

Numerical simulation and design of ferritic stainless steel bolted T-stubs in tension

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Abstract

Following the experimental study on EN 1.4003 ferritic stainless steel T-stubs in tension discussed in the companion paper, this study reports the development and validation of an advanced FE model that can predict the overall behaviour and failure modes of ferritic stainless steel bolted T-stubs subjected to tension. Key simulation strategies regarding the modelling of bolt geometry and overcoming numerical instabilities are discussed. Following the determination of material properties in the longitudinal, transverse and diagonal direction reported in the companion paper, the effect of allowing for anisotropy in the FE simulations is investigated and modelling recommendations for its inclusion in FE models are made. Moreover, the effect of bolt end and edge spacing on the joint plastic resistance, ultimate capacity, ductility as well as overall response is comprehensively discussed by inspecting the stress distribution through the plate thickness at various locations along the T-stub, thus revealing both the flexural and the membrane component of the load transfer mechanism. The numerical results were validated against the experimental results reported in the companion paper in terms of predicted plastic and ultimate resistance, ductility and obtained failure modes. On the basis of the obtained results and the discussion, modelling recommendations for the simulation of stainless steel T-stubs are made.

27 **Keywords**

28 Stainless steel, Ferritic, T-stub, Bolted connections, Numerical analysis, Material anisotropy.

29 **1. Introduction**

30 T-stubs in tension are key components in the modelling of the behaviour and design of tension
31 zones of beam-to-column connections according to the component method framework of EN
32 1993-1-8 [1] and have therefore received widespread attention from researchers. In addition to
33 experimental studies in the literature, there are several studies reported on the FE modelling of
34 T-stubs connections. Bursi et al. [2], Zajdel [3] and Wanzeck et al. [4] investigated the
35 behaviour of T-stub connections using FE model. An effective 2-D numerical model proposed
36 by Mistakids et al. [5]. Moreover, advanced finite element models have been developed for the
37 numerical analysis of T-stub connections by Swanson et al. [6] and Gantes et al. [7]. Coelho et
38 al. [8,9] studied the non-linear behaviour of the T-stubs using a three-dimensional FE model
39 with comprehensive parametric analyses. Furthermore, Herrera et al. [10] studied the
40 performance of built-up T-stub for double T moment connections. Likewise, a series of
41 numerical studies with developed FE models on the performance of the thick flange T-stubs
42 has been reported by Hantouche et al. [11, 12]. In 2014, the effect of the flexural rigidity of the
43 bolts on the response of T-stub connections has been studied using FE models by Abidelah et
44 al. [13]. Additionally, a simplified FE model has been proposed in order to investigate the
45 structural behaviour of T-stub connections by Francavilla et al. [14]. Similarly, Ceniceros et al.
46 [15,16] developed a numerical information approach for investigating the ductile behaviour of
47 the T-stub connections. In 2018, Kong et al. [17] developed a FE element model to predict the
48 initial stiffness and ultimate moment of T-stub connections. Gödrich et al. [18] proposed the
49 component based FE model in order to investigate the structural response of the T-stubs in
50 tension.

51 The most of the published studies provide an extensive knowledge for the behaviour of carbon
52 steel bolted connections and T-stubs in tension however, studies on stainless steel connections
53 are very limited. Bouchair et al. [19], have investigated the ductility and ultimate behaviour of
54 stainless steel bolted T-stubs with numerical investigations. The resistance predictions for
55 stainless steel T-stubs according to EN 1993-1-8 [1] were very conservative and it was also
56 stressed that extensive numerical and experimental researches should be conducted to confirm
57 these conclusions. The first ever experimental studies on stainless steel T-stubs in tension were
58 reported by Yuan et al. [20], who conducted 27 experimental tests on austenitic and duplex
59 stainless steel T-stubs. It was concluded that the existing design rules defined in EN 1993-1-8
60 [1] provides overly conservative strength predictions for stainless steel bolted T-stubs [20].
61 Elflah et al. [21,22], have examined the behaviour of stainless steel moment resisting
62 connections as well as stainless steel blind-bolted connections [23] with experimental and
63 numerical studies. It was reported that the design provisions of EN 1993-1-8 [1], which specify
64 design rules for carbon joints, that are also applicable for stainless steel joints [24], can predict
65 the stiffness of the joints sufficiently accurate predictions but provides significantly
66 conservative predictions for the strength [21-23]. Moreover, the structural behaviour of the
67 moment resisting connections was investigated by three-dimensional FE model and the
68 stiffness and resistance predictions were reported comprehensively, and proposed model
69 validated using the experimental results [22]. Recently, Wang et al. [25], Bu et al. [26], Song
70 et al. [27], Gao et al. [28,29], Yapici et al. [30-32] and Yuan et al. [33,34] conducted
71 experimental and numerical studies on the behaviour of stainless steel connections and reported
72 similar conclusions. The studies in the literature focused primarily on austenitic and duplex
73 stainless steel grades, while the structural performance of ferritic stainless steel connections
74 has not been studied to date. In order to fill this gap in the literature, the ultimate behaviour of
75 ferritic stainless steel bolted T-stubs under tension has been studied by the authors and reported

76 as a companion paper in reference [35]. According to recent experimental studies, the ferritic
77 stainless steel T-stubs [35] display a different behaviour compared to their austenitic and
78 duplex counterparts [33].

79 In the companion paper [35], 17 experimental tests on ferritic stainless steel T-stubs in tension
80 were reported, thus augmenting the limited available data pool [20, 33] with the first ever
81 ferritic stainless steel T-stub results ever to be reported. In this paper, recommendations for the
82 numerical modelling of ferritic stainless steel T-stubs are provided. Following the observations
83 on the pronounced anisotropy of ferritic stainless steel [35], the effect of material anisotropy is
84 discussed in detail, whilst a comprehensive discussion on mesh size and analysis procedures is
85 also included. Furthermore, the stress distribution developed on the flange to web junction at
86 various load levels is inspected and the validity of current design assumptions regarding the
87 development of stresses and the applicability of plastic design procedures is assessed. In line
88 with the companion paper [35], the importance of membrane action at high deformations is
89 highlighted and its importance on predicting the ultimate failure load is demonstrated.

90 **2. Development of FE model**

91 **2.1. Modelling assumptions**

92 Three-dimensional nonlinear finite element analyses were carried out using ABAQUS [36].
93 Because of the symmetry of the modelled T-stub in terms of geometry, applied load, boundary
94 conditions and observed response, with respect to two planes, only a quarter of the T-stubs was
95 explicitly modelled, as shown in Fig. 1, using the measured geometry reported in [35]. Since
96 the presence of the fillet welds affects the exact location of the yield lines of the flange in the
97 vicinity of the web, the size of the fillet welds needs to be explicitly considered. To this end,
98 two modelling techniques were followed; one involving the separate modelling of the flange,
99 the web and the fillet weld the tying of the relevant degrees of freedom at their interfaces and

100 one where the whole T-stub including the weld was modelled as a solid cross-section and
101 extruded along its length. Both techniques gave identical results. The 30 mm thick steel plate
102 to which the specimens were bolted was also explicitly modelled as shown in Fig. 1.

103 To reduce computational cost, the threaded geometry of the bolt shank was simplified in the
104 simulations as a cylindrical surface with an effective diameter such that the area of the
105 simulated bolts equals the stress area of the threaded bolts, whilst the bolt heads and nuts were
106 modelled as cylindrical instead of hexagonal discs. This modelling simplification of the bolt
107 geometry has been shown to yield good results without compromising accuracy [6, 22, 37].
108 Furthermore, the bolt head, bolt nut and washers were simplified as cylinders and were tied to
109 the bolt shank as is customarily done when simulating bolts [6, 22, 37-39]. No bolt preload was
110 applied, given that in the tests the bolts were hand-tightened to obtain the snug-tight condition.

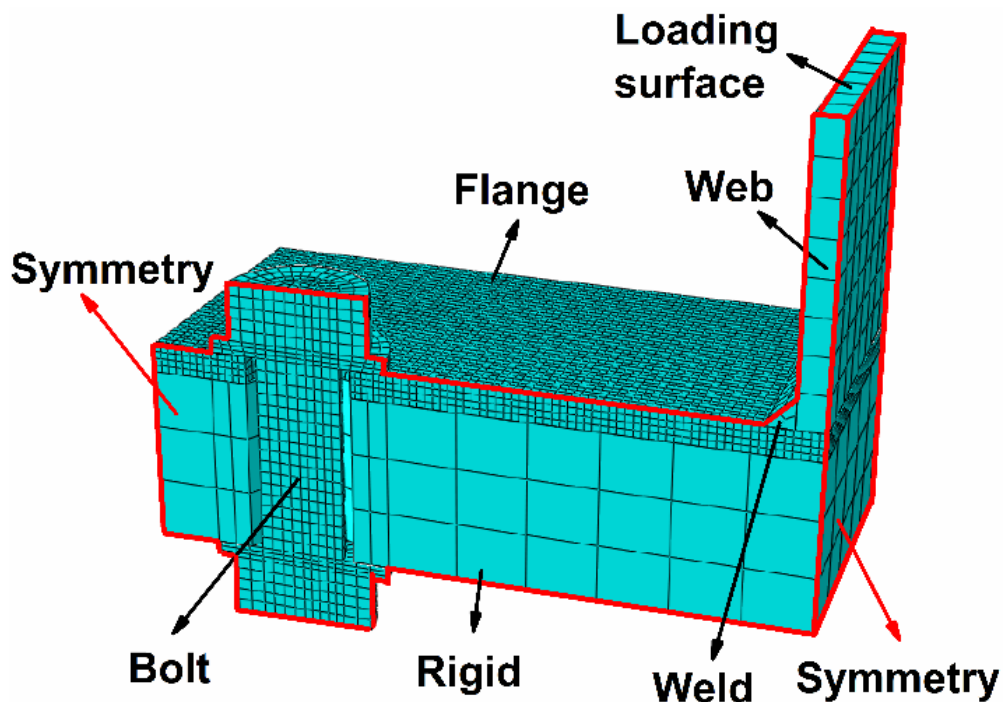


Fig. 1. The developed FE model for the analyses.

