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# Assessment of local outburst flood risk from successive landslides: case study of Baige landslide-dammed lake, upper Jinsha river, eastern Tibet

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## Abstract

Two large landslides in October and November 2018 sequentially dammed the Jinsha river at Baige village, eastern Tibet, China. Subsequently, breaching of each dam induced massive outburst floods that posed a severe threat to downstream cities and infrastructure. Field investigation indicates volumes of the first and second landslide dam are about  $24.5 \times 10^6 \text{ m}^3$  and  $8.53 \times 10^6 \text{ m}^3$ , respectively. However, the peak discharge of the flood generated from the second landslide ( $3.1 \times 10^4 \text{ m}^3/\text{s}$ ) was significantly larger than that from the first ( $1.0 \times 10^4 \text{ m}^3/\text{s}$ ). The second peak discharge would have been  $5.15 \times 10^4 \text{ m}^3/\text{s}$  if the dam breached naturally. In this study, we developed two geometry parameters: effective dam height  $H_e$  (elevation difference between overtopping level and river bottom) and a narrowing number distribution  $N_r(H)$  (measures the

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degree to which a river section is occupied by landslide materials to elevation  $H$ ) which represents river section narrowing effects of successive landslides. Using numerical simulations, we show that  $H_e$  dominates peak discharge, and it has a linear relationship with peak discharge with slope of 1009.4 m<sup>2</sup>/s. Furthermore, the dam includes two sub-areas: a higher part (SB-1) and a lower part (SB-2). Two floods only eroded SB-2. However, breaching of SB-1 and breached SB-2 still narrowed the river. The narrowing effects of the first and second breached dam on the river channel are around 0.35 and 0.5, respectively. Spillway and landslide runup deposits increased the local flood risk by narrowing and lifting the local river section; the first landslide promoted the second landslide, which occupied the same area and forms a dam with high  $H_e$  value. Consequently, a more catastrophic flood could be triggered by a small subsequent landslide. Spatial superposition of successive landslides increased the local flood risk. This research quantitatively analyzed the influence of the geometry of dam induced by successive landslides on the process of outburst floods and the risk.

**Key words:** Successive landslides, Successive outburst floods, Multi-hazard chain, Effective dam height, Narrowing effect.

## 1 Introduction

Mountain areas are susceptible to landslides triggered by rainfall and earthquakes (Wang et al., 2008; Cui et al., 2012; Zhang et al., 2019; Yan et al., 2020). Some of these landslides block rivers and form earthen landslide dams that impound barrier lakes. Lake development leads to back-flooding upstream and may inundate roads and villages. Most barrier lake dams breach a short time after formation, causing impounded water to be released in an outburst flood (Costa and Schuster,

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1988; Cui et al., 2012; Bazai, et al., 2021). Outburst floods are some of the most catastrophic hazards on Earth and pose a great threat to people and infrastructure downstream (Cui et al., 2009; Bazai, et al., 2021). Outburst floods may also have significant geomorphic and geologic impacts; they have huge erosive and sediment transport capacity that can rapidly transform river channels and bedforms (Carling, 2013; Turzewski et al., 2019; Carling and Fan, 2020), and may lead to climate change (Teller et al., 2002) and global sea level change (Garcia et al., 2009). Outburst floods and their impacts appear in the myths and stories of many civilizations. (Burr et al., 2009).

In nature, landslide dams fail due to overtopping, piping and slope failure, with overtopping the most common failure type (Costa and Schuster, 1988). There are several stages to the overtopping process; the most powerful outburst flood discharge forms after the retrogressive stage (Walder et al., 2015; Jiang et al., 2018), resulting in strong vertical and horizontal erosion of the dam and the downstream transport of much of the dam material. During this stage, vertical and horizontal erosion of the dam tends to develop at the same pace to form a trapezoidal spillway (Niu et al., 2012; Al-Riffai, 2014; Walder et al., 2015). Peak discharge is the most important parameter in terms of outburst flood risk (Cui et al., 2012), and it may be influenced by many factors including dam geometry, soil physical properties, upstream valley geometry, volume of barrier lake, etc. (Peng, 2012). Peak discharge has been found to have the highest correlation with lake volume (Peng, 2012).

Many methods are available for peak discharge calculation, including empirical and numerical simulation models using zero-, one-, two- and three-dimension formulations. Empirical methods are widely used, but the models are implemented post hoc usually employing data collected after the event and cannot capture the discharge curve and dam deformation (Costa and Schuster, 1988; Cui

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et al., 2012; Peng, 2012). However, numerical methods, based on physical principles of hydrodynamics and erosion, allow modeling of outburst flood hydrograph and spillway evolution (Fread, 1988; Begam et al., 2018). For zero dimension models, flow is considered as a broad weir and discharge is calculated from weir flow formulae (Fread, 1988; Chang and Zhang, 2010; Singh, 2013; Chen et al., 2014), a simple and reliable method (Walder et al., 2015). More detailed numerical simulation is based on morpho-dynamic models, using the Navier-Stokes equations or their depth-averaged forms (1D or 2D shallow water equations) to calculate flood hydrodynamics and erosion and deposition models to predict bedform change (Wang et al., 2008; Cao et al., 2011; Swartenbroekx et al., 2013; Bohorquez et al., 2019). Generally, erosion is calculated through river dynamic models (such as the Meyer-Peter and Müller model, Duboys model, Einstein-Brown model, etc.) in most simulations. However, Chen et al., (2014) proposed that non-linear hyperbolic erosion models produce more accurate results compared with natural dam breach observations (Chen et al., 2014; Zhou, 2015).

Previous studies of outburst flood risk have focused on single river blocking events, but successive river blocking events have not been considered even though many have been reported. Examples of successive blocking mechanisms include glacier avalanche (Capps and Clague, 2014; Cook et al., 2016), ice-avalanche (Chen et al., 2020), debris flow (Wei et al. 2018; Hu et al., 2019) and landslide (Li et al., 2016; Fan et al., 2019b; Liu et al., 2019). These local successive river blocking events often lead to successive outburst floods. In eastern Tibet, the Parlung Zangbo river has been blocked by debris flows from Tianmo gully many times (Wei et al., 2018); Yigong lake was blocked by catastrophic landslides in 1902 and 2000 (Zhou et al., 2016) and formed outburst

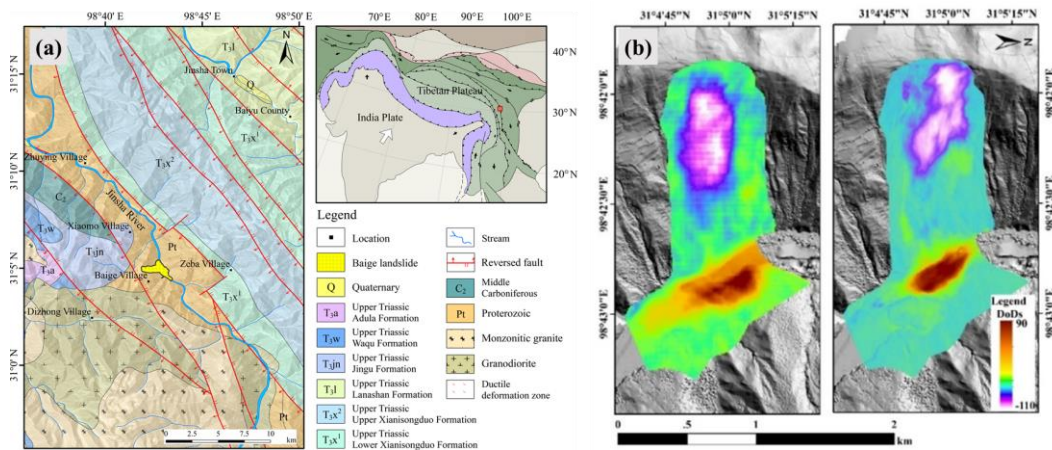
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floods with peak discharges of around  $18.9 \times 10^4 \text{ m}^3/\text{s}$  (Ma, 2006) and  $12.4 \times 10^4 \text{ m}^3/\text{s}$  (Liu et al., 2019), respectively; the Yarlung Tsangpo gorge was blocked twice in 2018, with a peak discharge of  $3.2 \times 10^4 \text{ m}^3/\text{s}$  in the second outburst flood (Hu et al., 2019; Chen et al., 2020).

Statistical analysis by Samia et al. (2017) suggests a 60% chance of landslide source areas generating a second event within 10 years of the first; the initial blocking event would influence the impact of the next event on local river geometry. Some landslide dams, failed and intact, remain in the river for a substantial time (Schuster, 2006) and may have a profound effect on watershed geomorphic evolution, especially if they function as knickpoints (Korup et al., 2006; Owen, 2008). Knickpoint evolution moderates the channel blocking process (Korup and Montgomery, 2008), with the remnant lake and spillway influencing the river longitudinal profile and watershed vertical evolution (Wang et al., 2019). Spillways may be eroded by base flow, seasonal floods or outburst floods (Choi et al. 2018). Furthermore, retrogressive river erosion can be inhibited where rivers are blocked long term by dams and barrier lakes have formed (Korup and Montgomery, 2008), whereas outburst floods flush out sediment, including boulders, and may even change river geometry (Carling, 2013; Lang et al., 2013; Larsen and Lamb, 2016; Liu et al., 2019). River blocking impacts also include lateral narrowing and longitudinal lifting of the river, but few studies focus on river narrowing and analysis of successive landslides is still at an early stage (Liao et al., 2019). In the present study, we focus on the geometric parameters of landslide dams that influence the dam breach event, using the case study of landslides at Baige, on the Jinsha river in eastern Tibet, in order to better understand the role of successive landslides on local outburst flooding.

## 2 Successive Baige landslides and outburst floods, 2018

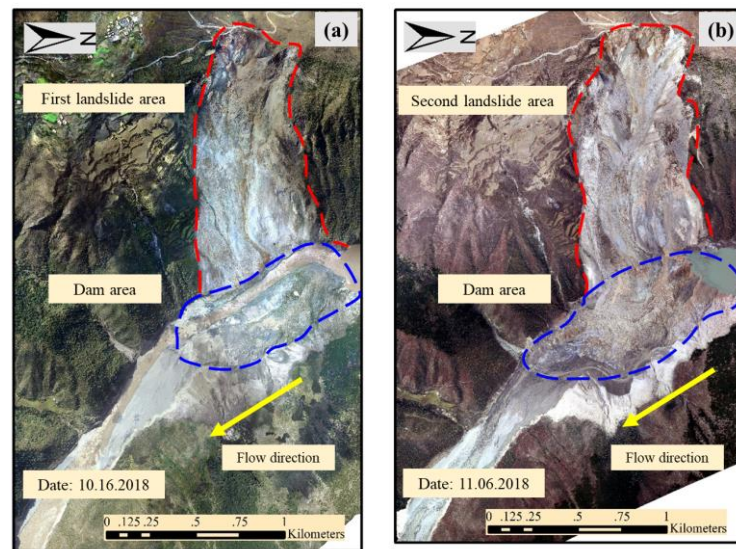
The study landslides originated close to the village of Baige, to the west of Jinsha river in Jiangda county; Tibet (98°42'17.98" E, 31°4'56.41"N) (Ouyang et al., 2019); the river forms the boundary between Sichuan and Tibet in this area. The Jinsha river follows the suture zone between the Changdu-Simao Block (in Tibet) and the Chuan-Dian Block (in Sichuan Province), with the main base rocks comprising gneiss, ophiolite and carbonaceous slate. Prior to the landslide events, the river bed elevation was around 2870 m and the average river width was about 93 m.



**Fig. 1.** Location context: (a) Geological context of Baige landslides; (b) DEMs of difference (DoDs) showing elevation change following the first (left) and second (right) landslide.

The first landslide occurred at 22:06 h on October 10, 2018. The area of the slide had an altitudinal range of about 850 m and a slide distance of 1400 m, giving an area of  $5.26 \times 10^5 \text{ m}^2$ . The landslide flowed at high speed, blocked the Jinsha river and formed a landslide dam of 46 m average height and total volume of  $24.5 \times 10^6 \text{ m}^3$ . The dam was more than 2 km in length in a downstream direction and had an average width of 450 m along the river. Landslide run up on the opposite side of the Jinsha canyon was 160 m. At 15:30 h on October 12, a natural spillway started

to form on the right side of the dam, although the water level of the impounded lake continued to rise until 00:45 h on October 13, with a maximum elevation of 2933.7 m and volume of  $2.9 \times 10^8$  m<sup>3</sup>. By 8:00 h on October 13, the lake water level had decreased by 20.3 m with a lake volume of  $1.8 \times 10^8$  m<sup>3</sup>, after 18 hours, eventually, the lake water level decreased to around 2893 m and the dam breach stopped. Peak discharge of the dam breach occurred at 7:00 h on October 13 at  $1 \times 10^4$  m<sup>3</sup>/s. A peak discharge of 7800 m<sup>3</sup>/s was recorded at Yebatan electricity station, located 70 km downstream. The dam breach formed a trapezoidal-shaped spillway with a basal width of 60 m and top width of 200 m, and  $4.0 \times 10^6$  m<sup>3</sup> of sediment was transported downstream.



