are grateful to MIMI team colleagues for comments that improved this study. We thank M. Kusterer and J. Vandegriff (JHU/APL) for assistance with the MIMI data. Work at JHU/APL was supported by NASA and by subcontracts at the University of Maryland and the Academy of Athens. Work at PSI was supported by the NASA/Cassini program through JPL contract 1243218 with Southwest Research Institute. C.M.J. is supported by a Science and Technology Facilities Council Ernest Rutherford Fellowship number ST/L004399/1. The data used in this study can be found in files online at the NASA Planetary Data System (PDS) at http://pds.nasa.gov.

- 502 References
- Achilleos, N., P. Guio, C. S. Arridge, N. Sergis, R. J. Wilson, M. F. Thomsen, and A. J.
- Coates (2010), Influence of hot plasma pressure on the global structure of Saturn's
- 505 magnetodisk, Geophys. Res. Lett., 37, L20201, doi:10.1029/2010GL045159.
- Arridge, C. S., K. K. Khurana, C. T. Russell, D. J. Southwood, N. Achilleos, M. K.
- Dougherty, A. J. Coates, and H. K. Leinweber (2008), Warping of Saturn's
- magnetospheric and magnetotail current sheets, J. Geophys. Res., 113, A08217,
- 509 doi:10.1029/2007JA012963.
- Arridge, C. S., et al. (2011), Periodic motion of Saturn's nightside plasma sheet, J.
- 511 Geophys. Res., 116, A11205, doi:10.1029/2011JA016827.
- Badman, S. V., and S. W. H. Cowley (2007), Significance of Dungey-cycle flows in
- Jupiter's and Saturn's magnetospheres, and their identifi- cation on closed equatorial
- field lines, Ann. Geophys., 25, 941–951, doi:10.5194/angeo-25-941-2007.
- Brandt, P.C., K.K. Khurana, D.G. Mitchell, N. Sergis, K. Dialynas, J.F. Carbary, E.C.
- Roelof, C.P. Paranicas, S.M. Krimigis, and B.H. Mauk (2010), Saturn's periodic
- magnetic field perturbations caused by a rotating partial ring current, Geophys. Res.
- 518 Lett., 37, L22103, doi:10.1029/2010GL045285.
- Bunce, E. J., and S. W. H. Cowley (2003), A note on the ring current in Saturn's
- 520 magnetosphere: Comparison of magnetic data obtained during the Pioneer-11 and
- 521 Voyager-1 and -2 fly-bys, Ann. Geophys., 21, 661–669.
- Bunce, E. J. et al., (2007), Cassini observations of the variation of Saturn's ring current
- parameters with system size, J. Geophys. Res., 112, A10, CiteID A10202, doi:
- 524 10.1029/2007JA012275.
- Burch, J. L., J. Goldstein, T. W. Hill, D. T. Young, F. J. Crary, A. J. Coates, N. André, W.
- 526 S. Kurth, and E. C. Sittler Jr. (2005), Properties of local plasma injections in Saturn's
- 527 magnetosphere, Geophys. Res. Lett., 32, L14S02, doi:10.1029/2005GL022611.
- 528 Carbary, J. F., D. G. Mitchell, C. Paranicas, E. C. Roelof, and S. M. Krimigis (2008a),
- 529 Direct observation of warping in the plasma sheet of Saturn, Geophys. Res. Lett., 35,
- 530 L24201, doi:10.1029/2008GL035970.