111 All parts were discretized with the eight-node linear brick element with reduced integration,
112 C3D8R, as it was shown to provide good accuracy at a low computational cost compared to

113 other elements [6, 22, 37-40]. Several mesh densities were tried, and a structured mesh was
114 employed with varying mesh density in the different parts of the model. At least three elements
115 were provided through the thickness of the T-stub to accurately capture their out-of-plane
116 flexure and avoid the effect of shear locking. A minimum of 2 elements through the thickness
117 of a flange in bending has been recommended in [39]. A more refined mesh was adopted around
118 the smaller area of the bolt in order to more accurately simulate the interface bolt-T-stub
119 interface and capture contact. The adequacy of the selected mesh size is discussed later on in
120 the validation of the model.

121 Surface to surface contact, with finite sliding was assumed for all contact surfaces, namely bolt
122 shank to bolt hole, bolt head to flange, bolt head to rigid plate are modelled thus enabling large
123 slip to be simulated. The penalty friction method is adopted to simulate tangential behaviour,
124 whilst hard contact is assumed for normal behaviour. The selected coefficient of friction was
125 0.3 and lies within the values of 0.2-0.33 recommended in the literature for steel, stainless steel
126 and aluminium connections [22, 37-41]. Symmetry conditions with respect to two planes of
127 symmetry were applied and only $\frac{1}{4}$ of the model was simulated as previously discussed. The
128 model was loaded via a prescribed displacement at the top of the web of the T-stub, whilst all
129 degrees of freedom of the bottom side of the thick elastic plate was restrained to provide
130 reaction to the applied loading.

131 Due to the highly nonlinear behaviour of the model, brought about by the contact among its
132 various parts, convergence difficulties emerged when a nonlinear static procedure was
133 employed. To speed up the analysis and overcome the convergence difficulties, a quasi-static
134 explicit dynamic analysis was employed as the selected analysis type. Mass scaling was utilized
135 to reduce computational time, whilst quasi-static response was achieved by specifying a slow
136 and smooth displacement rate and checking that the kinetic energy was smaller than 2% of the
137 internal energy for the greatest part of the analysis, thus ensuring that inertia effects were

138 insignificant. The selected analysis type did not compromise the accuracy of the simulations as
139 discussed in section 3.

140 **2.2. Material modelling and anisotropy**

141 The nonlinear material properties of the stainless steel T-stubs and the bolts were modelled
142 using the three stage Ramberg-Osgood model [42]. The material parameters for the ferritic
143 stainless steel plates determined from tensile coupon tests as reported in the companion paper
144 [35] were adopted herein. Likewise, the material properties of the stainless steel bolts reported
145 in reference [35] were utilised.

146 The standard von Mises yield criterion with isotropic hardening is conventionally employed to
147 simulate the plastic behaviour of metals when they can be considered isotropic. In order to
148 incorporate the material anisotropy in the numerical analysis, material properties in the
149 longitudinal, transverse and diagonal directions are required. In Table 1, the average nominal
150 yield strength values as determined in Ref. [35], are reported for each direction. The anisotropy
151 ratio, defined as the ratio of the 0.2% proof stress in a particular direction over the 0.2% proof
152 stress in the rolling/longitudinal direction is also reported as a means to quantify the observed
153 material anisotropy. The material exhibited a 0.2% proof stress in the transverse direction 21%
154 and 7% higher than that in the longitudinal direction for 5 mm and 10 mm coupons,
155 respectively. The anisotropy ratio values determined herein for the ferritic stainless steel plates
156 is very similar to those found in the literature [43]. Hill's [44] yield potential is adopted as the
157 yield criterion in the numerical models which account the material anisotropy. In order to
158 establish the yield function considering the anisotropy, the six anisotropic yield stress ratios
159 have to be defined. The six anisotropic yield stress ratios have been calculated using stress
160 values reported for the 5 mm coupon tests as $R_{11}=1$, $R_{22}=1.21$, $R_{33}=R_{12}=1.11$, $R_{13}=R_{23}=1$
161 and for the 10 mm coupon tests as $R_{11}=1$, $R_{22}=1.07$, $R_{33}=R_{12}=1.02$, $R_{13}=R_{23}=1$. The effects

162 of anisotropy on the obtained results are assessed in the next section. In Table 2, the material
 163 properties of two smooth cylindrical coupons which were machined from A4-80 stainless steel
 164 bolts are represented.

165 Table 1. Material properties of the ferritic stainless steel plates [35].

Coupon thickness	Direction	E_0 (MPa)	$\sigma_{0.2}$ (MPa)	$\sigma_{1.0}$ (MPa)	$\sigma_{2.0}$ (MPa)	σ_u (MPa)	ϵ_f (%)	$\epsilon_{f,true}$	m	n	Anisotropy
10 mm	LT	189114	279.3	298.8	324.1	441.3	0.35	-	2.8	20	1.00
10 mm	TT	196983	298.4	321.3	348.1	462.9	0.10	-	2.8	25	1.07
10 mm	DT	192094	284.5	303.5	328.4	438.6	0.36	-	2.8	16	1.02
5 mm	LT	204266	337.1	367.3	378.6	426.3	0.32	1.35	2.8	6.3	1.00
5 mm	TT	192996	409.0	425.1	435.6	467.1	0.18	1.19	2.8	12	1.21
5 mm	DT	184125	375.3	390.1	399.4	436.6	0.25	1.22	2.8	13	1.11

166 Table 2. Material properties of the A4-80 stainless steel bolts [35].
 167

#	E (MPa)	$\sigma_{0.2}$ (MPa)	$\sigma_{1.0}$ (MPa)	σ_u (MPa)	ϵ_u (%)	$n_{0-0.2}$	$n_{0.2-1.0}$	$n_{1.0-u}$
1	185000	410	600	727	0.19	4	4	11
2	179000	400	590	726	0.21	4	3	11

168

169 2.3. Modelling of fracture

170 As observed in the experimental tests, all T-stubs with a 5 mm thickness ultimately failed due
 171 to fracture of the ferritic T-stubs, in the vicinity of the bolt holes, whilst the bolts exhibited
 172 pronounced plastic deformation but no fracture due to the employed small thickness of the T-
 173 stub specimens compared to the bolt strength. Since no fracture characterisation studies were
 174 conducted for the ferritic stainless steel material, the fracture of the plates was not explicitly
 175 simulated in the analysis. In the absence of relevant material parameters, a simplified approach
 176 was followed, according to which fracture of the T-stub flange was not explicitly modelled but

177 was indirectly defined based on longitudinal plastic strain at fracture ϵ_f given in Table 1. Hence,
178 the T-stubs were assumed to fail when the equivalent plastic strain obtained from the analysis
179 reached ϵ_f , at which point the analysis was discontinued. For models considering anisotropy,
180 the average value of the strain at fracture obtained for the 3 directions (i.e. longitudinal,
181 transverse and diagonal) was adopted as the strain limit of the material. An indirect definition
182 of fracture based on strains values was successfully employed in similar studies investigating
183 the fracture of stainless steel plates [45], as well as fracture of bolts in T-stubs [33, 8] and
184 moment resisting connections [22, 28]. The FE analysis which is reported in section 3.1 does
185 not contain any explicit fracture model for plates, instead previously explained approach was
186 followed. However, in section 3.3 an explicit progressive damage model in ABAQUS were
187 utilised for the stainless steel bolts. Parameters of ductile damage initiation criterion was
188 derived from the fundamental behaviour of tensile test coupons which was reported in [35] in
189 line with the proposed approach by Pavlovic et al. [46] (Fig. 2). Firstly, damage initiation
190 criterion was defined as equivalent plastic strain at the onset of damage ($\epsilon_{pl,D}$) in function of
191 stress triaxiality (η) [46]. The expression given in Eq. (1) is for the relationship between
192 equivalent plastic strain at damage initiation and the stress triaxiality which was derived using
193 the experimental test results on A4-80 stainless steel bolts reported by Yapici et al. [35, 47]
194 and it was utilised in the developed FE models reported in section 3.3. All the boundary
195 conditions and contact definitions remain unchanged as in the previous sections FE models. It
196 should be noted that the propagation of damage is ignored and instantaneous fracture of the
197 bolts is assumed.