**Fig. 2.** Plan view aerial drone images: (a) after first dam breach; (b) after second dam breach

The second landslide occurred at 17:40 h on November 3, 2018 and blocked the Jinsha river around the location of the spillway eroded by the first outburst flood, which was still filled with landslide debris. The main scarp of the landslide was at an elevation of 3720 m and the landslide had a volume of  $8.5 \times 10^6$  m<sup>3</sup>. The new dam had a maximum length of 2.1 km in a downstream direction and maximum and average widths of 700 m and 450 m, respectively. The surface elevation



of the dam varied from 2966 m to 3011 m. Due to the high risk of a second dam break, emergency spillway excavation was conducted to decrease the risk. The basal elevation of the excavated spillway was 2952.5 m, with a side slope of 1:3 (height:width), basal width of 3 m and length of 350 m. The excavation was finished at 09:00 h on November 12. The dam started to breach at 10:50 h on November 12. During the retrogressive stage, at 15:00 h on November 13, a total of  $1.32 \times 10^6$  m<sup>3</sup> of dam sediment was transported downstream, increasing to  $1.59 \times 10^6$  m<sup>3</sup> by 16:00 h. An outburst flood peak discharge of  $3.1 \times 10^4$  m<sup>3</sup>/s was recorded at 18:00 h on November 13. The water level of the outburst flood flow downstream was greater than the 10000-year flood and it caused catastrophic damage to downstream settlements and regions, including the destruction of bridges, tourist spots and farmland. A balance between lake inflow and discharge was reached at 8:00 h on November 15 2018, with an upstream lake volume of  $7.9 \times 10^7$  m<sup>3</sup>. All these data for two events are represented in Table 1.

**Table1** Summary geometry data for the two 2018 Baige landslide dams

Case	$L_D$ (m)	$B_D$ (m)	$h_{avg}$ (m)	$V_D$ ( $10^6$ m <sup>3</sup> )	$h_T / V_{ML} (\times 10^8 \text{ m}^3)$	$H_s$ (m)
First dam	2100	500	40	24.5	2933.7/2.9	2892.84
Second dam	2100	700	46	8.53	2956.39/5.86	2903.81

Compared with the lake volume before the dam breach, the landslide material only comprises a small part of the initial lake volume. The first dam breach left 13.56% of the volume of the initial lake, while the second dam breach left 13.61% of the volume of the second initial lake as residual storage; lake depth upstream of the spillway is 33.8 m.

Costa and Schuster (1988) classified landslide dams into six categories based on their depositional form, sliding mechanism and spatial relationships with the valley floor. Baige events blocked the Jinsha river totally in both cases, and are classified as Type 2 as the dams are large and



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span the entire river.

### 3 Methods

#### 3.1 Field investigation and Digital Elevation Model (DEM) analysis

For comparison of dam geometry evolution, field investigation was carried out six months after the second Baige dam breach. A small unmanned aerial vehicle (UAV), Dajiang MAVIC 2, was used to obtain multiple aerial photographs using a high-resolution ( $4000 \times 2250$ ) camera. All the images exhibit minimum 80% image overlap. (Tonkin and Midgley, 2016; Entwistle and Heritage, 2017; Entwistle and Heritage, 2019). The drone was flown at a uniform height (300 m) to generate high-resolution imagery (0.1 m, vertically and horizontally) for accurate Digital Terrain Modelling (DTM) reconstruction. We obtained ground truth data using RTK (Real-Time Kinematic) Global Positioning System (GPS) technology to determine altitude and the location of 20+ markers on each landslide dam. The DEM data used to analysis geometric characteristics range in resolution from 10 m (pre-landslide), 1 m (post-first landslide, post-first dam breach and post second landslide) to 0.5 m (post-second dam breach).

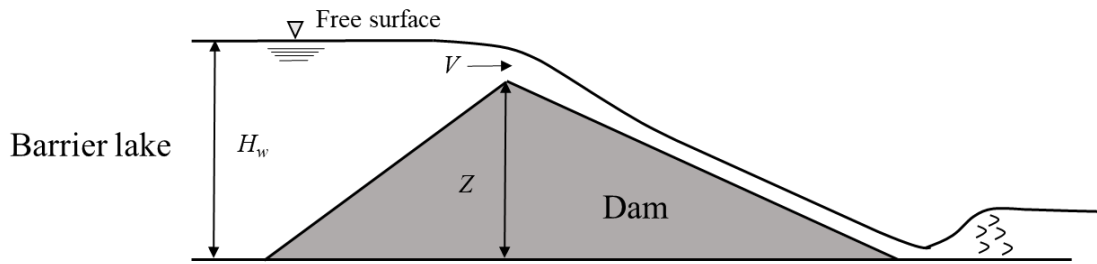
DEM differencing has been used to analyze the volume and elevation variations between time periods. Morphological change is determined using DoD:

$$\Delta E = E_2 - E_1 \quad (1)$$

where  $\Delta E$  is the elevation difference in one mesh, m,  $E_1$  and  $E_2$  are the elevations at specific times, such as after one event.

### 3.2 Dam breach numerical simulation

The overtopping process of the outburst flood was modeled as open channel flow and a weir flow model was used to predict the flow rate in the spillway (Chen et al., 2014; Walder et al., 2015). Many erosion models have been developed to predict flow erosion, and they can be generally grouped into three categories: (1) river dynamic models based on sediment entrainment and transportation that can be used with the Exner equations to update geometry variation (Wang et al., 2008; Cao et al., 2011; Begam et al., 2018); (2) models based on soil mechanics (Briaud et al., 2001; Hanson and Simon, 2001; Chang et al., 2011; Zhong et al., 2020); (3) empirical erosion models based on observations of natural dam breach processes, but verified in physical experiments (Chen et al., 2014; Wang et al., 2016). The composition of natural dams is complex, including inner and outer structure, varying lithology, particle size gradation and water content, etc. Flow erosion is influenced by the soil mechanics and sediment properties simultaneously, so that the dam breach erosion process is very complicated. Here, we adopted the Broad-Crested Weir Flow model of Chen et al. (2014) and related erosion model to analysis the dam breach (Fig. 3).



**Fig. 3.** Cross section showing dam breach parameters

$$Q = CB_c\sqrt{2g}(H - Z)^{\frac{3}{2}} = A(H)\frac{\Delta H}{\Delta t} + q \quad (2)$$

where  $Q$  is spillway discharge;  $C$  is a discharge coefficient;  $B_c$  is the average width of the spillway;

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$Z$  is the elevation of the spillway base;  $H$  is the elevation of the spillway water surface;  $g$  is the acceleration due to gravity ( $9.8 \text{ m/s}^2$ );  $q$  is the natural inflow to the landslide barrier lake and  $t$  is time. Discharge is the mass balance considering the loss in volume of the barrier lake and upstream inflow.  $A$  is the water surface area, which is considered as a function of water level  $H$ . The erosion rate of the spillway  $\frac{\Delta Z}{\Delta t}$  is calculated by considering the critical shear stress:

$$\frac{\Delta Z}{\Delta t} = \frac{k(\tau - \tau_c)}{a + b(k(\tau - \tau_c))} \quad (3)$$

$$\begin{cases} \tau = \frac{\gamma n^2 V^2}{R'^{1/3}} \approx \frac{\gamma n^2 V^2}{h^{1/3}} \\ \tau_c = \frac{\gamma n^2 V_c^2}{R'^{1/3}} \approx \frac{\gamma n^2 V_c^2}{h^{1/3}} \end{cases} \quad (4)$$

In this study, the erosion rate at the base was assumed equal to the lateral wall for simplicity;  $a$  and  $b$  are two coefficients, the recommended value of  $a$  is 1.1 for landslide dams;  $k$  is a coefficient which is usually equal to 100 based on field-scale measurements (Chen et al., 2014). The bottom shear stress  $\tau$ , is calculated from the Manning formula, as in Equation (4),  $\tau_c$  is critical shear stress,  $V$  is velocity of the flood. Here,  $\gamma$  is the specific weight of water ( $9.8 \text{ kN/m}^3$ );  $n$  is the roughness coefficient;  $R'$  is the hydraulic radius, which is approximated by  $h$  due to the channel  $B_c$  being sufficiently wider than the average flow depth  $h$ .

Generally, most landslide dam breach studies choose values of “ $a = 1.1$ ” and “ $b = 0.0007$ ” (e.g., Tangjiashan landslide dam, (Chen et al., 2014). Both dam are made of loose soil in a state of low compaction. The very loose nature and relatively small particle size of Baige landslide dam materials mean that it is more erodible, therefore, we adopted  $a$   $b$  value of 0.0003 in this study. We used a roughness  $n$  of  $0.025 \text{ m}^{-1/3}\cdot\text{s}$ , based on a general value for similar river dynamics settings (Carling et al., 2010; George et al., 2017). Using Wang’s (2008) formula for calculating the critical velocity

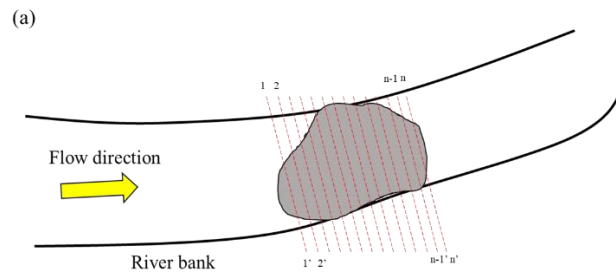
of a mixture of different size particles, the critical velocity of the landslide mixture  $V_{d,c}$  was calculated as:

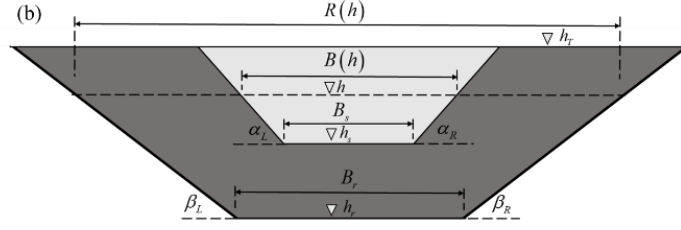
$$V_{d,c} = K \sqrt{2g \frac{\gamma_s - \gamma_w}{\gamma_w} d} \quad (5)$$

where  $d$  is the average particle diameter of the dam material;  $\gamma_s$  is the unit weight of dam material, in this study  $2.56\text{g/cm}^3$ ;  $K$  is a coefficient, in mixed sand it is in the range 0.89–0.93. From field investigation, a representative particle  $D_{90}$  of 0.24 m was identified and the related critical entrainment velocity was calculated as 2.41 m/s.

### 3.3 Controlling landslide dam morphologic parameters

Dam height is determined by the local elevation difference between the dam surface and local riverbed where flow passes through the dam. The critical dam surface elevation is that which determines the maximum elevation of the upstream lake, when the lake's elevation is higher than the critical elevation, the flow would start to overtop the dam. This value determines important outburst flood parameters such as lake volume, peak discharge, and in this study, we defined it as the effective dam height ( $H_e$ ), which is calculated from DEM data (Fig. 4a). The effective dam height was obtained from cross-section data along the river, in which cases the maximum height of each section's minimal elevation was defined as the effective dam height, which determines the maximum lake volume before the dam breach.





**Fig. 4.** Breach definition: (a) Plan view of landslide dam in river channel showing cross sections used for calculation of effective dam height; (b) Geometric relationships between dam, spillway and river relevant to determination of the Narrowing number  $N_r$ .

To determine the degree to which a river section is occupied by landslide materials, we defined a new dimensionless number, the narrowing number  $N_r$ :

$$N_r(H) = \frac{R(H) - B(H)}{R(H)} \quad (6)$$

where  $N_r(H)$  is the degree of narrowing at elevation  $H$ ;  $R(H)$  is the initial river width at elevation  $H$ ;  $B(H)$  is the breach width at elevation  $H$ . If the outburst flood erodes the initial river bank,  $B(H)$  is smaller than  $R(H)$  so that  $N_r(H)$  stays below 1. If  $N_r(H) = 1$ , the landslide occupies all the area in the elevation  $h$ ; if  $N_r(H) = 0$ , no landslide material occupies the elevation  $H$ . The parameter can be used to compare the breached spillway and initial river cross sections. No DEM data were available for one of our comparator events, the Xuelongnang landslide dam that occurred c. 1000 years ago; in this case, we assumed that river geometry upstream and downstream of the dam was similar to initial river geometry at the dam site for calculation of  $N_r(H)$ .