- 531 Carbary, J. F., D.G. Mitchell, P. Brandt, E.C. Roelof, and S.M. Krimigis (2008b),
- Statistical morphology of ENA emissions at Saturn, J. Geophys. Res., 113, A05210,
- 533 doi: 10.1029/2007JA012873.
- Carbary, J. F., and D. G. Mitchell (2013), Periodicities in Saturn's magnetosphere, Rev.
- 535 *Geophys.*, *51*,1–30, doi: 10.1002/rog.20006.
- 536 Chen, Y., and T. W. Hill (2008), Statistical analysis of injection/dispersion events in
- 537 Saturn's inner magnetosphere, J. Geophys. Res., 113, A07215,
- 538 doi:10.1029/2008JA013166.
- Connerney, J. E. P., M.H. Acuña, and N.F. Ness, (1981), Saturn's ring current and inner
- 540 magnetosphere, *Nature*, 292, 724-726.
- 541 Connerney, J. E. P., M.H. Acuña and N.F. Ness, (1983), Currents in Saturn's
- 542 magnetosphere, *J. Geophys. Res.*, 88, 8779-8789.
- 543 Connerney, J. E. P., Acuña, M. H., and Ness, N. F.: The Z3 model of Saturn's magnetic
- field and the Pioneer 11 vector helium magnetometer observations, J. Geophys. Res.,
- 545 89, 7541, 1984.
- Davis, Jr., L. and Smith, E. J.: A model of Saturn's magnetic field based on all available
- data, J. Geophys. Res., 95, 15 257, 1990.
- Dougherty, M. K. et al., (2004), The Cassini Magnetic Field Investigation, Space Sci.
- 549 Rev., Volume 114, Issue 1-4, pp. 331-383, doi: 10.1007/s11214-004-1432-2.
- 550 Dungey, J. W. (1961), Interplanetary magnetic field and the auroral zones, Phys. Rev.
- 551 Lett., 6, 47–48, doi:10.1103/PhysRevLett.6.47. □
- Hill, T. W., A. M. Rymer, J. L. Burch, F. J. Crary, D. T. Young, M. F. Thomsen, D.
- Delapp, N. André, A. J. Coates, and G. R. Lewis (2005), Evidence for rotationally
- driven plasma transport in Saturn's magnetosphere, Geophys. Res. Lett., 32, L14S10,
- 555 doi:10.1029/2005GL022620.
- Jia, X., M. G. Kivelson, and T. I. Gombosi (2012a), Driving Saturn's magnetospheric
- periodicities from the upper atmosphere/ionosphere, J. Geophys. Res., 117, A04215,
- 558 doi:10.1029/2011JA017367.
- Jia, X., K. C. Hansen, T. I. Gombosi, M. G. Kivelson, G. Tóth, D. L. DeZeeuw, and A. J.
- Ridley (2012b), Magnetospheric configuration and dynamics of Saturn's
- magnetosphere: A global MHD simulation, J. Geophys. Res., 117, A05225,
- 562 doi:10.1029/2012JA017575.

- Kellett, S., C. S. Arridge, E. J. Bunce, A. J. Coates, S. W. H. Cowley, M. K. Dougherty,
- A. M. Persoon, N. Sergis, and R. J. Wilson (2010), Nature of the ring current in
- Saturn's dayside magnetosphere, J. Geophys. Res., 115, A08201,
- 566 doi:10.1029/2009JA015146.
- Kellett, S., C. S. Arridge, E. J. Bunce, A. J. Coates, S. W. H. Cowley, M. K. Dougherty,
- A. M. Persoon, N. Sergis, and R. J. Wilson (2011), Saturn's ring current: Local time
- dependence and temporal variability, J. Geophys. Res., 116, A05220,
- 570 doi:10.1029/2010JA016216.
- Kennelly, T. J., J. S. Leisner, G. B. Hospodarsky, and D. A. Gurnett (2013), Ordering of
- 572 injection events within Saturnian SLS longitude and local time, J. Geophys. Res. Space
- 573 Physics, 118, 832–838, doi:10.1002/jgra.50152.
- 574 Kivelson, M. G. (2005), The Current Systems of the Jovian Magnetosphere and
- 575 Ionosphere and Predictions for Saturn, Space Science Reviews 116: 299-318, doi:
- 576 10.1007/s11214-005-1959-x.
- Krimigis, S. M. et al. (1981), Low-energy charged particles in Saturn's magnetosphere-
- 578 Results from Voyager 1, *Science*, *212*, 225-231.
- 579 Krimigis, S. M., J. F. Carbary, E. P. Keath, T. P. Armstrong, L. J. Lanzerotti, G.
- Gloeckler, (1983), General characteristics of hot plasma and energetic particles in the
- Saturnian magnetosphere-Results from the Voyager spacecraft, J. Geophys. Res., 88,
- 582 8871-8892.
- Krimigis, S. M. et al. (2004), Magnetosphere Imaging Instrument (MIMI) on the Cassini
- Mission to Saturn/Titan, Space Sci. Rev., 114, 233-329.
- 585 Krimigis, S. M., N. Sergis, D.G. Mitchell, D.C. Hamilton and N. Krupp (2007), A
- dynamic, rotating ring current around Saturn, *Nature*, Volume 450, Issue 7172, pp.
- 587 1050-1053, doi: 10.1038/nature06425.
- 588 Krupp, N., et al. (2005), The Saturnian plasma sheet as revealed by energetic particle
- measurements, Geophys. Res. Lett., 32, L20S03, doi:10.1029/2005GL022829.
- 590 Livi, R., J. Goldstein, J. L. Burch, F. Crary, A. M. Rymer, D. G. Mitchell, and A. M.
- Persoon (2014), Multi-instrument analysis of plasma parameters in Saturn's equatorial,
- inner magnetosphere using corrections for spacecraft potential and penetrating
- background radiation, J. Geophys. Res. Space Physics, 119, 3683–3707,
- 594 doi:10.1002/2013JA019616.