$$198 \quad \epsilon_{pl,D} = 0.46e^{-1.33\eta} \quad (1)$$

199

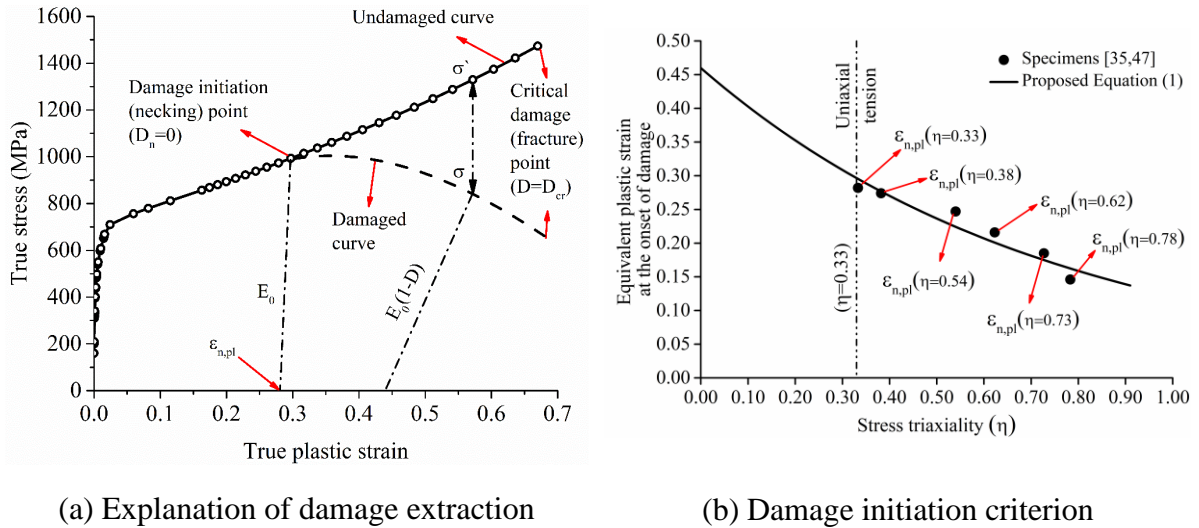


Fig. 2. Ductile damage parameters for stainless steel bolts.

200 **3. Results and discussions**

201 **3.1. Validation of the FE models**

202 The developed FE models were utilised to simulate the ferritic stainless steel bolted T-stubs
 203 tests [35] and the obtained numerical results were compared against the experimental ones. For
 204 each of the tested specimens, three analyses with different assumed material responses for the
 205 T-stubs were conducted to assess the effect of incorporating material anisotropy in the
 206 simulations. In two of the analyses isotropic material response was assumed; the longitudinal
 207 material properties were adopted for the first case and the transverse ones for the second; whilst
 208 in the third case the material anisotropy was explicitly incorporated via Hill's yield potential.

209 For all three analyses conducted, at least 3 solid elements through the flange thickness were
 210 adopted to capture the flexural deformations. The adequacy of the selected mesh density is
 211 verified by comparing the results obtained for a typical T-stub with 1 bolt row (S2) and a typical
 212 T-stub with 2 bolt rows (D1), as shown in Fig. 3. It can be concluded that the mesh element
 213 number through the thickness does not affect the response significantly and the curves obtained
 214 were almost identical. Similar results were obtained for the rest of the T-stub regardless of the
 215 assumed material properties.

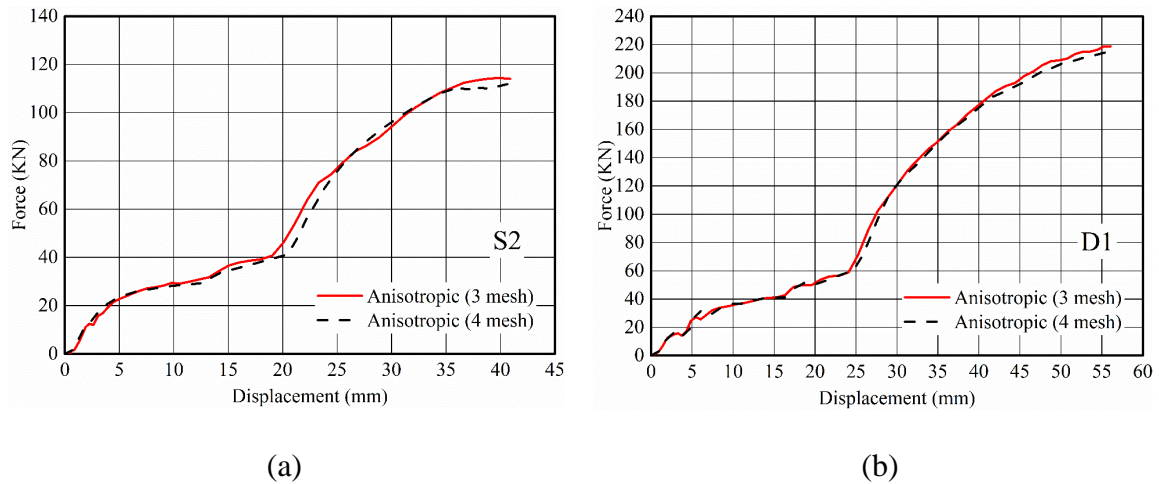


Fig. 3. Numerical load-deformation curves with 3 and 4 elements through the flange thickness of a) S2 and b) D1.

216 To verify the appropriateness of using an (quasi-static) explicit dynamic analysis procedure to
 217 simulate the static response of the T-stubs, the analysis for specimens S2 and D1 were repeated
 218 using the general static solver and the obtained load-deformation responses are shown in Fig.
 219 4, where a close agreement between the two curves can be observed throughout the loading
 220 history. It can thus be concluded the explicit dynamic analysis of a quasi-static problem and
 221 the general static analysis yield very similar results as long as the selected mass scaling and
 222 loading speed is such that no significant inertia effects occur [32]. In addition to checking that
 223 the kinetic energy is small compared to the potential energy, an easy means to assess whether
 224 the chosen mass scaling and loading speed is appropriate is to check that the resulting response
 225 is smooth without any notable fluctuations. The explicit dynamic analysis was chosen herein
 226 due to its superior computational speed and absence of convergence issues.

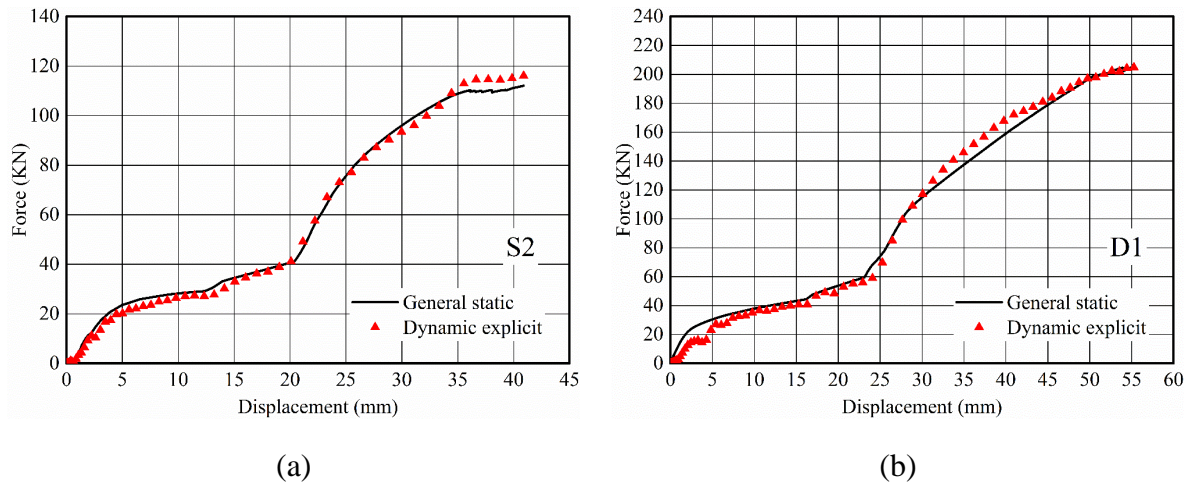
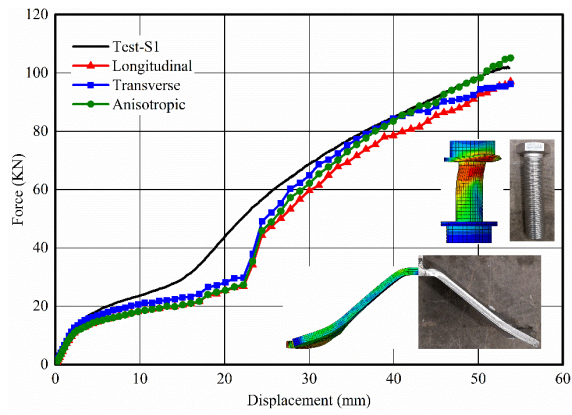


Fig. 4. Numerical load-deformation response for static and explicit dynamic analysis of a) S2 and b) D1.