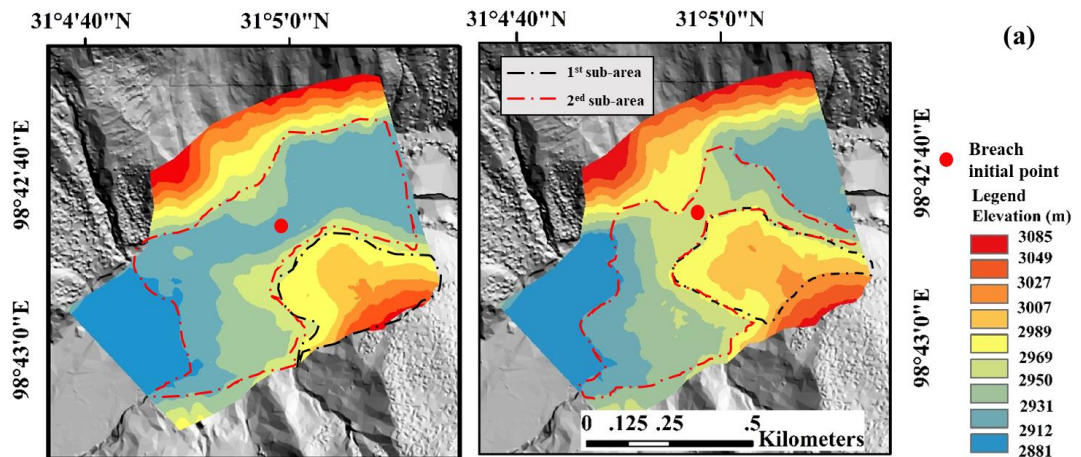
## 4 Results

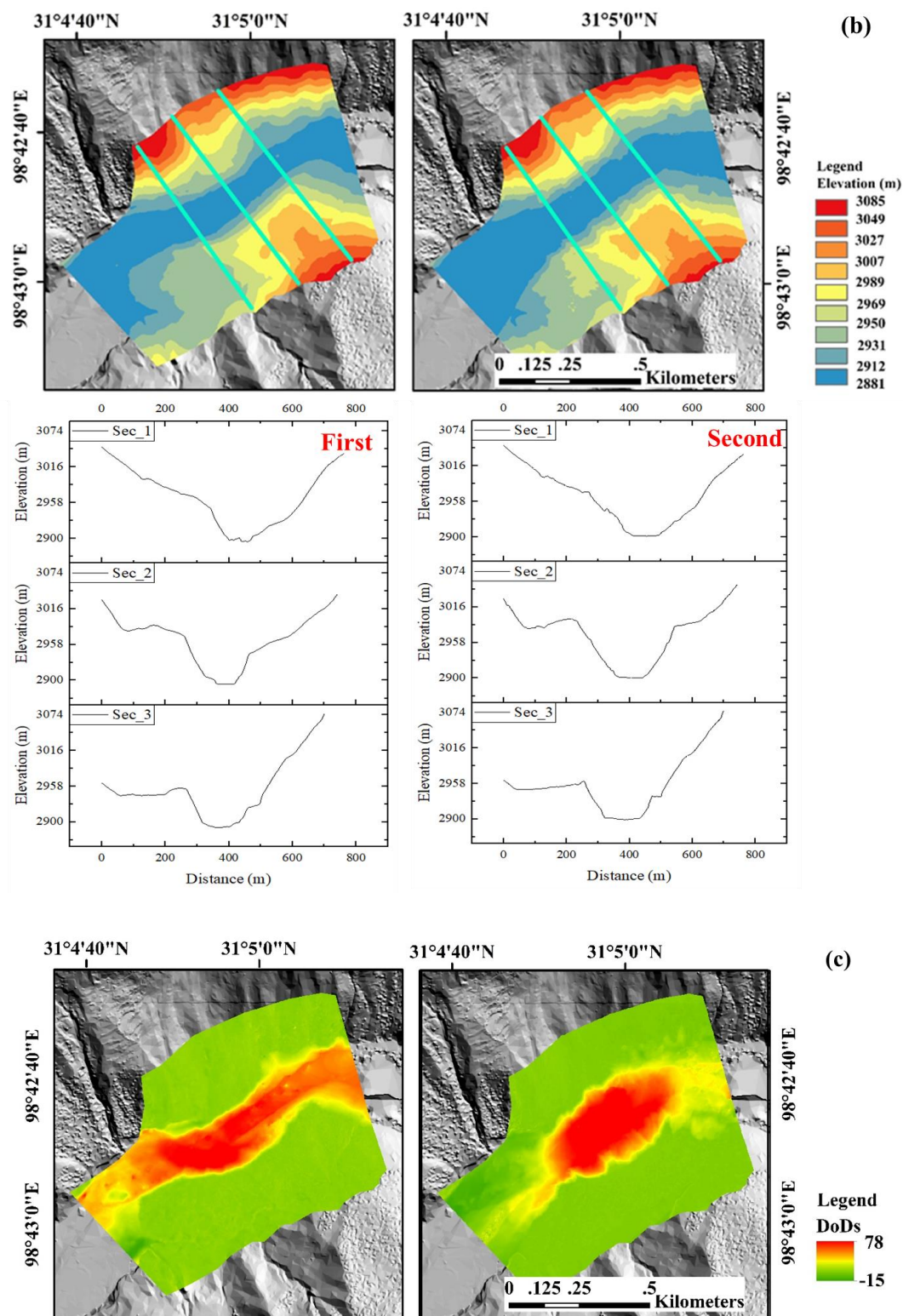
### 4.1 Dam geometric characteristics in the Baige events

DEMs show that the height of the landslide debris on the distal side is higher than the height

on the proximal side of both landslide dams (Fig. 5a). Surface elevations of the dams can be classified into two sub-areas: (1) red and yellow area, above 2970 m; (2) green and blue area, below 2970 m. The difference DEMs (Fig. 5c) show that most of the erosion in the second landslide took place in the second sub-area (SB-2), so would have had very little influence on the dam's geometry of the first sub-area (SB-1).

Cross sections (Fig. 5b) show that average elevation differs on either side of the dam; this is important as elevation controls where the dam breach is initiated. Usually, the dam cross section is assumed to be a regular trapezoid for breach calculations. However, in the current case, the breach was initiated in the lower, SB-2, therefore the dam cross section cannot be treated as a regular trapezoid. The value of  $H_e$  (defined in section 3.3) was calculated from the lower right part of the dam which is in SB-2.





**Fig. 5.** (a) Elevation DEM of the first (left) and second (right) landslide dams at Baige, left is downstream in both images; (b) Cross section location (top) and profiles (bottom) for the two



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Baige event, section profile was viewed from upstream to downstream; (c) DoD showing elevation changes resulting from outburst floods. Most erosion was focused on the SB-2, with little elevation change in the SB-1 (see (a) for location of sub-areas).

We analyzed erosion processes in the two dam breaches using DEMs of difference (Fig. 5c). The initiation point for the first breach was located close to the center of the SB-2. After the first dam breach, a new channel with a steep channel slopes (around  $40^\circ$ ), which is similar to the angle of repose for soil) was eroded in the SB-2, but the geometry of the SB-1 was not altered. The initial breach location of the second outburst flood was at a higher elevation, but was also close to the center of the SB-2. Like the first event, the powerful outburst flood eroded a new, steep-sided, deep channel in the SB-2, but it had little impact on the SB-1 (Fig. 5 b). Cross sections of the two eroded channels are almost all trapezoidal with similar widths of channel bed and two steep sides (Fig. 5b).

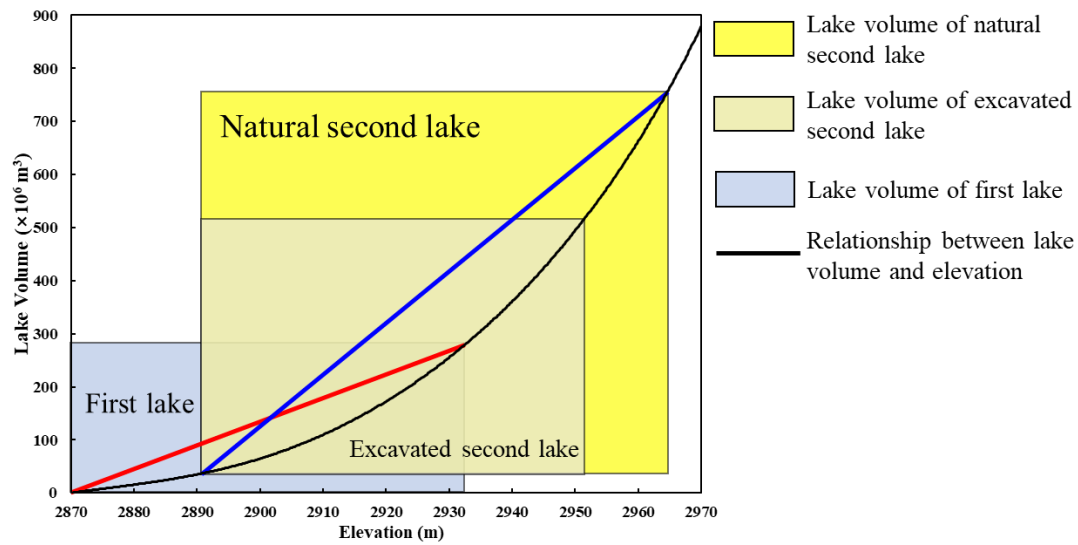
After the first dam breach,  $20.5 \times 10^6 \text{ m}^3$  of sediment remained in the Jinsha river and the outburst flood transported  $4 \times 10^6 \text{ m}^3$  of sediment downstream, which represented only 16.3 % of the total volume of the first landslide dam. A trapezoidal spillway with a bottom width of 60 m and height of 60 m was formed after the first dam breach, with a vertical incision depth of 40.86 m which is 64.14 % of the  $H_e$  of the first dam. The spillway became the new river channel after the first dam breach. The width of spillway bottom in both cases is smaller than that of the original river.

#### **4.2 Back analysis of second dam breach and prediction of natural dam breach for the second dam**

The first dam breach was a natural one, but the second dam was artificially excavated prior to breaching. The excavation was useful to reduce peak flood magnitude and downstream outburst

flood risk, but for our analysis and comparison with the first event, we need to determine the characteristics of what would have been the natural breach. Numerical simulation is an effective method to obtain information on the natural dam breach.

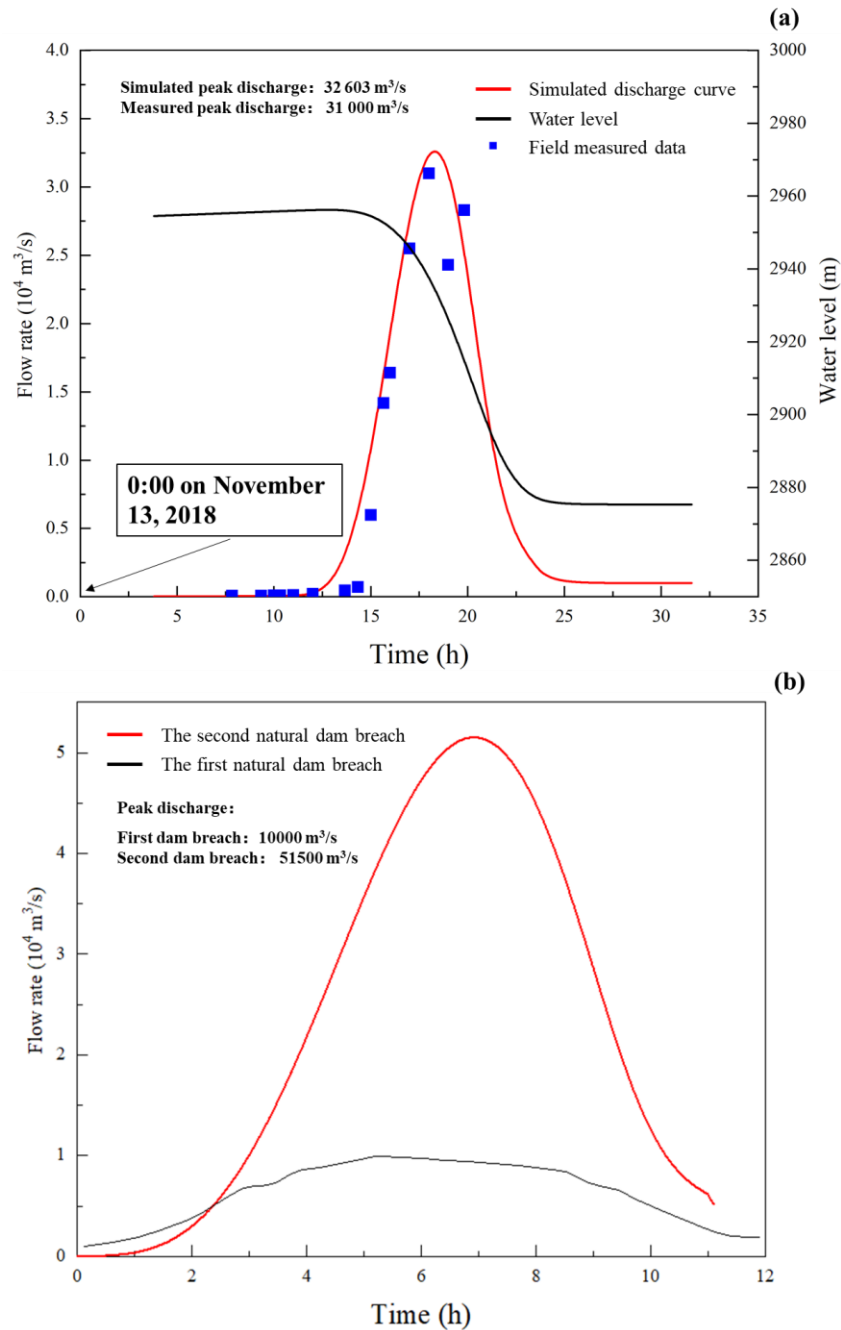
Before numerical simulation, we needed to clarify the relationship between lake volume and elevation of the upstream landslide dam. Using DEM data with a 20 m resolution, the relationship between lake volume and the free water surface (in the landslide dam) elevation is shown in Fig. 6.