- Masters, A., M. F. Thomsen, S. V. Badman, C. S. Arridge, D. T. Young, A. J. Coates,
- and M. K. Dougherty (2011), Supercorotating return flow from reconnection in
- 597 Saturn's magnetotail, Geophys. Res. Lett., 38, L03103, doi:10.1029/2010GL046149.
- Mauk, B. H., S. M. Krimigis and R.P. Lepping (1985), Particle and field stress balance
- within a planetary magnetosphere, *J. Geophys. Res.*, 90, 8253-8264.
- Mauk, B. H. et al., (2005), Energetic particle injections in Saturn's magnetosphere,
- 601 Geophys. Res. Lett., 32, Issue 14, doi: 10.1029/2005GL022485.
- Ness, N. F., Acuña, M. H., Lepping, R. P., Connerney, J. E. P., Behannon, K. W.,
- Burlaga, L. F., and Neubauer, F.: Magnetic field studies by Voyager 1: Preliminary
- 604 results at Saturn, Science, 212, 211, 1981.
- Ness, N. F., Acuña M. H., Behannon, K. W., Burlaga, L. F., Connerney, J. E. P., Lepping,
- R. P., and Neubauer, F.: Magnetic field studies by Voyager 2: Preliminary results at
- 607 Saturn, Science, 215, 558, 1982.
- Paranicas, C. P. et al., (2007), Energetic electrons injected into Saturn's neutral gas cloud,
- 609 Geophys. Res. Lett., 34, Issue 2, CiteID L02109, doi: 10.1029/2006GL028676.
- Rymer, A. M., et al. (2009), Cassini evidence for rapid interchange transport at Saturn,
- 611 Planet. Space. Sci., 57, 1779.
- 612 Sergis, N. et al., (2007), Ring current at Saturn: Energetic particle pressure in Saturn's
- equatorial magnetosphere measured with Cassini/MIMI, Geophys. Res. Lett., 34, Issue
- 9, CiteID L09102, doi: 10.1029/2006GL029223.
- Sergis, N. et al., (2009), Energetic particle pressure in Saturn's magnetosphere, measured
- with Magnetospheric Imaging Instrument on Cassini, J. Geophys. Res., 114, A2,
- 617 CiteID A02214, doi: 10.1029/2008JA013774.
- Sergis, N., et al. (2010), Particle pressure, inertial force, and ring current density profiles
- in the magnetosphere of Saturn, based on Cassini measurements, Geophys. Res. Lett.,
- 620 37, L02102, doi:10.1029/2009GL041920.
- 621 Sergis, N., C. S. Arridge, S. M. Krimigis, D. G. Mitchell, A. M. Rymer, D. C. Hamilton,
- N. Krupp, M. K. Dougherty, and A. J. Coates (2011), Dynamics and seasonal
- variations in Saturn's magnetospheric plasma sheet, as measured by Cassini, J.
- Geophys. Res., 116, A04203, doi:10.1029/2010JA016180.
- 625 Sittler, E. C. et al., (2008), Ion and neutral sources and sinks within Saturn's inner
- magnetosphere: Cassini results, *Planet Space Sci.*, 56,doi: 10.1016/j.pss.2007.06.006.