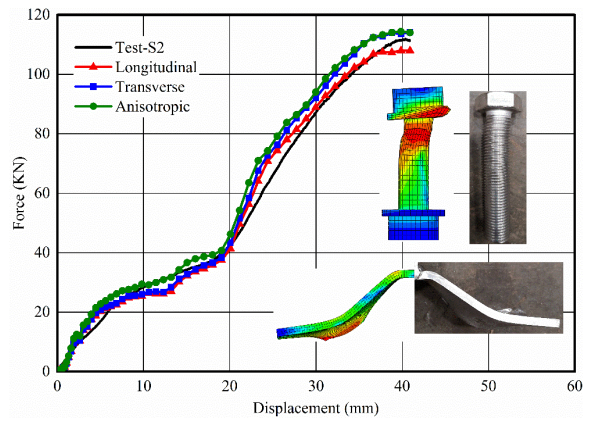
227 The comparisons between the FE predictions and the test results including the force-
 228 deformation curves and the failure modes of the specimens are presented in Fig. 5. It can be
 229 observed that the numerically predicted load-deformation curves are in close agreement with
 230 the experimental ones reported in the companion paper [35]. The anisotropic FE models
 231 significantly improve the accuracy of the predictions as evidenced by the load-displacement
 232 curves especially for the models of specimens S1, S2, D2, D3 and D6 with respect to the
 233 experimental response. For the rest of the specimens it seems the models employing isotropic
 234 material response with longitudinal material properties display the closest agreement with the
 235 test results. It should be noted that there is a discrepancy in the prediction of the initial stiffness
 236 of specimen S3 and ultimate force of S6, as the experimental stiffness appears significantly
 237 lower than the numerically predicted one for S3 and the experimental ultimate force is
 238 considerably higher than the numerically predicted ultimate force. These are attributed to a 3
 239 mm gap between the ends of the T-stub and the rigid plate to which it was bolted due to welding
 240 induced thermal distortion of the specimen, which led to a delay in the development of the
 241 prying forces. This effect was not properly reflected in the FE models however Tartaglia et al.
 242 [48] examined the influence of constructional imperfections i.e. misalignment of the web and

243 flange bowing namely non-perpendicularity between the web and flange due to the initial curve

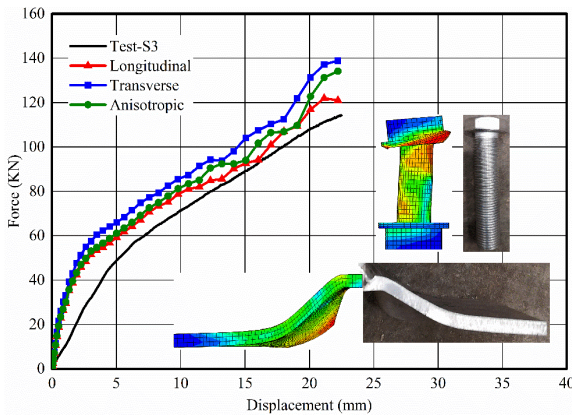
244 and concluded they have no significant effect on the predicted strength of the T-stubs..