**Fig. 6.** Vertical lifting provided by the first dam increased blocking efficiency. The black curve is relationship between lake volume and elevation, changed. The slopes of red line and blue line are the rates of change of the volume per meter elevation change (see text for details).

The discharge curve for the simulated outburst flood from the artificial second dam breach at Baige generally fits well with the measured data (Fig. 7). However, at around 19.83 h on November 13, there is a small fluctuation in the measured discharge that is not reflected in the simulation; the short-lived decrease in discharge might have been caused by a large spillway side-wall collapse. Overall, the good match shows that the simulation results for the second dam breach are reliable.

Sensitivity analysis for the empirical coefficients of erosion were conducted, after Chen (2020), and included in the Appendix. The most sensitive parameter is ‘ $b$ ’, which could produce a change of 15% on peak discharge. The maximum time difference is 72 minutes.



**Fig. 7.** Simulated hydrographs: (a) Simulated discharge curve for the artificial (after excavation) second dam breach; (b) Simulated natural discharge curve for the second dam breach

compared with the first dam breach.

For prediction of the natural dam breach, most of the input parameters remain the same as the simulated artificial/excavated dam breach, but with an elevation of 2966 m and initial channel width of 0 m. The resulting peak discharge for a natural dam break in the second event is  $5.15 \times 10^4 \text{ m}^3/\text{s}$ , which is more than five times that of the first event and 1.66 times that of the artificial dam breach (Fig. 7b). Artificial excavation resulted in an  $H_e$  value of 13.48 m which is 16.34% of the initial  $H_e$ , while peak discharge decreases by 39.8 % compared with the no excavation condition. Clearly, artificial spillway excavation plays an important role in landslide dam risk mitigation.

#### 4.3 Effective dam height dominates local peak discharge

The volume of the first landslide dam ( $2.45 \times 10^7 \text{ m}^3$ ) was almost three times that of the second landslide dam ( $8.5 \times 10^6 \text{ m}^3$ ). It is surprising therefore, that the second landslide generated a catastrophic outburst flood event with a much higher peak discharge compared with the first event. The volume of the second barrier lake ( $7.8 \times 10^8 \text{ m}^3$ ) was more than twice that of the first barrier lake ( $2.9 \times 10^8 \text{ m}^3$ ). To identify the key factors controlling the different responses, we compared a range of dimensionless parameters for the two natural events (Table 2). We normalized the  $H_e$  value, peak discharge, lake volume, potential energy, and dam volume parameters using the average width of the Jinsha river in Baige County  $B_r$ , which is 93 m, the upstream base flow rate of the Jinsha river  $Q_b$  which is around  $1000 \text{ m}^3/\text{s}$  (Wei et al., 2019) and the volume of the first landslide dam.

**Table 2** Comparison of dimensionless parameters for the two natural dam breach cases

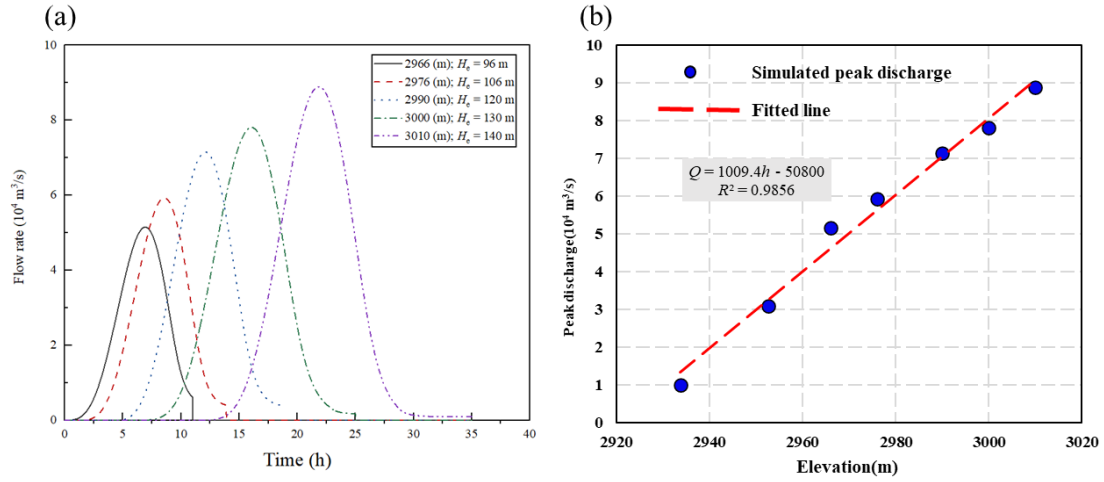
Dimensionless parameter	Formula	Physical meaning	1 <sup>st</sup> landslide	2 <sup>nd</sup> landslide	2 <sup>nd</sup> /1 <sup>st</sup>
$\bar{H}$	$\frac{H_e}{B_r}$	Geometry ratio of dam height and width	0.89	1.03	1.16

$\bar{Q}$	$\frac{Q_p}{Q_b}$	Ratio between maximum local flow rate of one blocking event and base flow	10	51.5	5.16
$\bar{LV}$	$\frac{LV_n}{V_1}$	Ratio of blocked lake volume and dam volume	11.84	35.51	3.0
$\bar{PE}$	$\bar{HLV}$	Representative upstream lake potential energy	10.54	36.58	3.47
$\bar{DV}$	$\frac{DV_n}{DV_1}$	Volume ratio between successive landslides and first landslide	1	0.35	0.35
$\bar{AV}$	$\frac{AV_n}{V_1}$	Ratio of accumulated dam volume to 1 <sup>st</sup> dam volume	1	1.16	1.16

The parameters in Table 2 fall into two classes: (1) lake volume, peak discharge and potential energy, which all have quite high values; (2) dam height, dam volume and accumulated volume, which all have low values. Comparison of parameters for the second landslide with those for the first shows the greatest increases are in peak discharge, lake volume and potential energy. The ratios for accumulated dam volume and  $H_e$  are a little over 1, indicating little difference between the two events, but the dam volume ratio is below 1, indicating a decrease. These results are similar to those discussed by (Peng, 2012), in which lake volume and potential energy are strongly correlated with peak discharge. Overall, the comparison shows that  $H_e$  is a positive parameter that affects other parameters: it is axiomatic that dam volume has a fixed relationship with  $H_e$ , which determines lake volume and potential energy.

To investigate the relationship between  $H_e$  and peak discharge within the elevation range of the spillway we ran numerical simulations for different dam height scenarios. If the second landslide occurred very soon after the first natural dam breach, it would be easy to fill the lower SB-2 and form a new higher dam. Based on this assumption, we tested a dam elevation range of 2933.7 to 3011 m, where 2933.7 m is the elevation of the surface of the first dam in the SB-2 and 3011 m is the highest elevation of the first sub-area (Fig. 8a). Soil erodibility and geometry were set at the

same values as for the natural discharge simulation for the second event.



**Fig. 8.** Simulated discharge curve of different effective dam heights and relationship between related

peak discharge and effective dam height at the Baige a) The graph shows discharge curve of dam breach for

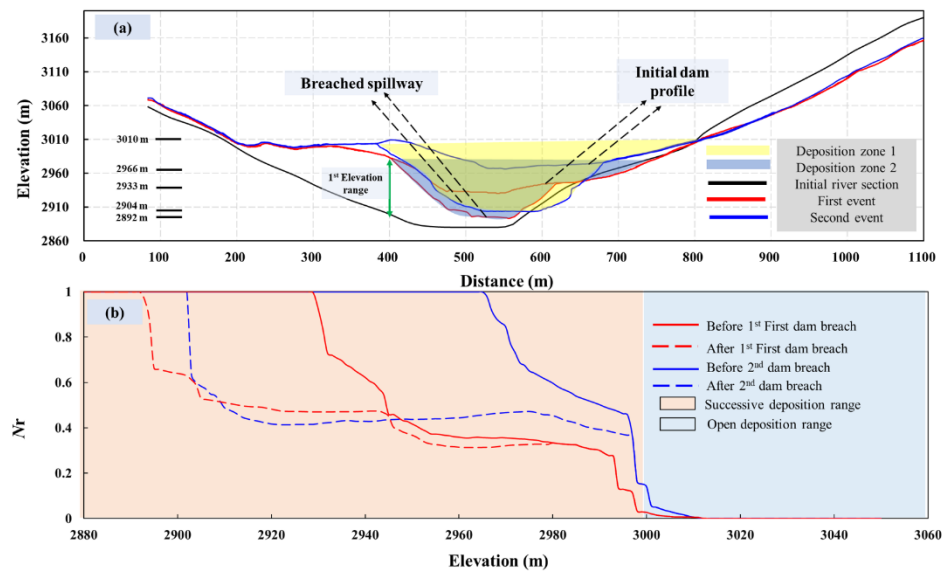
different dam elevation scenarios. b) linear relationships between peak discharge and effective dam height

for different elevation scenarios.

If the second landslide dam had a greater volume, sufficient to fill the spillway of the first landslide dam, and breach initiation was at an elevation of 3000 m, peak discharge would be  $7.92 \times 10^4 \text{ m}^3/\text{s}$  (79.2 times base flow). If breach initiation occurred at 3011 m elevation, the peak discharge would be  $8.84 \times 10^4 \text{ m}^3/\text{s}$  (88.4 times base flow). Overall, the results show a strong linear relationship between peak discharge and  $H_e$  for the range of spillway elevations tested, with  $R^2=98.6\%$  (Fig. 8b). The results means that for every 1 m increase in  $H_e$ , peak discharge increases by  $1009.4 \text{ m}^3/\text{s}$ , which is equivalent to the base flow rate of the upstream Jinsha river. Evidently,  $H_e$  determines lake volume and potential energy (due to fixed upstream river geometry) at Baige, which determine peak discharge of landslide dam outburst events.

#### 4.4 First landslide increases risk of second outburst flood by narrowing and lifting the riverbed

We investigated variations in the spillway cross section geometry in response to successive landslide and dam breaching using  $N_r$  values. Four representative time periods were examined: (1) after the first landslide, before the first dam breach; (2) after the first dam breach, before the second landslide; (3) after the second landslide, before the second dam breach; (4) after the second dam breach. Cross sections within the central part of the dam (Fig. 9a) show similar features present on both landslide dams, with three elements: (1) higher left side in the SB-1; (2) lower side in the SB-2; (3) narrow central area with very steep sides. Figure 9b shows how  $N_r$  varies with elevation. Below the SB-2, a  $N_r$  of 1 shows that elevation in this range was totally blocked.  $N_r$  shows great variation in the steep slope area.  $N_r$  is 0 above the higher SB-1, indicating no sediment blockage.



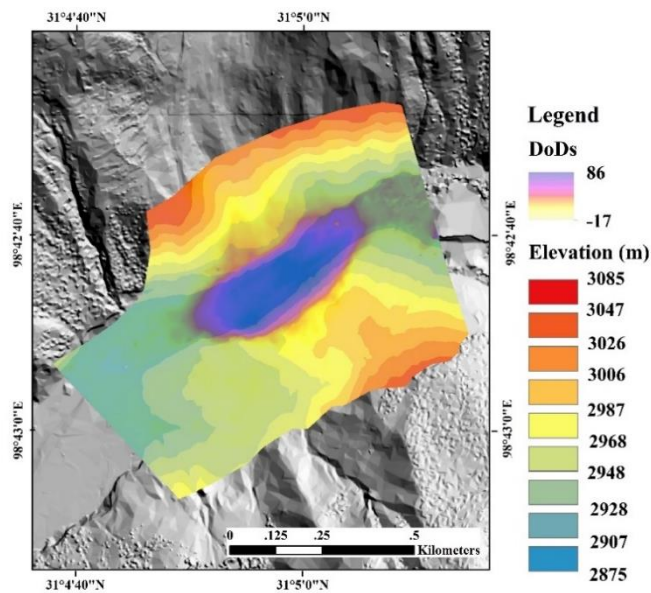
**Fig. 9.** Variations in cross section geometry around the center of the landslide dam. L1 and

L2 are the elevation difference between river bottom and breach bottom of each case.  $N_r$  is the



narrowing number at different elevations.

After the first landslide, the average elevation of the left side of the landslide dam was 3000 m and of the right side it was 2935 m, giving an elevation difference of 65 m which is very similar to the  $H_e$  of the first dam (63.7 m).  $N_r$  is around 0.35 in the steep slope zone. A regular trapezoidal cross section was formed after the first dam breach, with a bottom width and height of about 60 m and side walls slopes of almost  $40.6^\circ$ . The first outburst flood did not reduce the  $N_r$  of the SB-1, which is still close to 0.35, but the river was strongly narrowed, with the  $N_r$  of the newly incised area of around 0.4–0.5. After deposition of the second landslide, the elevation difference between the two sides is 30 m, which is 31.25% of the  $H_e$  of the second dam (96 m). After the second dam breach, the  $N_r$  value of the steep slope area decreased from 1 to 0.5. However, the landslide deposit had little influence in the SB-1. The outburst flood cuts a similar regular trapezoidal section to the first breach that has little influence on the  $N_r$  value in the SB-1 and the  $N_r$  value in the steep slope zone is around 0.5. Moreover, we analyzed  $N_r$  value along dam (see Appendix A3).