- Thomsen, M. F., D. B. Reisenfeld, D. M. Delapp, R. L. Tokar, D. T. Young, F. J. Crary,
- E. C. Sittler, M. A. McGraw, and J. D. Williams (2010), Survey of ion plasma
- parameters in Saturn's magnetosphere, J. Geophys. Res., 115, A10220, doi:
- 630 10.1029/2010JA015267.
- Thomsen, M. F. (2013), Saturn's magnetospheric dynamics, Geophys. Res. Lett., 40,
- 632 5337–5344, doi:10.1002/2013GL057967.
- Thomsen, M. F., et al. (2014), Ion composition in interchange injection events in Saturn's
- magnetosphere, J. Geophys. Res. Sp ace Physics, 119, 9761–9772, doi:
- 635 10.1002/2014JA020489.
- Thomsen, M. F., D. G. Mitchell, X. Jia, C. M. Jackman, G. Hospodarsky, and A. J.
- Coates (2015), Plasmapause formation at Saturn, J. Geophys. Res. Space Physics, 120,
- 638 2571–2583, doi:10.1002/2015JA021008.
- Vasyliunas, V. M. (1983), Plasma distribution and flow, in Physics of the Jovian
- Magnetosphere, edited by A. J. Dessler, chap. 11, pp. 395–453, Cambridge Univ. Press,
- New York.
- Vasyliunas, V. M. (1984), Fundamentals of current description, in Magnetospheric
- 643 Currents, Geophys. Monogr. Ser., vol. 28, edited by T. A. Potemra, pp. 63–66, AGU,
- Washington, D. C.
- Vasyliunas, V. M. (2008), Comparing Jupiter and Saturn: dimensionless input rates from
- plasma sources within the magnetosphere, Ann. Geophys., 26, 1341–1343.
- Wilson, R. J., R. L. Tokar, M. G. Henderson, T. W. Hill, M. F. Thomsen, D. H. Pontius
- Jr., (2008), Cassini Plasma Spectrometer Thermal Ion Measurements in Saturn's Inner
- Magnetosphere, J. Geophys. Res., 113, CiteID A112218, doi: 10.1029/2008JA013486
- Young, D.T. et al., (2004), Cassini Plasma Spectrometer Investigation, Space Sci. Rev.,
- 651 114, Issue 1-4, pp. 1-112, doi: 10.1007/s11214-004-1406-4.