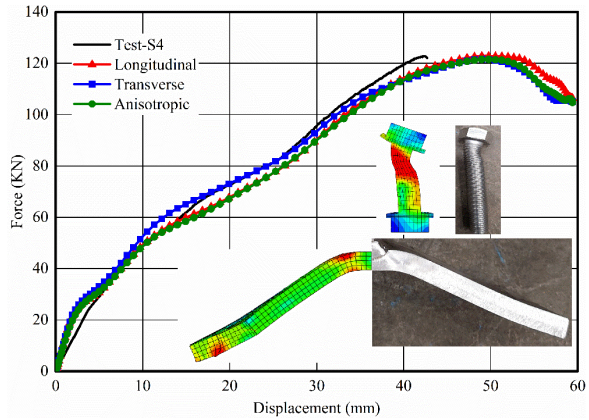
(a) S1



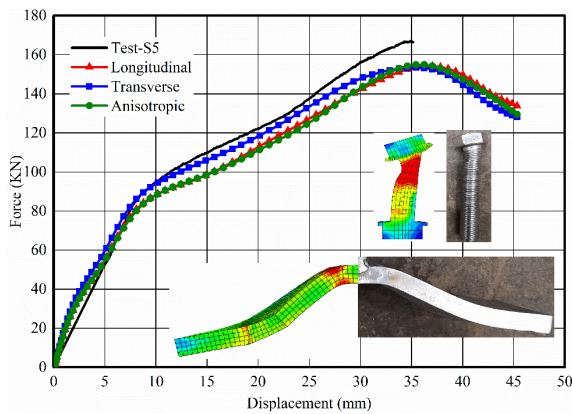
(b) S2



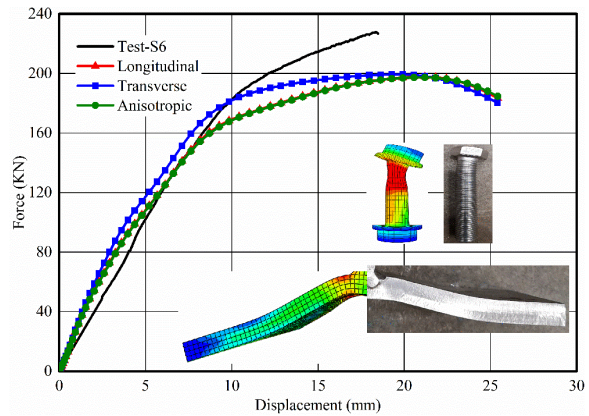
(c) S3



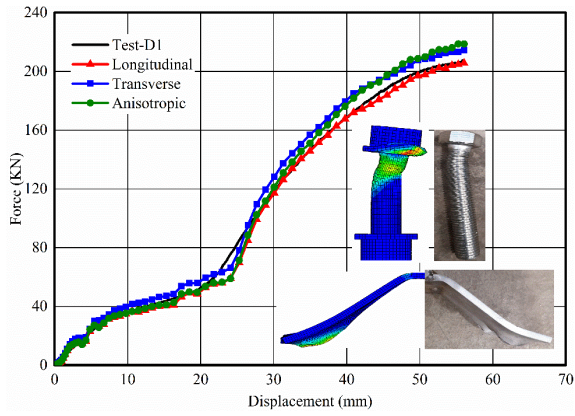
(d) S4



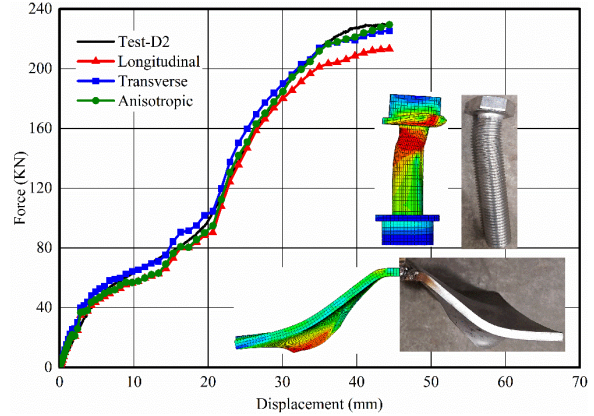
(e) S5



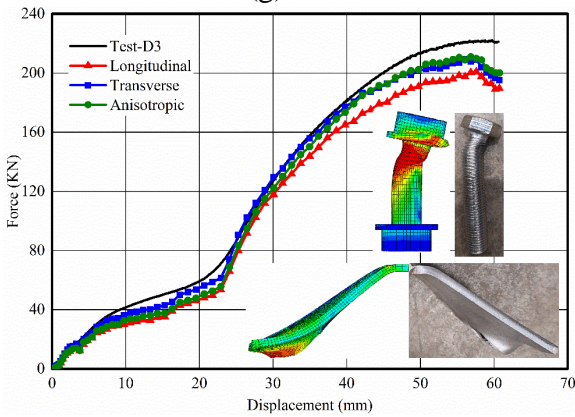
(f) S6



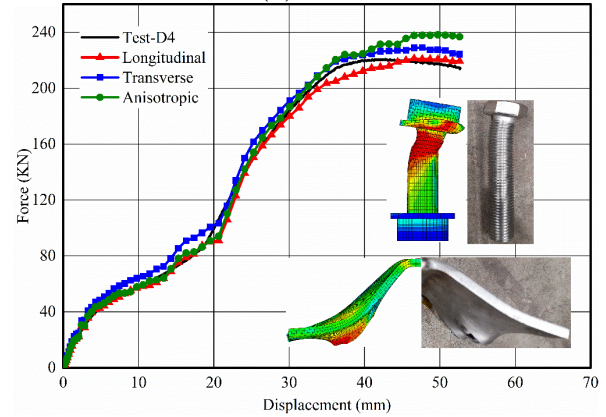
(g) D1



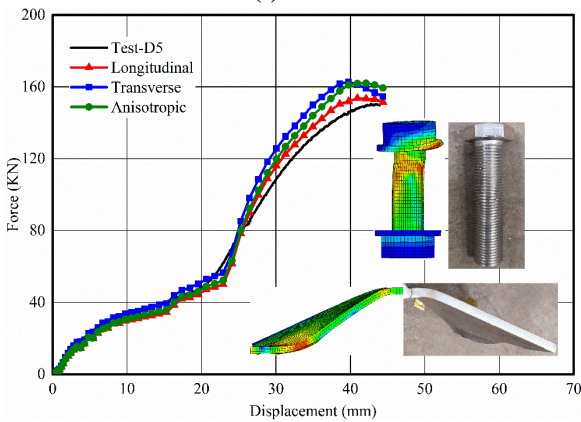
(h) D2



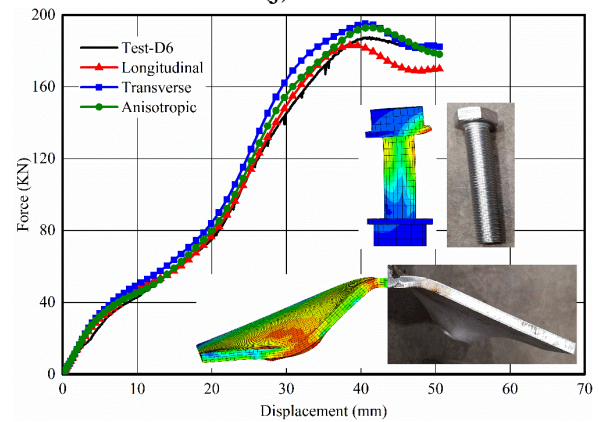
(i) D3



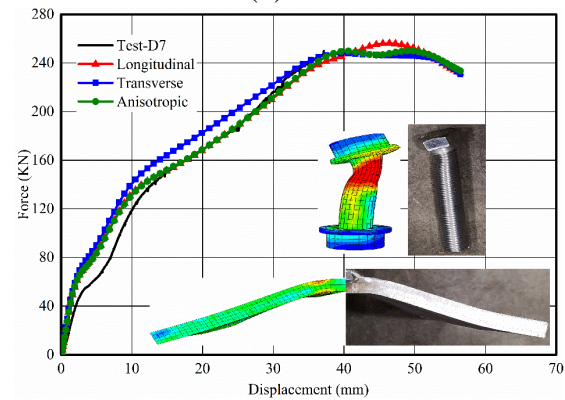
(j) D4



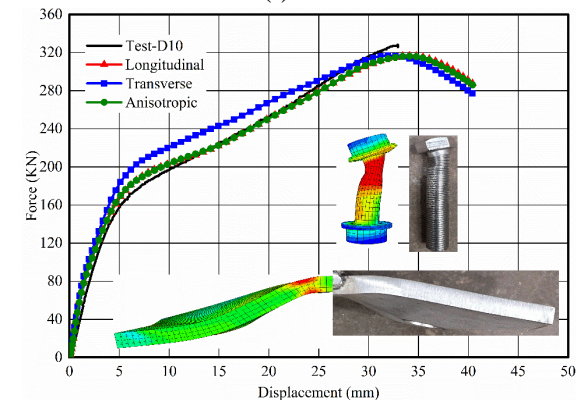
(k) D5



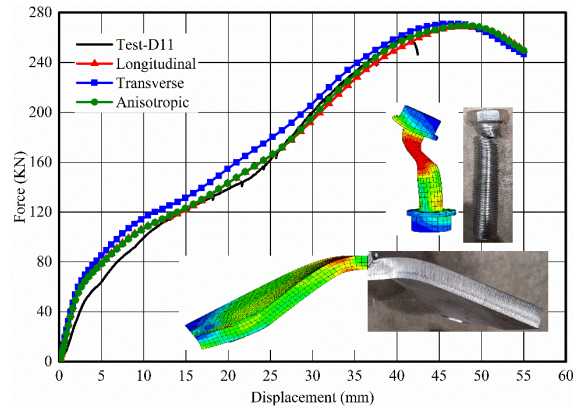
(l) D6



(m) D7



(n) D10



(o) D11

Fig. 5. The force-displacement curves and the failure modes of the specimens. (The colours in the figure represents the von Mises stress.)

245 The numerically predicted plastic and ultimate resistances F_{pl} and F_u for all T-stubs, as well as
 246 the displacement at ultimate resistance Δ_u are reported in Table 3 for all three material
 247 modelling assumptions. The ratios of the corresponding numerical over experimental ratios are
 248 reported in Table 4. The average values of the numerical over experimental plastic resistance
 249 ratios $F_{pl,FE} / F_{pl,Exp}$ are 0.93, 1.05 and 0.96 with coefficients of variation (COV) of 0.07, 0.08
 250 and 0.06 for the FE models assuming isotropic longitudinal, isotropic transverse and
 251 anisotropic material response, respectively. In terms of the ultimate load, the corresponding
 252 ratios are 0.97, 1.01 and 1.01 with COV of 0.05, 0.08 and 0.08, respectively. The respective
 253 mean ratios of the numerical over experimental displacement at ultimate load ratios $\Delta_{u,FE} / \Delta_{u,Exp}$
 254 are 1.05, 1.03 and 1.07 with COV of 0.09, 0.07 and 0.10. The main difference between each
 255 curve in Fig. 5 is the plastic resistance values which are given in Table 3 based on considered
 256 constitutive models. It was evidenced that considering the longitudinal material response in
 257 numerical models provides conservative numerical over experimental plastic resistance ratios,
 258 these ratios are obtained more accurately while accounting anisotropic constitutive model in
 259 the FE models since the material exhibited a 0.2% proof stress in the transverse direction 21%
 260 and 7% higher than that in the longitudinal direction for 5 mm and 10 mm coupons,
 261 respectively.

262 Hence it can be concluded that accounting for material anisotropy when modelling ferritic
263 stainless steel T-stubs is necessary to obtain accurate FE predictions of the structural response.
264 This is expected since in the vicinity of the bolt holes, T-stubs are subjected to a multi-axial
265 stress state hence the behaviour of the material in all directions needs to be considered by the
266 numerical model. If data on material anisotropy are not available, the longitudinal material
267 properties should be adopted to ensure conservative capacity predictions.

268 Table 3: Experimental and numerical results for plastic resistance, ultimate resistance and
269 displacement at ultimate resistance.
270

#	Test results			FE results								
				Longitudinal			Transverse			Anisotropic		
	$F_{Pl,Exp}$ (kN)	$F_{u,Exp}$ (kN)	$\Delta_{u,Exp}$ (mm)	$F_{Pl,FE}$ (kN)	$F_{u,FE}$ (kN)	$\Delta_{u,FE}$ (mm)	$F_{Pl,FE}$ (kN)	$F_{u,FE}$ (kN)	$\Delta_{u,FE}$ (mm)	$F_{Pl,FE}$ (kN)	$F_{u,FE}$ (kN)	$\Delta_{u,FE}$ (mm)
S1	16.8	102.1	54.0	14.5	97.1	53.8	16.0	96.3	53.8	15.0	96.3	53.8
S2	22.3	111.8	41.0	20.0	108.0	39.9	21.0	114.1	40.9	23.0	114.1	39.9
S3	47.0	114.3	22.5	46.0	122.0	21.1	53.0	138.9	22.2	47.0	138.9	22.2
S4	48.0	122.7	42.2	45.0	122.8	49.8	51.0	121.6	49.0	47.0	121.5	49.8
S5	93.5	167.0	34.9	81.0	154.2	37.0	88.0	153.5	35.4	82.0	154.9	36.3
S6	188.0	227.7	18.4	166.0	197.8	21.2	184.0	199.4	19.3	167.0	197.3	21.2
D1	31.0	207.5	55.8	29.5	205.7	56.1	33.5	214.4	56.1	30.0	214.4	55.3
D2	46.0	229.9	43.5	40.0	213.3	44.4	49.5	225.4	44.4	44.5	225.4	44.4
D3	37.5	222.1	59.7	31.2	200.9	57.6	34.0	209.2	56.1	32.2	209.2	56.8
D4	40.0	220.8	42.8	37.0	221.2	46.6	46.3	229.0	47.7	39.8	229.0	49.7
D5	29.0	150.5	43.0	27.0	153.6	40.9	32.2	162.8	39.8	28.0	162.8	42.1
D6	36.0	187.5	41.2	33.0	183.1	38.5	41.0	195.1	40.6	36.0	192.8	41.6
D7	127.0	249.9	37.2	128.0	256.2	46.4	136.0	248.0	40.6	127.0	249.9	49.0
D10	170.0	328.1	32.9	178.0	316.7	34.1	198.0	316.9	32.0	177.0	316.2	34.1
D11	92.0	260.9	41.1	93.0	268.7	48.1	98.0	271.2	46.4	92.0	269.6	48.1