**Fig. 10.** DEM of the Baige landslide deposition zone showing DoD for the central area after

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the second landslide. Debris from the second landslide filled the spillway of the first breach.

DEM analysis shows that the first landslide deposited material on the opposite river bank, in the form of a runup deposit. The runup deposit provides a steeply sloping area that exhibits a huge elevation range and encourages overtopping in the lower SB-2. In this range,  $N_r$  is around 0.35. As the outburst flood transported only a little debris in the SB-1, with most material in the SB-2, the central part of the dam was still very narrow ( $N_r = 0.5$ ) in the elevation range of the newly formed spillway and initial steep slope area. Furthermore, the initial valley side gradient of 26.6 degrees allowed the first landslide to travel a long way, but the high (40.6°) gradient of the eroded spillway banks would have significantly slowed the motion of the second event. The spillway formed by the first breach provides a large, narrow and contained deposition zone (elevation difference between spillway bottom and top is 103 m) for the second landslide. Accordingly, although the second landslide was smaller in volume, almost all the material was deposited in the spillway, producing a very thick mass (large elevation range) with a large  $H_e$  value (Fig. 10).

The two outburst floods eroded regular cross sections with width almost equal to depth, which limits the potential for lateral erosion and decreases the  $N_r$ . The formation of similar sections in the two events could be due to the similar erosion characteristics of the outburst floods. Most models assume a linear relationship between incision depth and lateral erosion (Fread, 1988; Chen et al., 2014; Zhang et al., 2019; Zhong et al., 2020), or between vertical cutting rate and lateral erosion rate (Osman and Thorne, 1988; Cantelli et al., 2007). The outburst flood cannot fill the whole channel depth, so that the section of channel bank above the free surface collapses during lateral basal erosion (Cao et al., 2011; Chen et al., 2014; Walder et al., 2015) and attains a slope around the

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angle of repose for the bank materials.

Generally, the emplacement of a landslide dam raises the local elevation and forms a knickpoint. Most outburst floods are not able to erode the dam completely to the initial river elevation due to the limitation of upstream storage. The variation in elevation range for  $Nr = 1$  reflects this local elevation lifting. The first outburst flood did not remove all the dam sediment, leaving a spillway with a bottom elevation 22.84 m higher than initial riverbed. The second dam lifted the riverbed to 33.81 m. Natural geometry determines the volume-elevation relationship; if a landslide dam is emplaced at a higher elevation, the same increment of  $H_e$  would be able to impound more water, which increases the blocking efficiency. On average, the ratio between maximum lake volume and increase in  $H_e$  is  $4.55 \times 10^6 \text{ m}^3$  for the first dam (red line in Fig. 6) and  $10.64 \times 10^6 \text{ m}^3$  (blue line in Fig. 6) for the second dam. The blocking efficiency of the second event was twice that of the first; this process increases local outburst flood risk. The Yigong barrier lake, in the Yarlung Tsangpo catchment in southeastern Tibet, has also been subject to repeated landslide blocking and lake volume has increased significantly due to the effect of spatial superposition.

From empirical equations, the height of the dam formed by one landslide blocking event is dominated by two factors: slope of the opposite valley side and valley topography (Wei et al., 2015; Wu et al., 2020). Generally, the sides of the breach are steeper than those of a natural earth slope (excluding rock slopes), and the breached dam has a narrower bottom width. Considering the initial blocking condition, the variation in  $H_e$  after a determined landslide event contains two parts, which can be calculated by:

$$H_{en} = H_N + H_B \quad (7)$$

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$$\Delta H = H_{en} - H_R \quad (8)$$

where  $H_{en}$  is effective height of the new dam;  $H_N$  is dam height variation based on breached new geometry;  $H_B$  is bottom effective height of old breach;  $H_R$  is dam height where there is no old blocking condition;  $\Delta H$  is the difference of dam height between blocking and no blocking condition. Qualitatively, if  $H_B$  is higher, a large impounded lake can develop upstream of the local dam and there is high potential for a catastrophic outburst flood such as occurred at Yigong barrier lake (Liu et al., 2019). Both the Yigong and Baige dams demonstrate clear characteristics of spatial superposition that has led to increased  $H_e$  values after successive events. Dam height and lake volume are two of the main parameters used to determine peak discharge in prediction models. For many elevation-lake volume models (no blocking condition), the slope of the relationship (volume increase per meter) is equivalent to a larger free surface area of the lake; the same change in  $H_e$  is related to much larger lake volumes at higher elevations. Successive landslides influence local morphology by increasing  $H_N$  and  $H_B$  for the next cases and produce high risk successive outburst floods despite a limited volume of landslide.

## 5 Discussion

### 5.1 Initial dam geometry influences the narrowing rate

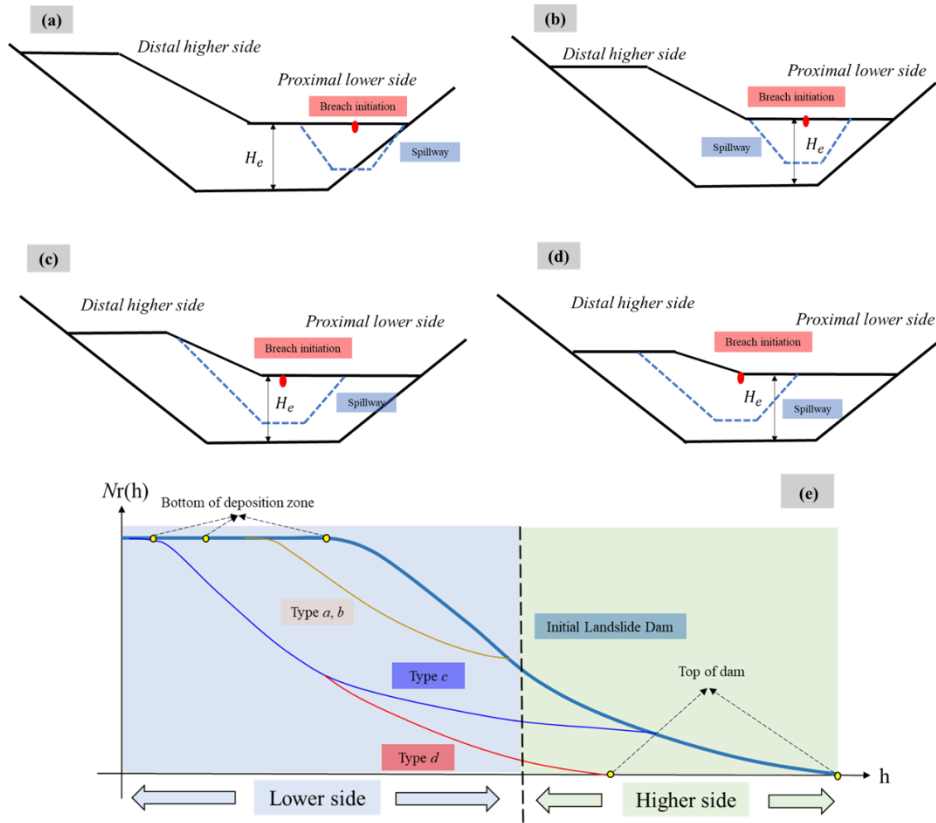
The elevation range between the first and second sub-area, which was narrowed by landslide debris, provides a deposition zone for the next landslide and promotes formation of elevated  $H_e$  values. Furthermore, due to outburst flood erosion characteristics that tend to form a regular cross section, the spatial relationship between spillway and dam is relatively fixed. If a landslide forms a dam with a very large  $H_e$  value, and impounds a large volume of water upstream, the resulting

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outburst flood has potential to transport almost all the deposition material without a narrowing effect.

However, many cases have smaller lakes which might lead to a very high  $N_r$  value in the river.

Due to the regular cross section of the spillway, the location of the breach initiation point influences the spatial relationship between spillway and dam. Four types of dam geometry can be considered (Fig. 11). If the kinetic energy of the landslide is high, it forms a dam that is lower on the proximal side and the breach initiation point is close to the proximal riverbank. The outburst flood erodes the proximal riverbank, but the higher distal side is intact (Fig. 11a). If the kinetic energy of the landslide is moderate, the breach initiation point tends to be in the middle of the lower proximal side. The middle lower part of the dam erodes and the proximal riverbank deposits and the higher distal deposits remain intact (Fig. 11b). Tangjiashan ([Liu et al., 2010](#)) blocking events follow this model. If the landslide has relatively low kinetic energy, the breach initiation point is close to the distal side; this mean that lower distal part is eroded (Fig. 11c), as a breach channel develops, with limited effects on narrowing. The Baige landslide dam belongs to this type. If breach initiation is close to the higher distal side, most material on the higher side is eroded (Fig. 11d), which would deduce narrow effects. Tanggudong dam belongs to this type ([Song, 2015](#)).

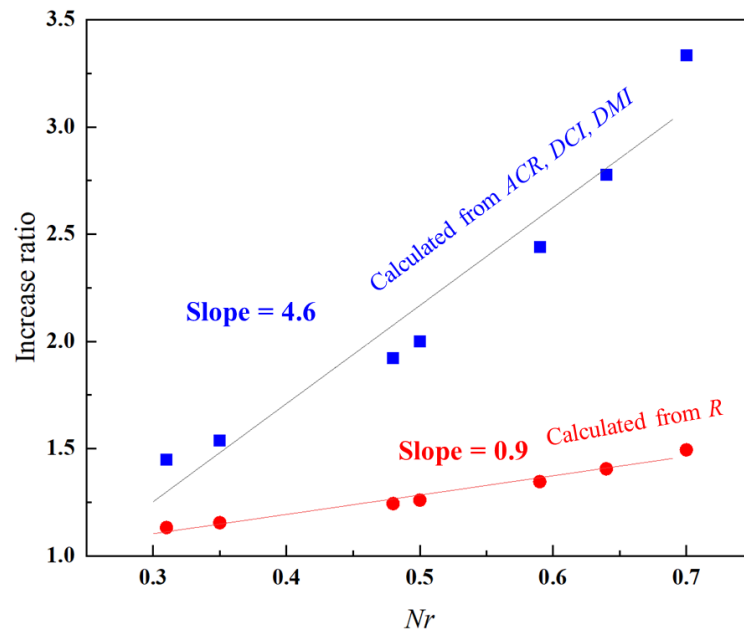


**Fig. 11.** Relationships between dam and spillway geometry. Red points indicate where the dam breach initiated. The three yellow points in e are bottom elevation of breached dams. (a), (b), (c) and (d) are the type a, b, c and d of dam and spillway geometries; (e) is the ideal narrowing rate curve of the four types.

We calculated  $Nr(h)$  for the four dam geometries (Fig. 11e). With types *a* and *b*, the outburst flood only affects the lower proximal side, a narrow river is maintained at a high elevation. With type *c*, the outburst flood erodes and transports some debris from the higher distal side, it reduces the risk of further erosion of the higher distal side. With type *d*, the outburst flood erodes significant sediment from the higher distal side, the  $Nr$  value of high elevation range reduces and the risk from initial dam blocking in this elevation range is significantly reduced.

## 5.2 Breached landslide dams increase local blocking and flooding possibility

Landslide dams or breached dam may persist for hundreds of years and block transport of sediment from upstream by lifting the local elevation (Korup and Tweed, 2007), the effects of this control on river morphology may persist for thousands of years (Wei et al., 2015; Liu et al., 2019). The concentration of narrowing in a fixed elevation range promotes the formation of new local blocking cases. To further investigate the narrowing effects on dam formation, we used a number of empirical models (see Appendix A2) to calculate critical conditions of river blocking for some previously published major landslide dams in southwest China. The calculated  $Nr$  values of the dams lie in the range 0.3-0.7, yielding increased blocking factors in the range 1.13-3.33 (Fig.12), suggesting the initial dam significantly increased the potential for subsequent dam formation. The slope of the relationship between  $Nr$  and the increase ratio ranges from 4.6 to 0.9 due to different calculation models employed (Table A2).



**Fig. 12.** Relationship between the  $Nr$  values and the increase ratio and from field dams, blue points



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are calculated from *ACR*, *DCI* and *DMI* models, red points are calculated from *R* model (see Table.A3).