652653

654

655

656

657

# **Table 1.**

	NIGHT	DAWN	DAY	DUSK
	$a_0$ =-1.082×10 <sup>1</sup>	$a_0$ =-9.134×10 <sup>0</sup>	$a_0$ =-1.796×10 <sup>1</sup>	$a_0$ =-1.080×10 <sup>1</sup>
	$a_1$ =+8.399×10 <sup>-1</sup>	$a_1$ =-1.622×10 <sup>-1</sup>	$a_1$ =+3.730×10 <sup>0</sup>	$a_1$ =+6.899×10 <sup>-1</sup>
<b>P</b> (Pa)	$a_2$ =-1.471×10 <sup>-1</sup>	$a_2$ =+2.623×10 <sup>-2</sup>	$a_2$ =-5.697×10 <sup>-1</sup>	$a_2$ =-1.023×10 <sup>-1</sup>
	$a_3$ =+9.470×10 <sup>-3</sup>	$a_3$ =-2.360×10 <sup>-3</sup>	$a_3$ =+3.530×10 <sup>-2</sup>	$a_3$ =+5.200×10 <sup>-3</sup>
	a <sub>4</sub> =-2.165×10 <sup>-4</sup>	$a_4$ =+6.594×10 <sup>-5</sup>	$a_4$ =-7.795×10 <sup>-4</sup>	$a_4$ =-8.675×10 <sup>-5</sup>
	b <sub>0</sub> =-2.488×10 <sup>1</sup>	b <sub>0</sub> =-1.880×10 <sup>1</sup>	$b_0$ =-2.127×10 <sup>1</sup>	$b_0$ =-2.101×10 <sup>1</sup>
2	$b_1$ =+3.844×100	$b_1$ =+1.106×100	$b_1$ =+1.782×100	$b_1$ =+1.811×100
$\frac{\rho V_{\phi}^2}{r}$ (N/m <sup>3</sup> )	$b_2$ =-6.441×10 <sup>-1</sup>	$b_2$ =-2.456×10 <sup>-1</sup>	$b_2$ =-2.837×10 <sup>-1</sup>	$b_2$ =-2.779×10 <sup>-1</sup>
1	$b_3$ =+4.193×10 <sup>-2</sup>	$b_3$ =+1.904×10 <sup>-2</sup>	$b_3$ =+1.708×10 <sup>-2</sup>	$b_3$ =+1.504×10 <sup>-2</sup>
	$b_4$ =-9.593×10 <sup>-4</sup>	$b_4$ =-5.320×10 <sup>-4</sup>	$b_4$ =-3.675×10 <sup>-4</sup>	$b_4$ =-2.719×10 <sup>-4</sup>
	$c_0$ =-1.278×10 <sup>1</sup>	$c_0$ =-1.798×10 <sup>1</sup>	$c_0$ =-1.542×10 <sup>1</sup>	$c_0$ =-1.626×10 <sup>1</sup>
$\mathbf{F}_{\mathbf{A}}$ (N/m <sup>3</sup> )	$c_1$ =-1.088×100	$c_1$ =-8.900×10 <sup>-2</sup>	$c_1$ =-4.159×10 <sup>-1</sup>	$c_1$ =-2.300×10 <sup>-1</sup>
	$c_2$ =+4.974×10 <sup>-2</sup>	$c_2$ =+3.380×10 <sup>-3</sup>	$c_2$ =+8.230×10 <sup>-3</sup>	$c_2$ =-4.540×10 <sup>-3</sup>
	$d_0$ =+4.304×10 <sup>0</sup>	$d_0$ =+4.304×10 <sup>0</sup>	$d_0$ =+4.338×10 <sup>0</sup>	$d_0$ =+4.513×10 <sup>0</sup>
<b>D</b> _ (nT)	$d_1$ =-5.475×10 <sup>-1</sup>	$d_1$ =-5.530×10 <sup>-1</sup>	$d_1$ =-5.568×10 <sup>-1</sup>	$d_1$ =-5.988×10 <sup>-1</sup>
$\mathbf{B}_{\mathbf{Z}}$ (nT)	$d_2$ =+2.727×10 <sup>-2</sup>	$d_2$ =+2.804×10 <sup>-2</sup>	$d_2$ =+2.860×10 <sup>-2</sup>	$d_2$ =+3.131×10 <sup>-2</sup>
	$d_3$ =-4.818×10 <sup>-4</sup>	$d_3$ =-4.758×10 <sup>-4</sup>	$d_3$ =-5.052×10 <sup>-4</sup>	$d_3$ =-5.665×10 <sup>-4</sup>
	$e_0$ =-1.782×10 <sup>1</sup>	$e_0 = -9.102 \times 10^0$	$e_0$ =-4.443×10 <sup>1</sup>	$e_0$ =-1.646×10 <sup>1</sup>
	$e_1$ =+3.042×100	$e_1$ =-5.560×10 <sup>-1</sup>	$e_1$ =+1.292×10 <sup>1</sup>	$e_1$ =+2.264×10 <sup>0</sup>
$J_{\varphi}$ (pA/m <sup>2</sup> )	$e_2$ =-4.300×10 <sup>-1</sup>	$e_2$ =+7.781×10 <sup>-2</sup>	$e_2$ =-1.792×100	$e_2$ =-2.874×10 <sup>-1</sup>
	$e_3$ =+2.631×10 <sup>-2</sup>	$e_3$ =-3.850×10 <sup>-3</sup>	$e_3$ =+1.092×10 <sup>-1</sup>	$e_3$ =+1.599×10 <sup>-2</sup>
	$e_4$ =-5.797×10 <sup>-4</sup>	$e_4$ =+4.736×10 <sup>-5</sup>	$e_4$ =-2.490×10 <sup>-3</sup>	$e_4$ =-3.437×10 <sup>-4</sup>

**Table 1.** Coefficients of the polynomial fit functions (see text) describing Saturn's magnetospheric properties as a function of radial distance r, for each LT sector.