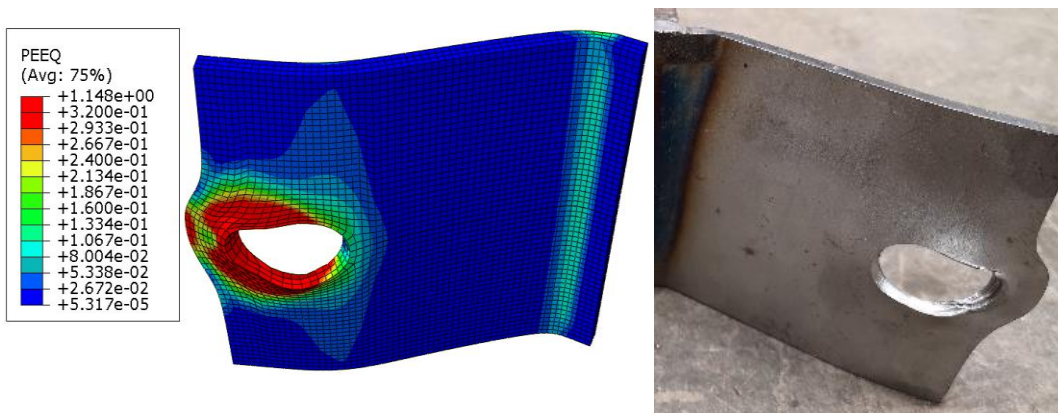
271

272 Table 4: Numerical over experimental FE results for various material modelling assumptions.

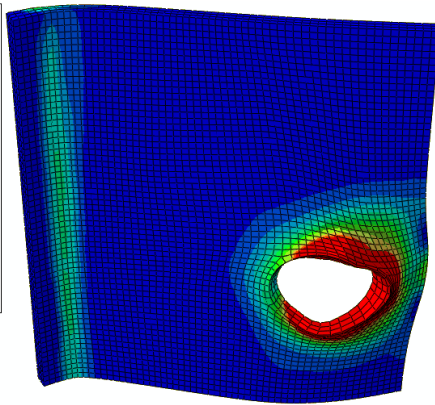
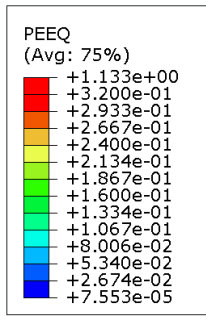
#	Longitudinal			Transverse			Anisotropic		
	$F_{Pl,FE} /$ $F_{Pl,Exp}$	$F_{u,FE} /$ $F_{u,Exp}$	$\Delta_{u,FE} /$ $\Delta_{u,Exp}$	$F_{Pl,FE} /$ $F_{Pl,Exp}$	$F_{u,FE} /$ $F_{u,Exp}$	$\Delta_{u,FE} /$ $\Delta_{u,Exp}$	$F_{Pl,FE} /$ $F_{Pl,Exp}$	$F_{u,FE} /$ $F_{u,Exp}$	$\Delta_{u,FE} /$ $\Delta_{u,Exp}$
	S1	0.86	0.95	1.00	0.95	0.94	1.00	0.89	0.94
S2	0.89	0.96	0.97	0.94	1.02	1.00	1.03	1.02	0.97
S3	0.98	1.06	0.93	1.12	1.22	0.99	1.00	1.22	0.99
S4	0.93	1.00	1.18	1.06	0.99	1.16	0.98	0.99	1.18
S5	0.87	0.93	1.06	0.94	0.92	1.02	0.88	0.93	1.04
S6	0.88	0.87	1.15	0.98	0.88	1.05	0.88	0.87	1.15
D1	0.95	0.99	1.01	1.08	1.03	1.01	0.97	1.03	0.99
D2	0.87	0.93	1.02	1.08	0.98	1.02	0.97	0.98	1.02
D3	0.83	0.90	0.96	0.91	0.94	0.94	0.86	0.94	0.95
D4	0.93	1.00	1.09	1.16	1.04	1.11	0.99	1.04	1.16
D5	0.93	1.02	0.95	1.11	1.09	0.93	0.96	1.09	0.98
D6	0.92	0.98	0.93	1.14	1.04	0.99	1.00	1.03	1.01

D7	1.01	1.02	1.25	1.08	0.99	1.09	1.00	1.00	1.32
D10	1.04	0.96	1.04	1.16	0.96	0.97	1.04	0.96	1.04
D11	1.01	1.03	1.18	1.06	1.04	1.12	1.00	1.03	1.18
Average	0.93	0.97	1.05	1.05	1.01	1.03	0.96	1.01	1.07
COV	0.07	0.05	0.09	0.08	0.08	0.07	0.06	0.08	0.10

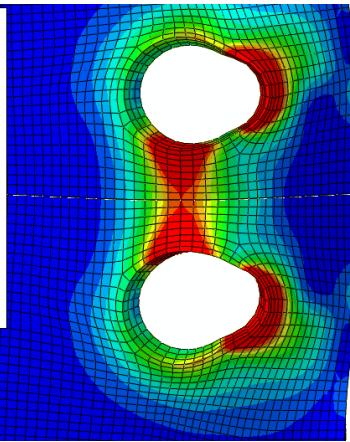
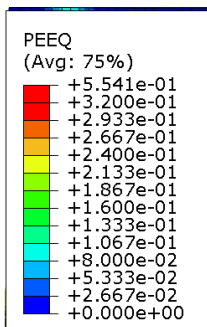
273 In addition, in all cases, the T-stubs failed in mode 1 with the formation of 4 yield lines and
274 significant plastic deformation. In the failure modes shown in Fig. 5, the flexural deformations
275 of the flanges are not pronounced since the photos were taken at the end of the test and the
276 membrane action developed in the T-stub flanges dominates the observed plastic deformation.
277 A close-up of the failure modes of specimens S1, D3, D5, D6 and D11 are shown in Fig. 6
278 where the numerically obtained equivalent plastic strain at the end of the analysis is also
279 depicted for these specimens. The specimen S1 ultimately failed by bearing of the T-stub flange
280 plate since at high deformations the bolts anchoring the membrane action of the T-stub flanges
281 were subjected to high levels of shear forces. In specimen D3, the initiation of a crack is clearly
282 seen at the bolt hole due to high levels of plastic strain, whilst D5 and D6 ultimately failed by
283 fracture of the flange in-between the bolts due to the strain concentration between the bolt
284 holes. Specimen D11 failed by the fracture of the bolts and the strain concentration of the bolts
285 in the FE model agree well with the tested T-stub. All these failure types were accurately
286 predicted by the developed FE models where the locations of accumulation of plastic strain
287 coincides with the location where the cracks were observed during the tests.



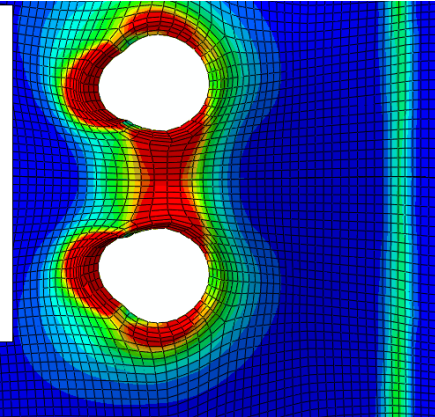
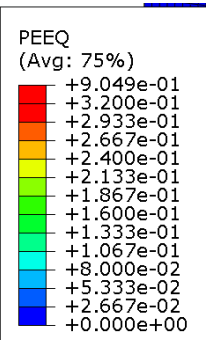
a) S1



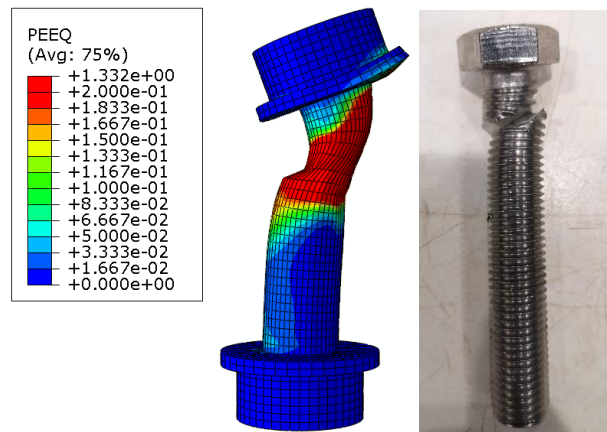
b) D3



c) D5



d) D6



e) D11

Fig. 6. Experimental and numerical failure modes of a) S1, b) D3, c) D5, d) D6 and e) D11.