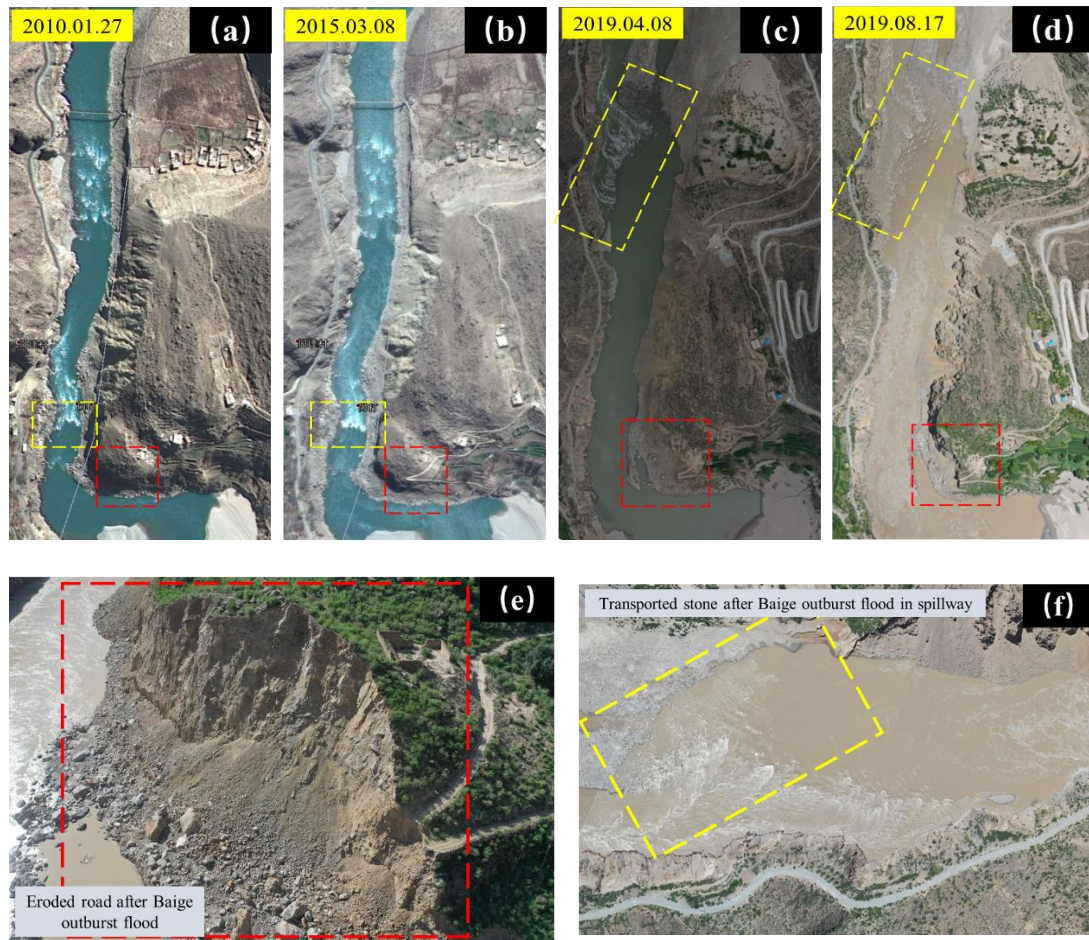
Once a dam is emplaced, there is increased likelihood for a smaller volume landslide or lower energy landslide, to block the river than if there was no prior blocking. The relationship between  $N_r$  and the increased ratio of likely blocking for different dams is proportional, indicating that more intensive initial narrowing is related to easier subsequent blocking.

### 5.3 Effects of inflow on evolution of dam geometry

Although a dam could stay in a river for many years, its geometry likely will change before the next landslide occurs, Factors that drive morphological change of the breached dam include earthquakes, rainfall, inflow and compaction, which might change  $H_N$  and  $H_B$ . The effects of inflow, including base flow and seasonal and outburst floods are discussed below.

Xuelongnang landslide dam (99°03'07.81"E, 29°29'10.85"N, which occurred more than 1000 years ago) is located in the upper Jinsha river, 213 km downstream of the Baige landslide dam. It is a rock dam with a  $D_{90}$  of about 1.2 m, so is unlikely to be eroded by base flow. A series of Google Earth images (Fig. 13) show changes to the dam spillway before and after the Baige outburst floods in 2018. In January 27, 2010 and March 8, 2015, several rocks are visible in the middle of the spillway (marked by the yellow box in Figs. 13a and 13b). The stable position in the six years between the two images indicates a lack of vertical erosion under prevailing seasonal flooding and base flow conditions. In the second 2018 Baige outburst flood, which had a magnitude equivalent to the 10000 year seasonal flood at Xuelongnang dam, the rocks were transported and formed a new aggregation downstream (marked by yellow box in Figs.13c and 13d, and plan view in Fig. 13f). A

new road was constructed at Xuelongnang from 2010–2015, to link the upstream lake area with the top of the landslide dam; the road foundations were built in landslide dam material, which was stable during the period (red box in Fig. 13 (a), (b)). After the Baige outburst flood, intensive erosion destroyed the foundations and part of the road (red box in Figs. 13c and 13d; aerial view in Fig. 13e). Over the nearly 10 year period of observation the spillway was not noticeably altered under base flow and seasonal flooding, suggesting these discharges are insufficient to transport spillway sediment in Jinsha river. The case study shows that dam geometry is persistent and landslide dams may be maintained in rivers for long periods of time, continuing to influence local outburst flood risk.



**Fig. 13.** Aerial images of the relict Xuelongnang landslide dam, Sichuan province, China. (a)

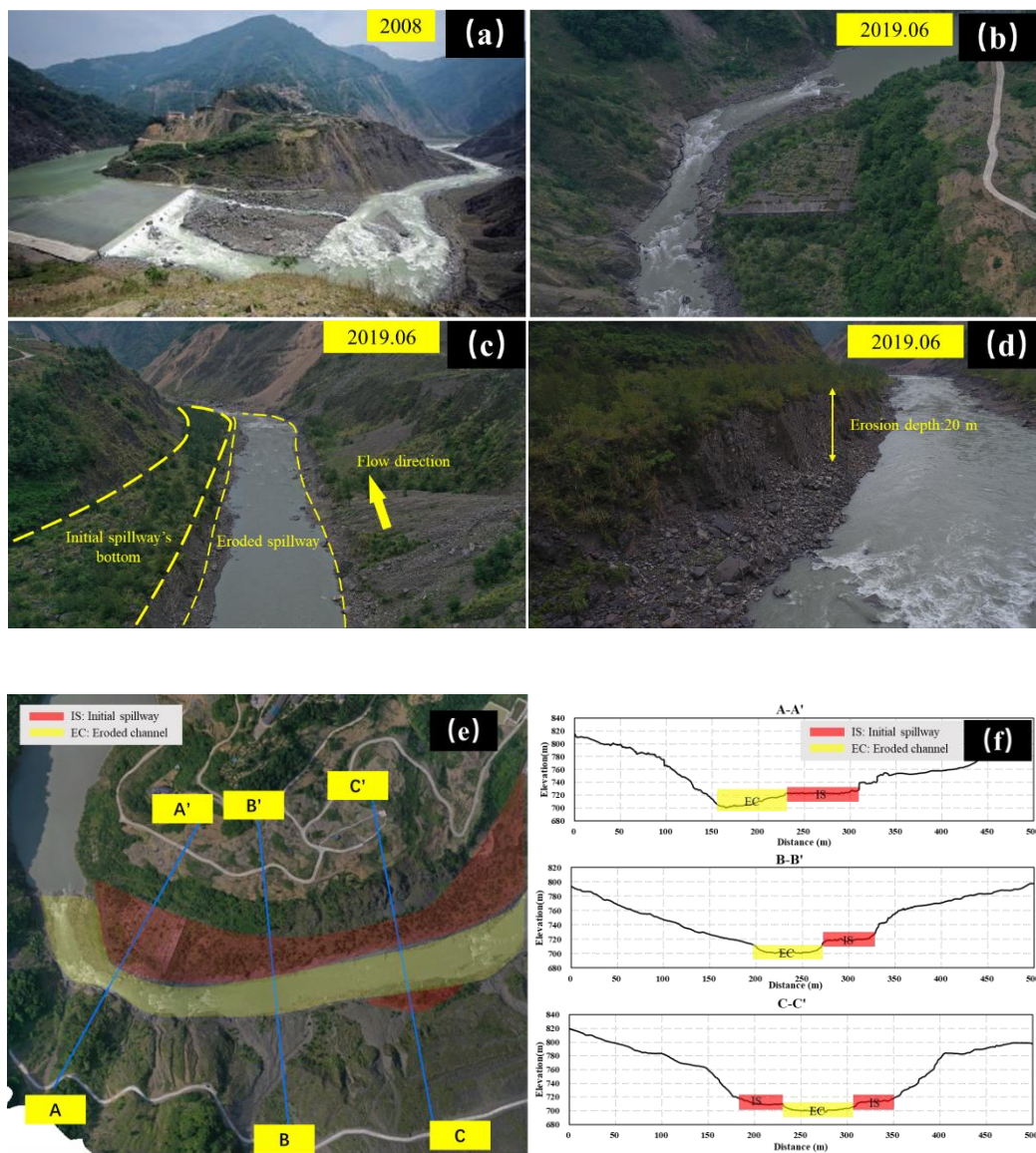
Google Earth image taken on 01.27.2010; (b) Google Earth image taken on 03.08.2015; (c) Drone

image taken 04.08.2019; (d) Drone image taken 08.17.2019, after the 2019 seasonal flood; (e)

Eroded road after the second Baige outburst flood; (f) Aggregation of rocks downstream of

Xuelongnang, after the second Baige outburst flood. Dashed yellow boxes mark location of large

rocky debris and red boxes the location of a new road built from 2010–2015.

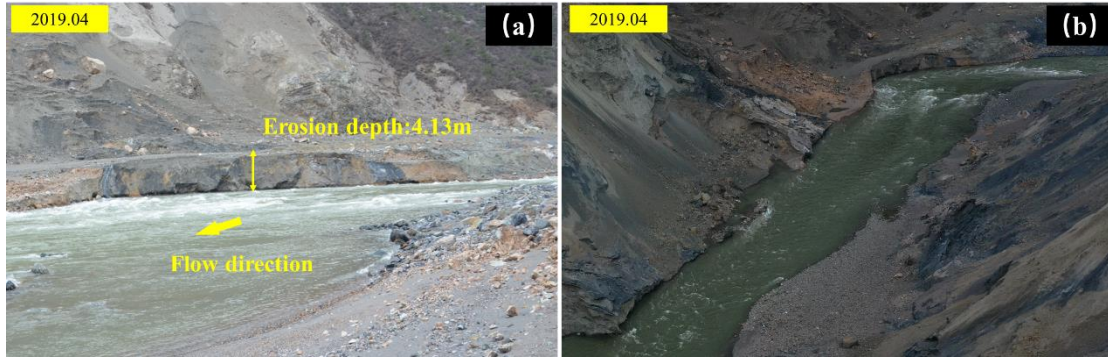


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**Fig. 14.** Tangjiashan landslide dam, northern Sichuan, China. (a) Image taken after  
emplacement of the dam in 2008 showing concrete layer constructed to reduce incision; (b) Part of  
the concrete layer had been eroded by June 2019; (c) New spillway had been formed by June  
2019; (d) Erosion depth of new spillway, June 2019; (e) Blue lines mark location of cross sections;  
(f) Cross sections showing profile of eroded spillway.

The Tangjiashan landslide dam was the largest failure caused by the Wenchuan earthquake in  
Beichuan County, northern Sichuan, in 2008. After dam breaching, a concrete block layer was  
constructed in the upstream part of the spillway to prevent vertical erosion (Fig.14a). Eleven years  
later in June 2019, due to erosion from base flow and seasonal flooding, some of the concrete blocks  
had been eroded (Fig. 14b). The spillway eroded laterally, forming a new channel to the right and  
leaving a platform on the left (Fig. 14c). Three cross sections derived from drone data (Figs. 14e  
and 14f) show the depth of erosion accomplished by 11 years of baseflow and seasonal flooding;  
around 20 m at sections A-A' and B-B' and 10 m at section C-C'. The Tangjiashan landslide dam is  
comprised of materials with a smaller particle size than Xuelongnang landslide dam, so the  
morphology of the spillway is continually evolving. Figure 14f shows that spillway erosion is  
unbalanced; this may be due to the intensive cutting ability of the outburst flood, as seasonal  
flooding and base flow are generally not of sufficient magnitude to drive erosion of the spillway  
bottom. Vertical erosion of the spillway formed a new narrower channel, inset within the original  
spillway margins.





**Fig. 15.** Drone imagery of Baige landslide dam, five months after the second dam breach. (a) Erosion depth in spillway; (b) Overview of spillway showing active vertical incision and lack of lateral bank erosion.

The material comprising the Baige landslide dam is very erodible and has been actively modified by base flow since the second dam breach. Drone data from April 2019 shows vertical cutting of 4.13 m in the upstream part of the spillway, achieved by base flow (Fig. 15). Like Tangjiashan landslide dam, Baige's original spillway geometry includes no erosion on the left spillway bank which belongs to the SB-1, so that the narrow part of the dam was not eroded.

Comparison of the three cases shows that the balance between dam composition and flow dynamics plays a key role in dam evolution, stability and longevity (Fan et al., 2019a). Flow in a spillway has different physical properties than normal river flow. Inflow approaches the initial breach as weir flow which accelerates due to water head difference. Given the short length of the spillway, it is difficult for the inflow thalweg to meander and erode laterally. Seasonal flooding and base flow are sufficient to cut a smaller new channel in the spillway. If lateral flow erodes dam material, collapse of the steep slope during vertical cutting could produce a large amount of debris that could push the river away, thus protecting the spillway bank. Over a long period of time, vertical

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cutting and infilling might lead to a continuous river longitudinal profile, but the two huge banks formed by the dam would still maintain the narrow river. Hence, the high risk posed by the narrowing effects of landslide dams persist until the dam is totally eroded.