## 666 Figure captions 667 Figure 1. Statistical distribution in radial distance (upper panel) and local time (lower 668 669 panel) of the data used in the present study. Magnetic field and hot plasma sampling 670 statistics are shown in black columns (labeled MAG and MIMI), the thermal plasma 671 coverage is shown in gray columns (labeled CAPS). 672 673 Figure 2. Average radial pressure profile for thermal ion plasma (black squares), 674 energetic particles (red dots) and total (blue triangles) for four 6-hr wide LT sectors, 675 indicated within each panel. The error bars correspond to the standard error of the mean 676 for each bin. 677 678 Figure 3. Average radial profile of the total plasma beta for four 6-hr wide LT sectors in 679 the Saturnian magnetosphere, centered at midnight (0000 hr), dawn (0600 hr), noon 680 (1200) and dusk (1800). The error bars correspond to the standard error of the mean for 681 each bin. 682 683 Figure 4. Average radial profiles (polynomial fits) of the inertial body force (blue), the 684 particle pressure gradient force (red) and the pressure anisotropy force (black) for four 6hr wide LT sectors in the Saturnian magnetosphere, centered at midnight (0000 hr), dawn 685 686 (0600 hr), noon (1200) and dusk (1800). The corresponding functions and coefficients 687 can be found in text and in Table 1, respectively. 688 **Figure 5.** Average radial profiles (polynomial fits) of the total ring current density $J_{\omega}$ for 689 four 6-hr wide LT sectors in the Saturnian magnetosphere, centered at midnight (0000 hr), 690 691 dawn (0600 hr), noon (1200) and dusk (1800). Dotted curves of the same color for each 692 radial profile bracket a $\pm$ 50% envelope, as the estimated uncertainty in $J_{\omega}$ due to the intense dynamics of the Saturnian ring current. The dashed magenta line represents a 1/r 693 694 decrease.

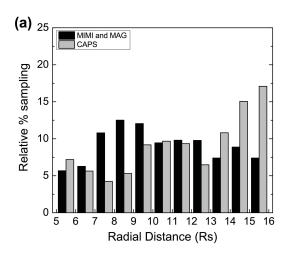
695

**Figure 6. (a):** Contour map illustrating the average distribution of the average azimuthal current, and its dependence on radial distance and local time in the equatorial magnetosphere of Saturn. Dashed circles indicate radial distances of 5, 10 and 15 Rs. The color scale describes the current density in pA/m<sup>2</sup>. **(b):** Similar to (a), map demonstrating the nature of the average Saturnian ring current. The color scale shows the contribution of the pressure gradient driven current  $\left(-\frac{1}{B_z}\frac{\partial P}{\partial r}\right)$  to the total measured current. Dashed circles indicate radial distances of 5, 10 and 15 Rs. The Sun in both representations is to the left.

Table 1.