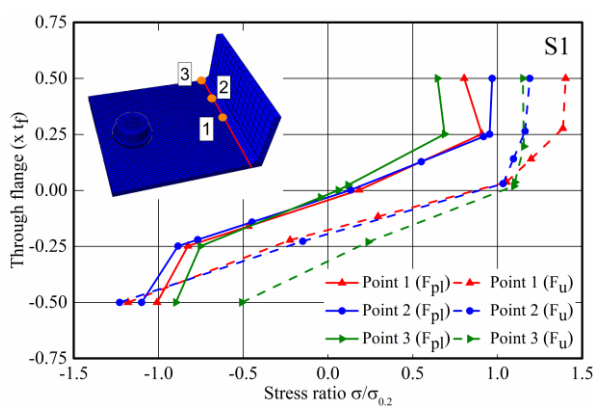
288 **3.2. Stress distribution through the flange thickness**

289 Having demonstrated the ability of the FE models to replicate the experimentally observed
 290 response, the validated models are utilised to extract valuable information regarding the stress
 291 distribution through the flange thickness at specific load levels. In Fig. 7, the stress distribution
 292 through the flange thickness is reported at three sections along the length of the T-stubs, at the
 293 end of the fillet weld as shown in the relevant figures. The selected locations include the middle
 294 of the T-stub, the end of the T-stub and the location of the bolt. The reported normal stresses
 295 are oriented perpendicular to the web, have been normalised by the longitudinal $\sigma_{0.2}$ and are
 296 plotted on the x-axis, whilst the through thickness locations at which they occur are on the y-
 297 axis. For each of the three locations along the length of the T-stub sections where the stress
 298 values are reported, two load levels are considered, namely the load corresponding to the plastic
 299 resistance of the T-stub $F_{pl,FE}$ and the ultimate load $F_{u,FE}$ with the stress distribution curves are
 300 denoted with solid and dotted lines, respectively. It should be noted that to obtain local stress
 301 values with a sufficient accuracy, the models from which the stress distributions were extracted
 302 employed 4 elements through the thickness, despite, as earlier stated, three elements through
 303 the thickness suffice to obtain an accurate prediction of the global response of the T-stubs. EN

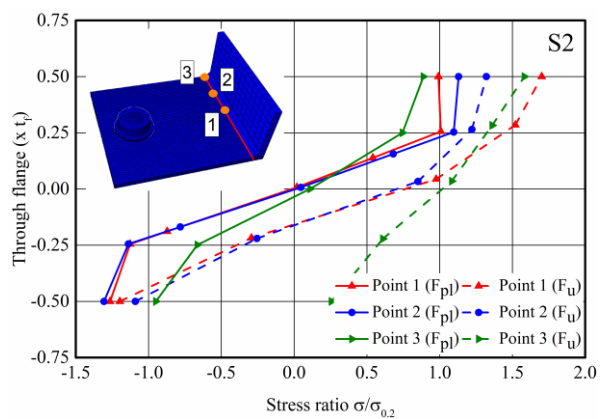
304 1993-1-8 [1] assumes rigid plastic material response of the flanges of the T-stub and the
305 derivation of the mode 1 plastic resistance load is based on rigid plastic analysis. For materials
306 with a well-defined yield plateau such as carbon steel such an assumption is reasonable, whilst
307 for stainless steels, which exhibit a gradual loss of stiffness and significant strain-hardening the
308 validity of this assumption is questionable. Hence it is of interest to determine the actual stress
309 distribution through the T-stub thickness at the load level consistent with the plastic resistance
310 of the T-stub.

311 In Fig. 7, for all models, it can be observed that at the attainment of F_{pl} the stress distributions
312 in all locations are symmetric with equal and opposite stress values occurring at the top and
313 bottom nodes of the T-stubs, thus confirming that the main load carrying mechanism up to the
314 attainment of the plastic resistance of the section is bending. In all models, the T-stub section
315 at the bolt location experiences higher stress values (red curves) compared to the other sections,
316 whilst the lowest stress values are observed at the free ends of the T-stubs (green curves) with
317 the intermediate locations (blue curves) being in-between depending on the bolt arrangement.
318 In models with large distances between the bolt axis and the T-stub web (large m values) like
319 the models for specimens D3 and D5, the edge of the T-stub experiences significantly lower
320 stresses, which are predominantly elastic, whilst at the same load level the sections at the bolt
321 axis are subjected to inelastic stresses at or above the nominal yield stress. For models D2 and
322 D4 a more uniform stress distribution at the plastic load level can be observed along the T-
323 stubs. For all models, at the attainment of the plastic resistance of the T-stub, the maximum
324 recorded stress is approximately 25% higher than the nominal yield stress, a value that
325 corresponds to the ultimate tensile stress in the longitudinal direction as reported in [35]. In a
326 recent study on austenitic and duplex stainless steel T-stubs [33] the respective value was 100%
327 higher than the nominal yield stress, due to the significantly more favourable strain-hardening
328 characteristics that these grades exhibit compared to ferritic stainless steel.

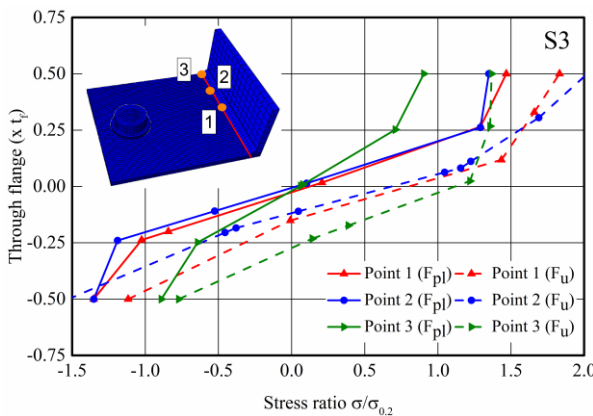
329 An interesting observation can be made with regards to the stress distribution at the ultimate
 330 load (dotted curves in Fig. 7). In all cases the dotted lines shift to the right and a clear
 331 asymmetry emerges; the T-stubs are no longer working predominantly in flexure; they are
 332 carrying simultaneously bending moment and tension due to membrane action. Hence the
 333 neutral axis of the sections can be seen to have moved towards the bottom (compression side)
 334 of the T-stub. This observation confirms the change of the load transfer mechanism from
 335 flexural to membrane at high deformations.