## 6 Conclusion

Successive landslides in 2018 blocked the Jinsha river at Baige twice, with two outburst floods generated after overtopping of the dam. The volume of the first landslide was  $24.5 \times 10^6 \text{ m}^3$ , with an  $H_e$  of 63.7 m, which generated an outburst flood with a peak discharge of  $1 \times 10^4 \text{ m}^3/\text{s}$ . The second landslide, with a volume of  $8.53 \times 10^6 \text{ m}^3$ , infilled and covered the first spillway to form a dam with an  $H_e$  of 96 m. After excavation, the elevation of the spillway base reduced by 13.48 m to 2952.52 m, forming an outburst flood with a peak discharge of  $3.1 \times 10^4 \text{ m}^3$ .

Both Baige landslide dams comprised two sub-areas, the first a high elevation area (SB-1) to the left and the second a low elevation area (SB-2) to the right, with a steep slope between them. The first outburst flood cut through the dam and formed a huge depositional zone so that most materials of the second landslide were deposited in SB-2. Due to the irregular morphology of the dam, the first and second dam breach both initiated in the SB-2. The two outburst floods only eroded the SB-2 – the geometry of the Sb-1 was unchanged – forming a regular trapezoid spillway section with steep sides of around 40 degrees.

We adopted a numerical approach to predict the discharge curve of the dam breaches. The simulated peak discharge for the second outburst event was  $3.26 \times 10^4 \text{ m}^3/\text{s}$ , which is close to field measurement. We used physical data from the excavated event to predict the peak discharge of a natural dam breach of the second dam, giving a value of  $5.15 \times 10^4 \text{ m}^3/\text{s}$ . Based on a series of

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simulation studies, the dominant parameter controlling peak discharge is  $H_e$  which determines local upstream potential energy and volume of the barrier lake. The parametric study shows there is a linear relationship between peak discharge and dam height elevation. The slope of the relationship is  $1009.4 \text{ m}^3/\text{s}/\text{m}$ , which means for every 1 m increase in dam height, peak discharge increases by  $1009.4 \text{ m}^3/\text{s}$ , which is equivalent to the average upstream base flow of the Jinsha river. After two floods,  $H_e$  values are 22.84 m and 33.41 m respectively.

Due to effective dam height dominating dam breaching (other than averaged dam height), a dimensionless number  $N_r$  was proposed as an indicator of the lifting and narrowing effect on the channel due to the landslide at different elevations. The difference in the elevation range of  $N_r = 1$  between blocking events and the initial river level determines the  $H_e$ . The first landslide formed as a runup deposit due to its high momentum and covered a huge area of the SB-2 with  $N_r$  of around 0.35, occupying a high elevation range. Furthermore, as both outburst floods can only cut spillways with regular trapezoidal sections with  $N_r$  of around 0.5, the breached dam is still strongly narrowed. The area occupied a huge elevation range which related to range of local narrowing effects by first event.

The second-high risk outburst flood was affected by river bottom lifting and high elevation narrowing caused by the first landslide. Successive landslides could form successive high-risk outburst floods by spatial superposition.  $H_e$  represents spatial superposition. Run-up deposition, limited erosion ability of the flood and steep spillway banks provided a brake on the motion of the second landslide and account to the high effective height of the second dam.

A dam's geometry could influence subsequent landslide and dam breach behaviour. In terms



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of managing flood risk, great attention should be paid to high elevation dams that narrow and lift the local river section. Excavation of a relief channel through the landslide deposits is an effective method to decrease the outburst flood risk.

## Acknowledgments

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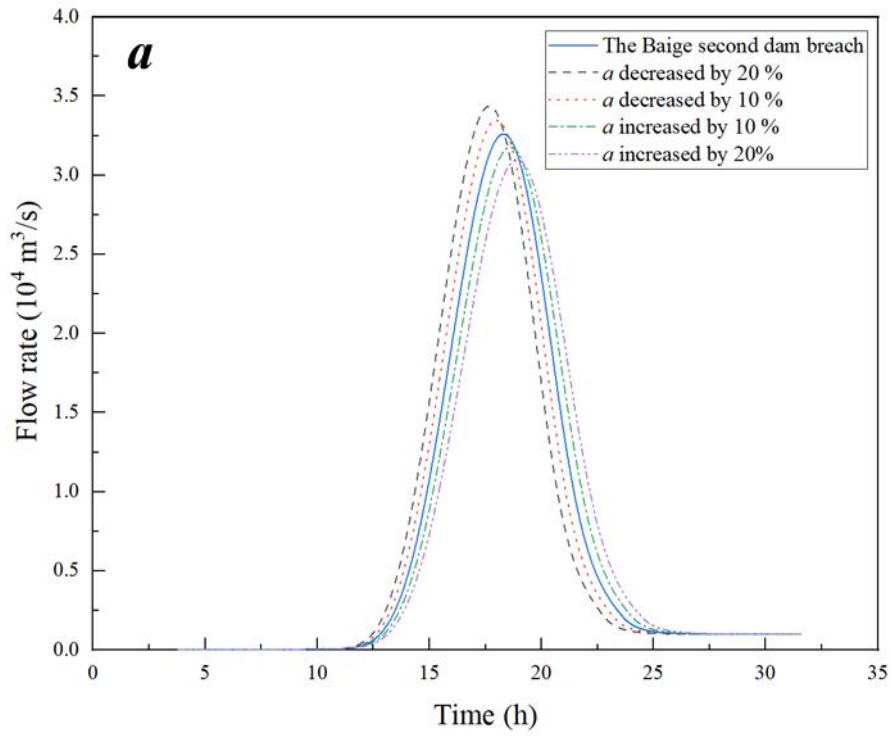
## Appendix

### A1 Parametric analysis to soil erosion model

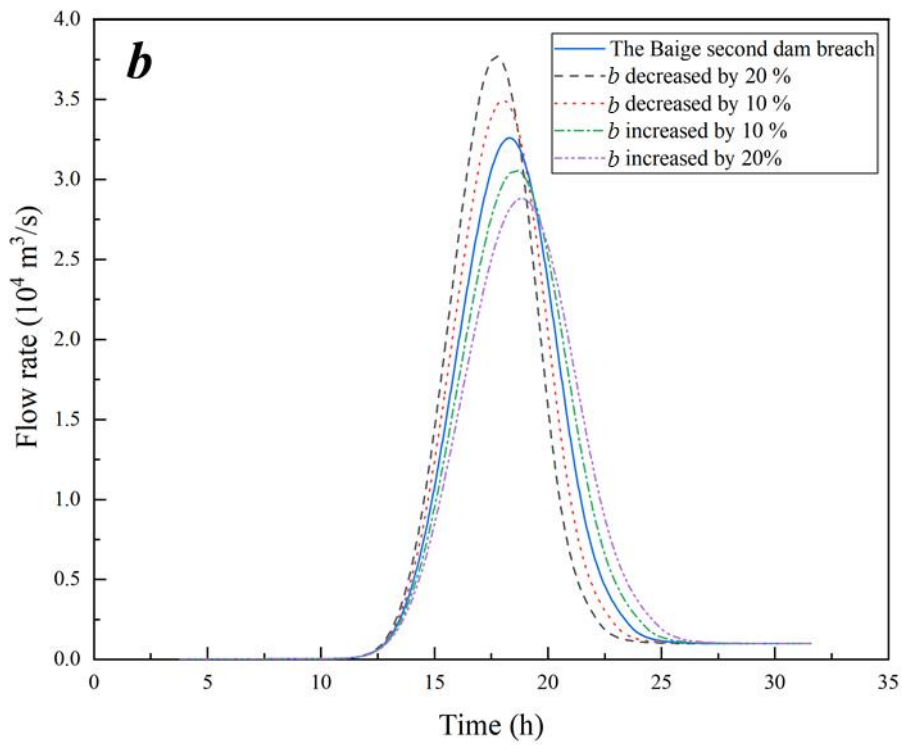
The key parameters of the erosion model are  $a$ ,  $b$  and  $k$ . The parametric studies were conducted following (Chen et al., 2020). Each input parameter was varied by  $\pm 10\%$  and  $\pm 20\%$  separately whilst other parameters were kept constant. From these comparisons, the peak discharge has different sensitivity to these parameters. The most sensitive parameter is  $b$ , which related change rate of 15.65 % and 11.61 %. Parameter ' $a$ ' relate to 5.37 % to -5.0 %. ' $K$ ' relates to - 6.19% to 4.44 % (Table A1, Fig.A1., Fig.A2., Fig.A3.). The maximum time difference is 72 minutes.

**Table A1** The change in peak discharge as parameter ' $a$ ', ' $b$ ' and ' $k$ ' are varied.

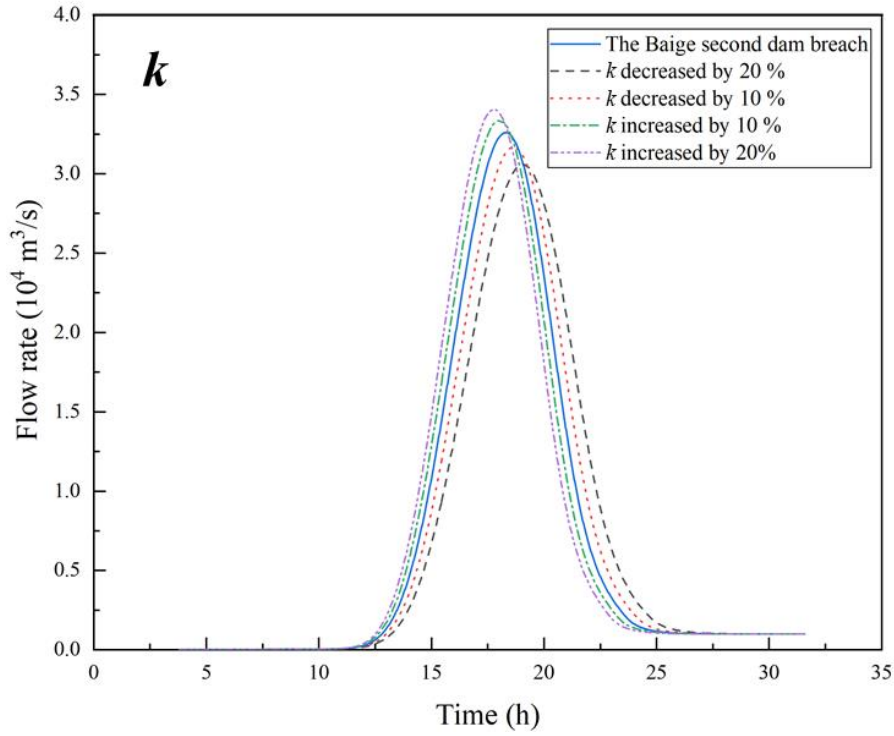
Change rate	-20%	-10%	0	10%	20%
Peak discharge (change $a$ )	34355	33456	32603	31765	30970
Change in peak discharge	5.37%	2.62%	0.00%	-2.57%	-5.01%
Peak discharge (change $b$ )	37705	34939	32603	30574	28818
Change in peak discharge	15.65%	7.17%	0.00%	-6.22%	-11.61%
Peak discharge (change $K$ )	30584	31675	32603	33376	34051



**Fig.A1.** Comparison of coefficient  $a$



**Fig.A2.** Comparison of coefficient  $b$



**Fig.A3.** Comparison of coefficient  $k$

## A2 Basic data for some field cases

The data for Figure. 12 are based on many breached dams (Table A3), the narrow rate was analyzed from DEM data. All the adopted calculation models are shown below:

**Table A2** Models for estimating critical conditions of landslide dams

River blocking model	Critical value	Reference
$ACR = \frac{\bar{V}}{B_r}$	$ACR > 100$	Swanson et al., 1985
$R = \left( \frac{Q}{(45 \times 10^{-1.8 \tan \theta}) g^{0.5}} \right)^{2/3} B_r^{1/3} L_B V_L^{-1}$	$R > 1$	Modified from Chen, 2015
$DCI = \frac{\bar{V} B_L h_L D_{30}}{Q_{P_5} B_r}$	$DCI > 0.002$	Ermini and Casagli, 2003
$DMI = \frac{2 \rho_s \bar{V}^2 V_L}{\rho_w g h_r^2 B_r B_L}$	$DMI > 1$	Del Sasso et al., 2014