Polynomial fit coefficients for Saturn's magnetospheric properties							
	NIGHT	DAWN	DAY	DUSK			
	$a_0$ =-1.082×10 <sup>1</sup>	$a_0$ =-9.134×10 <sup>0</sup>	$a_0$ =-1.796×10 <sup>1</sup>	$a_0$ =-1.080×10 <sup>1</sup>			
	$a_1$ =+8.399×10 <sup>-1</sup>	$a_1$ =-1.622×10 <sup>-1</sup>	$a_1$ =+3.730×10 <sup>0</sup>	$a_1$ =+6.899×10 <sup>-1</sup>			
<b>P</b> (Pa)	$a_2$ =-1.471×10 <sup>-1</sup>	$a_2$ =+2.623×10 <sup>-2</sup>	$a_2$ =-5.697×10 <sup>-1</sup>	$a_2$ =-1.023×10 <sup>-1</sup>			
	$a_3$ =+9.470×10 <sup>-3</sup>	$a_3$ =-2.360×10 <sup>-3</sup>	$a_3$ =+3.530×10 <sup>-2</sup>	$a_3$ =+5.200×10 <sup>-3</sup>			
	$a_4$ =-2.165×10 <sup>-4</sup>	$a_4$ =+6.594×10 <sup>-5</sup>	a <sub>4</sub> =-7.795×10 <sup>-4</sup>	$a_4$ =-8.675×10 <sup>-5</sup>			
	$b_0$ =-2.488×10 <sup>1</sup>	$b_0$ =-1.880×10 <sup>1</sup>	$b_0$ =-2.127×10 <sup>1</sup>	$b_0$ =-2.101×10 <sup>1</sup>			
ov2	$b_1$ =+3.844×10 <sup>0</sup>	$b_1$ =+1.106×10 <sup>0</sup>	$b_1$ =+1.782×10 <sup>0</sup>	$b_1$ =+1.811×10 <sup>0</sup>			
$\frac{\rho V_{\varphi}^2}{r} (N/m^3)$	$b_2$ =-6.441×10 <sup>-1</sup>	$b_2$ =-2.456×10 <sup>-1</sup>	$b_2$ =-2.837×10 <sup>-1</sup>	$b_2$ =-2.779×10 <sup>-1</sup>			
r	$b_3 = +4.193 \times 10^{-2}$	$b_3 = +1.904 \times 10^{-2}$	$b_3 = +1.708 \times 10^{-2}$	$b_3$ =+1.504×10 <sup>-2</sup>			
	b <sub>4</sub> =-9.593×10 <sup>-4</sup>	$b_4$ =-5.320×10 <sup>-4</sup>	b <sub>4</sub> =-3.675×10 <sup>-4</sup>	b <sub>4</sub> =-2.719×10 <sup>-4</sup>			
	$c_0$ =-1.278×10 <sup>1</sup>	$c_0$ =-1.798×10 <sup>1</sup>	$c_0$ =-1.542×10 <sup>1</sup>	$c_0$ =-1.626×10 <sup>1</sup>			
$\mathbf{F}_{\mathbf{A}}$ (N/m <sup>3</sup> )	$c_1$ =-1.088×10 <sup>0</sup>	$c_1$ =-8.900×10 <sup>-2</sup>	$c_1$ =-4.159×10 <sup>-1</sup>	$c_1$ =-2.300×10 <sup>-1</sup>			
	$c_2$ =+4.974×10 <sup>-2</sup>	$c_2$ =+3.380×10 <sup>-3</sup>	$c_2$ =+8.230×10 <sup>-3</sup>	$c_2$ =-4.540×10 <sup>-3</sup>			
	$d_0$ =+4.304×10 <sup>0</sup>	$d_0$ =+4.304×100	$d_0$ =+4.338×100	$d_0$ =+4.513×10 <sup>0</sup>			
<b>D</b> (nT)	$d_1$ =-5.475×10 <sup>-1</sup>	$d_1$ =-5.530×10 <sup>-1</sup>	$d_1$ =-5.568×10 <sup>-1</sup>	$d_1$ =-5.988×10 <sup>-1</sup>			
$\mathbf{B}_{\mathbf{Z}}(\mathbf{nT})$	$d_2$ =+2.727×10 <sup>-2</sup>	$d_2$ =+2.804×10 <sup>-2</sup>	$d_2$ =+2.860×10 <sup>-2</sup>	$d_2$ =+3.131×10 <sup>-2</sup>			
	$d_3$ =-4.818×10 <sup>-4</sup>	$d_3$ =-4.758×10 <sup>-4</sup>	$d_3$ =-5.052×10 <sup>-4</sup>	$d_3$ =-5.665×10 <sup>-4</sup>			
	$e_0$ =-1.782×10 <sup>1</sup>	$e_0$ =-9.102×100	$e_0$ =-4.443×10 <sup>1</sup>	$e_0$ =-1.646×10 <sup>1</sup>			
	$e_1$ =+3.042×10 <sup>0</sup>	$e_1$ =-5.560×10 <sup>-1</sup>	$e_1$ =+1.292×10 <sup>1</sup>	$e_1$ =+2.264×10 <sup>0</sup>			
$J_{\varphi}$ (pA/m <sup>2</sup> )	$e_2$ =-4.300×10 <sup>-1</sup>	$e_2$ =+7.781×10 <sup>-2</sup>	$e_2$ =-1.792×10 <sup>0</sup>	$e_2$ =-2.874×10 <sup>-1</sup>			
	$e_3$ =+2.631×10 <sup>-2</sup>	$e_3$ =-3.850×10 <sup>-3</sup>	$e_3$ =+1.092×10 <sup>-1</sup>	$e_3$ =+1.599×10 <sup>-2</sup>			
	e <sub>4</sub> =-5.797×10 <sup>-4</sup>	$e_4$ =+4.736×10 <sup>-5</sup>	$e_4$ =-2.490×10-3	e <sub>4</sub> =-3.437×10 <sup>-4</sup>			

Figure 1.



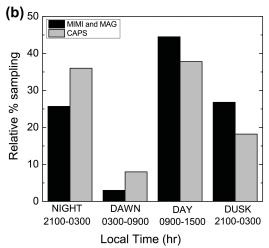


Figure 2.

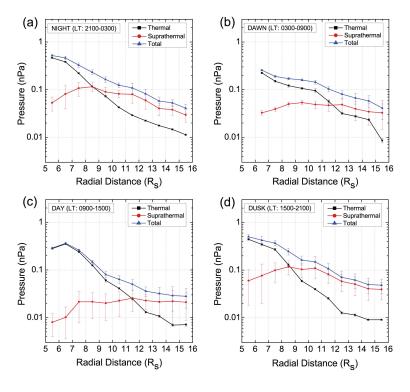


Figure 3.

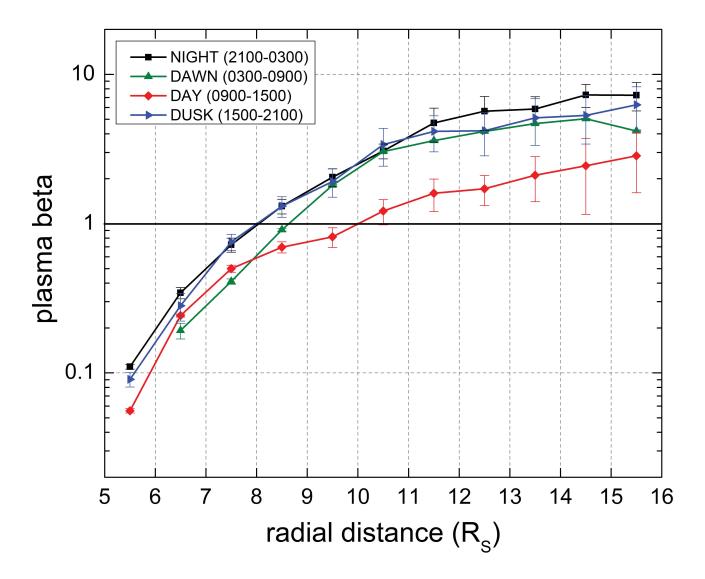


Figure 4.

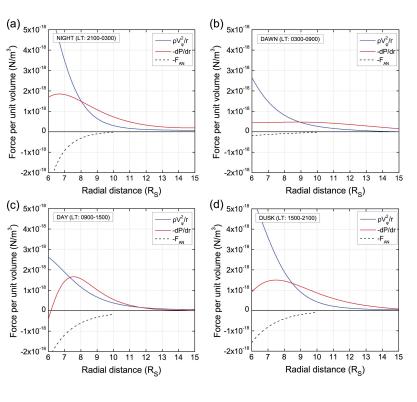


Figure 5.

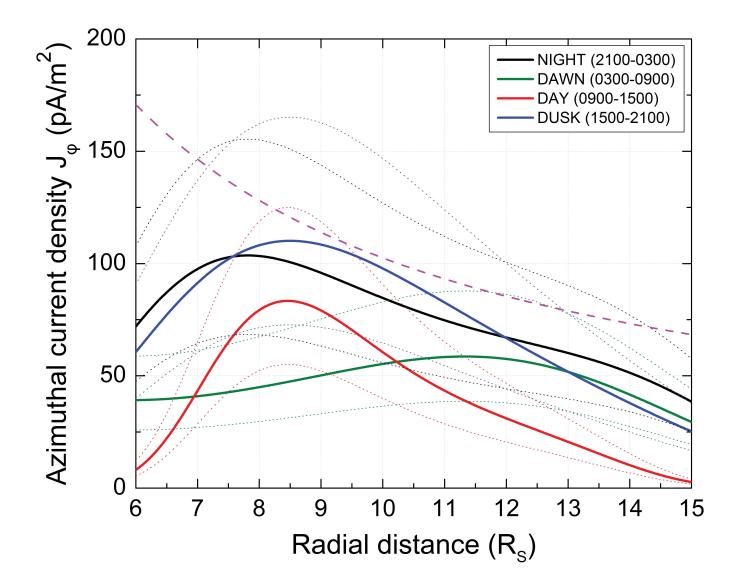


Figure 6.