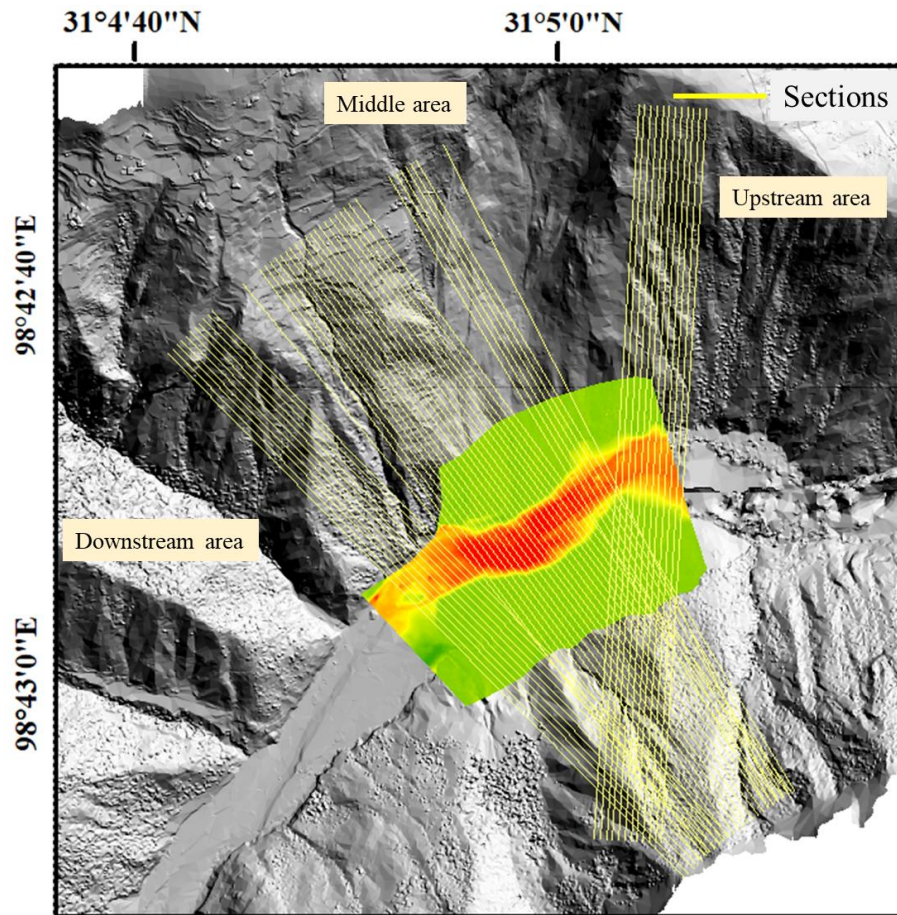
where  $ACR$ ,  $R$ ,  $DCI$ , and  $DMI$  are increase ratios;  $\bar{V}$  is average velocity of the landslide;  $B_r$  is river width;  $q_w$  is upstream inflow rate per unit width;  $\theta$  is river slope;  $g$  is gravity acceleration;  $V_L$  is landslide volume;  $L_B$  is dam length along river;  $B_L$  is landslide width;  $h_L$  is landslide depth;  $D_{30}$  is the 30<sup>th</sup> percentile of the landslide particle size distribution curve;  $Q_{P_5}$  is 5 year return

period discharge;  $\rho_s$  is landslide density;  $\rho_w$  is water density;  $h_r$  is river flow depth.

Increase ratio is calculated by each model in Table.A2, by comparison between breached geometry and non-breached geometry. The subscript ‘A’ of each model in Table.A3 means blocking possibility calculated from initial geometry, the subscript ‘B’ means blocking possibility calculated from breached geometry. All the cases and information are shown in Table A3.

**Table A3** Increased ratio of river blocking possibility associated with selected landslide dams in southeastern China (see Table A2 for definition of parameters), all the data are from Alos satellite, the resolution of DEM data is 12.5m.

Dam name	Date of blocking event	Average Nr	Increase Ratio			
			$\frac{ACR_A}{ACR_B}$	$\frac{R_A}{R_B}$	$\frac{DCI_A}{DCI_B}$	$\frac{DMI_A}{DMI_B}$
Baige	2018	0.50	2.00	1.26	2.00	2.00
Tangjiashan	2008	0.35	1.54	1.15	1.54	1.54
Yigong	2000	0.64	2.78	1.41	2.78	2.78
Tanggudong	1967	0.31	1.45	1.13	1.45	1.45
Mogangling	1786	0.59	2.44	1.35	2.44	2.44
Xuelongnang	> 1000 years BP	0.70	3.33	1.49	3.33	3.33
Suwalong	> 1000 years BP	0.48	1.92	1.24	1.92	1.92

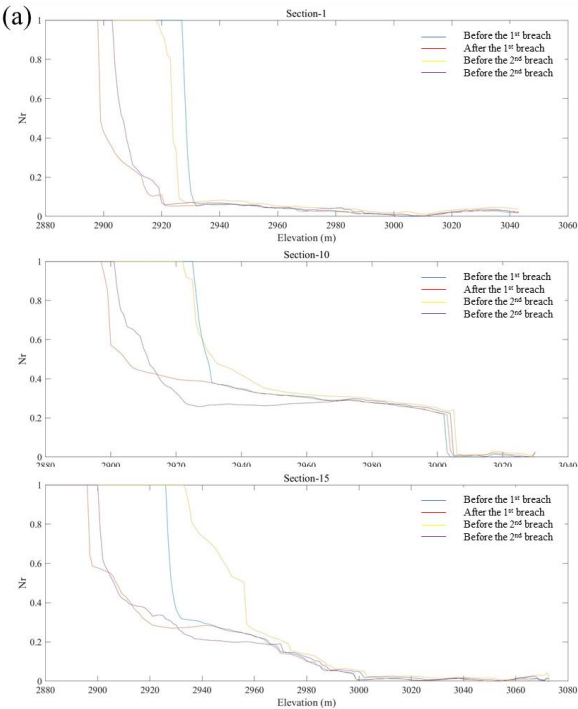


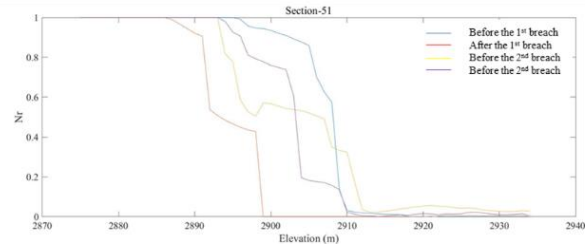
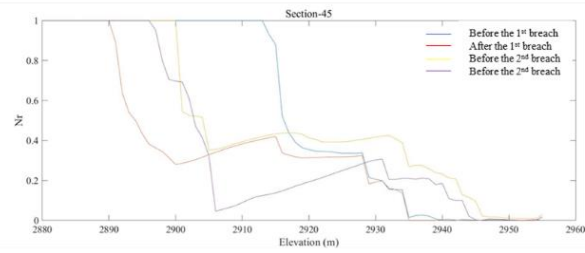
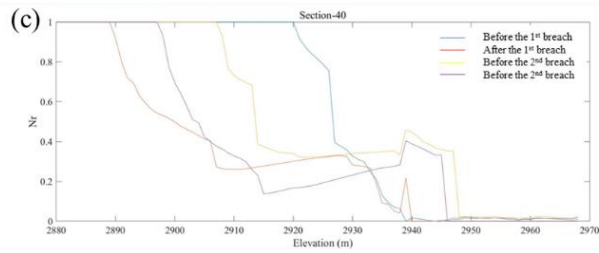
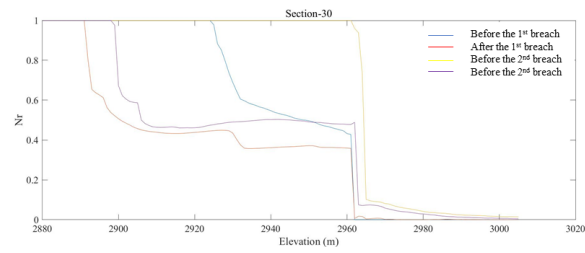
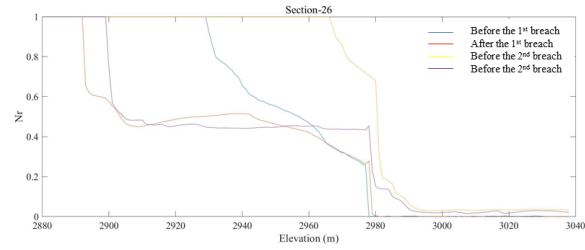
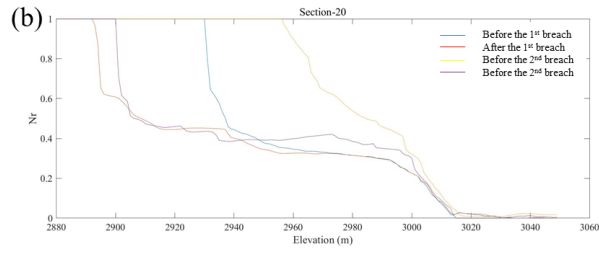
**Fig.A4.** Examples of the analysis of 51 sections. Flow direction is from right to left so that three different areas were named as upstream area, middle area and downstream area.

We analysis *Nr* distributions from upstream to downstream, and divided them into four cases: before and after the first and second dam breaches. During the analysis, 51 sections were extracted from upstream to downstream (Fig.A4.). The distance between two sections is fixed at 20 meters. We classify the dam into three parts: upstream area, middle area, and downstream area, as shown in Figure A4.

The results showed that the upstream and downstream areas of the first landslide dam have a higher elevation channel base than the second dam (Fig.A5. (a, c)). Consequently, the second dam

has less impact because the lowest elevation of the first landslide debris in the upstream area and downstream area is higher than the second landslide debris. However, the height cannot determine the barrier lake volume as it is too low, which means the local narrowing effects is limited. Nonetheless, the values of  $Nr$  in upstream ( $Nr = 0.1 \sim 0.2$ ) and downstream ( $Nr = 0.2 \sim 0.3$ ) are lower than in the middle area ( $Nr = 0.4 \sim 0.6$ ), which means that the middle area has stronger narrow effects (Fig.A5 (b)). The effective dam height formed in the middle area, which determines the barrier lake volume. Therefore, the high narrowing affect can lead to a catastrophic flood triggered by a small volume landslide. Furthermore, landslide into this area (topography influenced) could easily form a higher dam.





**Fig.A5.** Analysed  $N_r$  values for three different areas: a) upstream area; b) middle area; c) downstream area.

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## 667 Nomenclature

668	$a, b$ and $k$ : coefficients of erosion model
669	$AV_n$ : accumulated dam volume in the river ( $m^3$ )
670	$A$ : the water surface area, which: considered as a function of elevation $H$ ( $m^2$ )
671	$ACR, R, DCI$ , and $DMI$ : judging coefficients
672	$B_c$ : channel width (m)
673	$B_r$ : river width (m)
674	$B_D$ : dam width (m)
675	$B_L$ : landslide width (across valley) (m)
676	$B(H)$ : the breach width at elevation $H$ (m)
677	$C$ : discharge coefficient
678	$d$ : the average particle diameter of soil sample (m)
679	$DV_n$ : the volume of the $n^{th}$ dam ( $m^3$ )
680	$g$ : gravitational acceleration ( $m/s^2$ )
681	$h_T$ : highest water level before dam breach (m)
682	$h_{avg}$ : average depth of dam (m)
683	$h_r$ : river flow depth (m)
684	$h_L$ : landslide depth (thickness) (m)



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685	$h$ : flow depth (m)
686	$H_S$ : elevation of the spillway base after dam breach (m)
687	$H_B$ : effective height of old breach (m)
688	$H_N$ : dam height variation based on breached new geometry (m)
689	$H_R$ : dam height where there is no old blocking condition (m)
690	$H_{en}$ : effective height of the new dam (m)
691	$H_e$ : effective dam height (m)
692	$K$ : a coefficient for mixed sand
693	$L_D$ : dam length along river (m)
694	$LV$ : lake volume (m)
695	$N_r(H)$ : the narrowing ratio at elevation $H$ (m)
696	$n$ : the roughness coefficient ( $m^{-1/3}.s$ )
697	$PE$ : potential energy of the barrier lake (J)
698	$Q_{p_5}$ : 5 year return period discharge ( $m^3/s$ )
699	$Q_p$ : peak discharge ( $m^3/s$ )
700	$Q$ : spillway discharge ( $m^3/s$ )
701	$q$ : the natural inflow to the landslide barrier lake ( $m^3/s$ )
702	$Q_b$ : base flow rate of river ( $m^3/s$ )

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703	$q_w$ : upstream inflow rate per unit width ( $\text{m}^3/\text{s}$ )
704	$R'$ : the hydraulic radius (m)
705	$R(H)$ : the initial river width at elevation $H$ (m)
706	$\bar{V}$ : average velocity of the landslide (m/s)
707	$V_{ML}$ : maximum lake volume ( $\text{m}^3$ )
708	$V_L$ : landslide volume ( $\text{m}^3$ )
709	$V_D$ : dam volume ( $\text{m}^3$ )
710	$V_1$ : the volume of first landslide dam ( $\text{m}^3$ )
711	$Z$ : the elevation of the spillway base (m)
712	$\theta$ : river slope (m)
713	$\gamma$ : the specific weight of water ( $\text{N}/\text{m}^3$ )
714	$\gamma_s$ : the unit weight of dam material, ( $\text{N}/\text{m}^3$ )
715	$\rho_s$ : landslide bulk density ( $\text{kg}/\text{m}^3$ )
716	$\rho_w$ : water density ( $\text{kg}/\text{m}^3$ )
717	$\Delta E$ : elevation difference in one mesh, (m)
718	$\Delta H$ : the difference of dam height between blocking and no blocking condition (m)
719	$\frac{\Delta Z}{\Delta t}$ : erosion rate of the spillway (m/s)
720	$\tau$ : bottom shear stress (Pa)

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$\tau_c$ : critical shear stress (Pa)

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