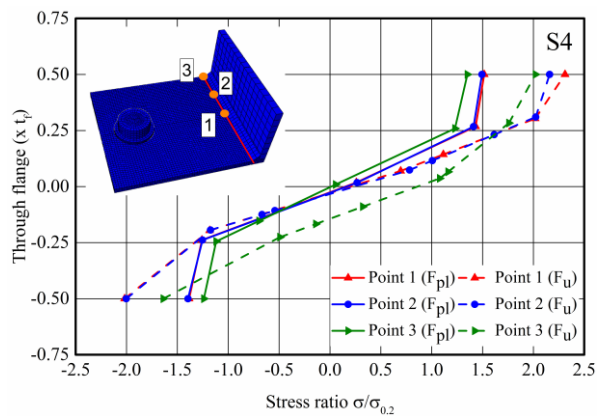
(a) S1



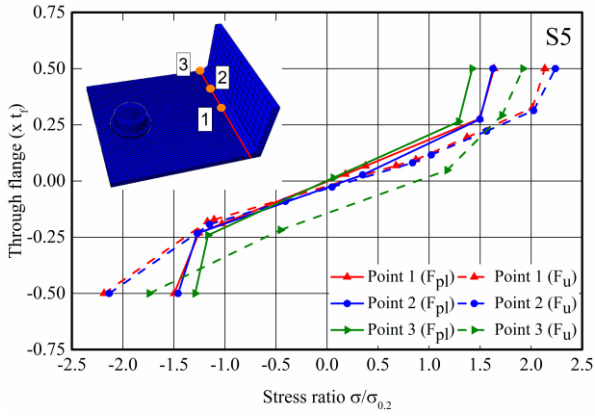
(b) S2



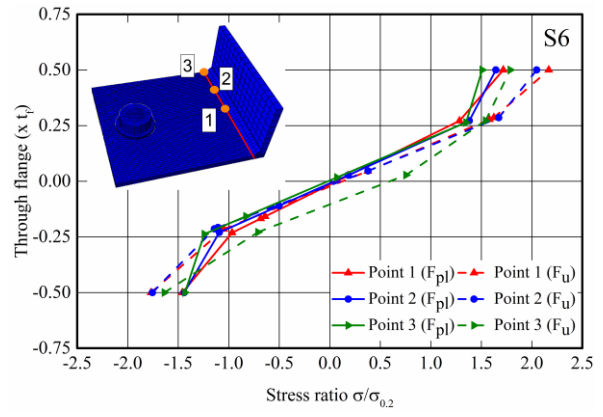
(c) S3



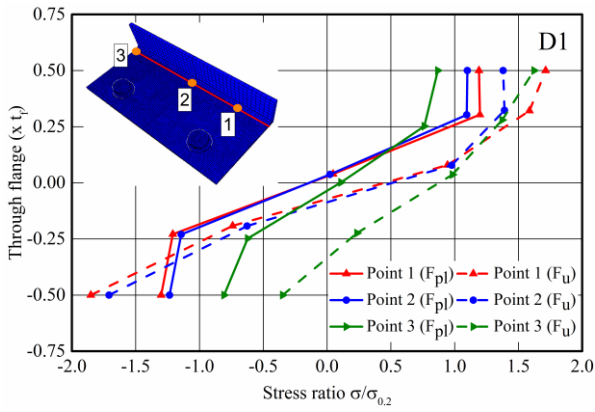
(d) S4



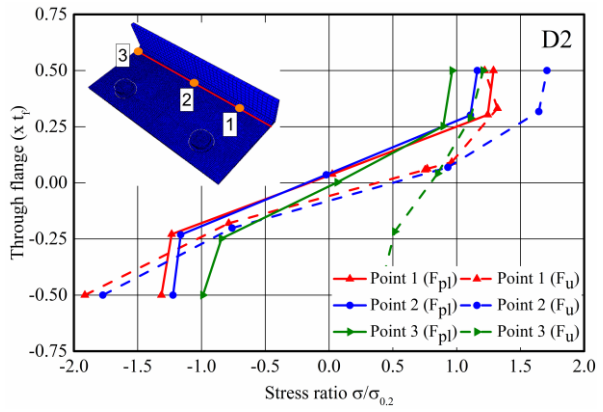
(e) S5



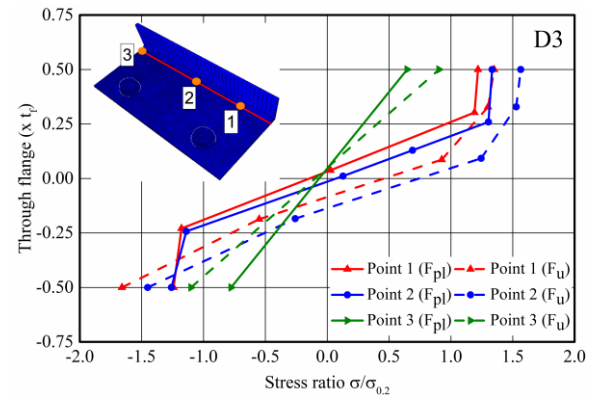
(f) S6



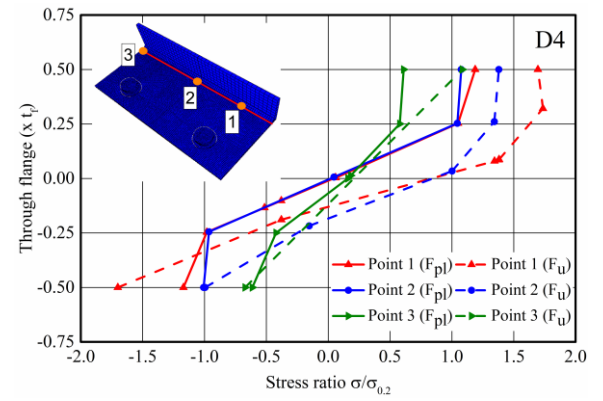
(g) D1



(h) D2



(i) D3



(j) D4

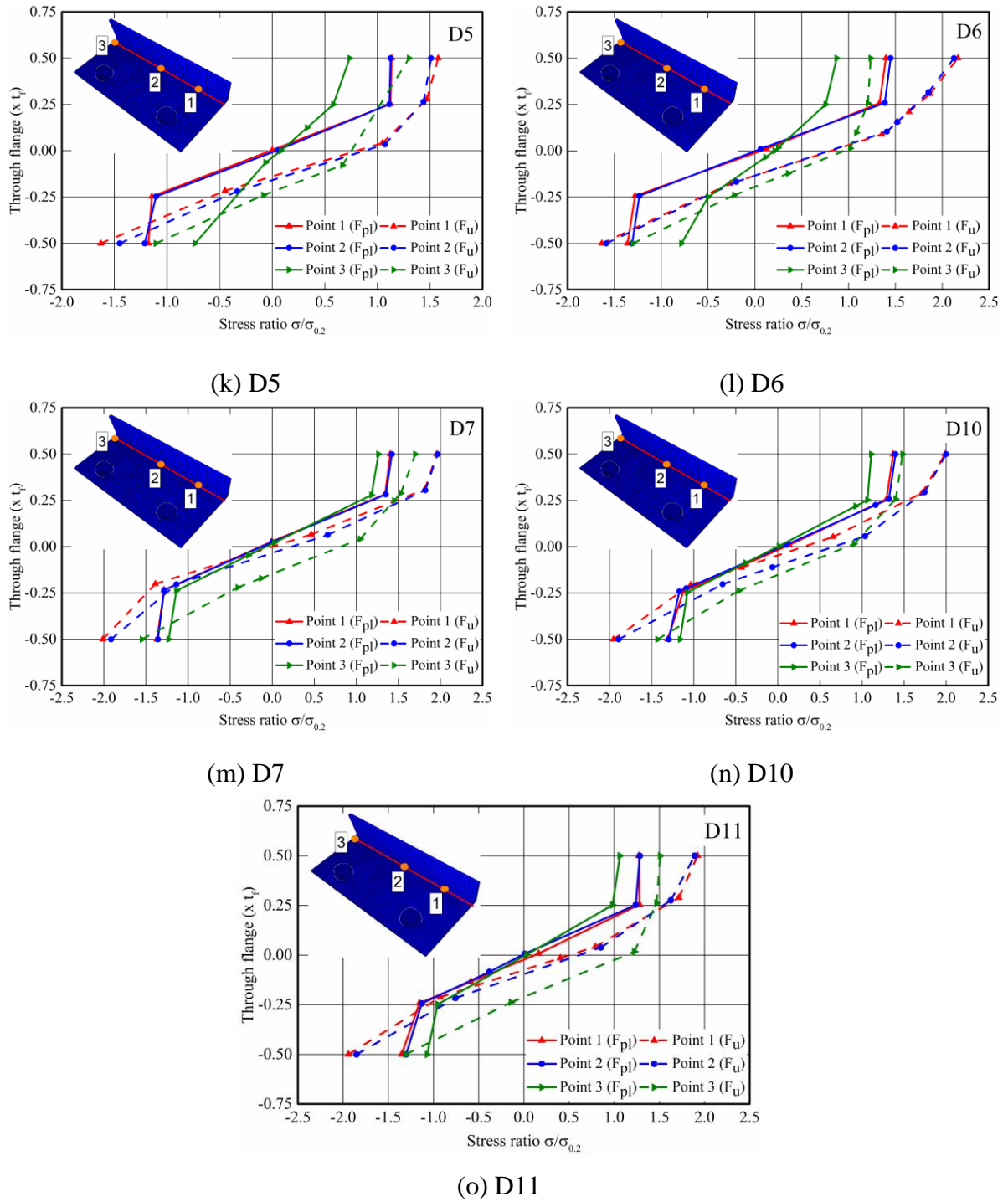


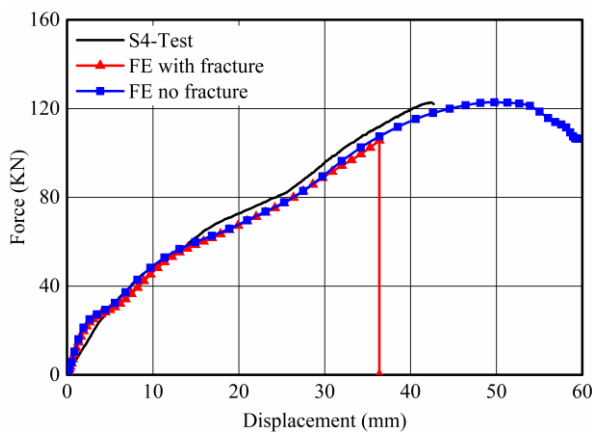
Fig. 7. The stress distribution through the flange plate thickness.

336 3.3. Results of incorporating the bolt fracture

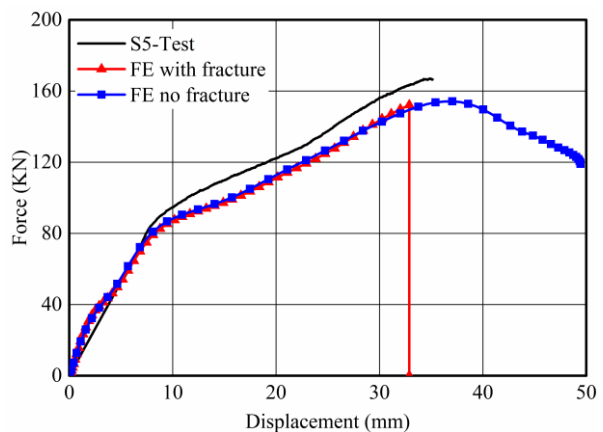
337 Bolt fracture was included to the FE modelling of S4, S5, D7, D10 and D11 which exhibited
 338 severe damage of the bolts using the ductile damage model in ABAQUS. The plastic strain at
 339 damage initiation was defined as a function of stress triaxiality according to Eq. (1), whilst no

340 damage evolution was considered. Hence the time increment at which the damage initiation
341 criterion was fulfilled was obtained and at this time increment the force-displacement curves
342 truncated, as evidenced by the sudden drop exhibited by the red curves in Fig. 8. This approach
343 eliminates the need for explicit fracture modelling and allows the experimental curves
344 (incorporating damage) to be compared to a modelling approach effectively assuming
345 instantaneous fracture (red curves in Fig. 8). The force-displacement curves of the numerical
346 models are presented in Fig. 8, with the blue lines not accounting for bolt fracture and the red
347 ones corresponding to instant fracture when the relevant plastic strain is reached. The results
348 show that the assumption of instant fracture yields conservative results and the final part of the
349 tested curves can not be captured accurately, whilst not considering bolt fracture (blue lines)
350 over estimates the deformations that the specimens can reach and hence the ductility. Hence,
351 the necessity of including damage propagation into the FE model to obtain the load and
352 displacement at failure is highlighted, whilst for design purposes, where a reasonable level of
353 conservatism is necessary, assuming instant fracture is warranted.

354



(a) S4



(b) S5

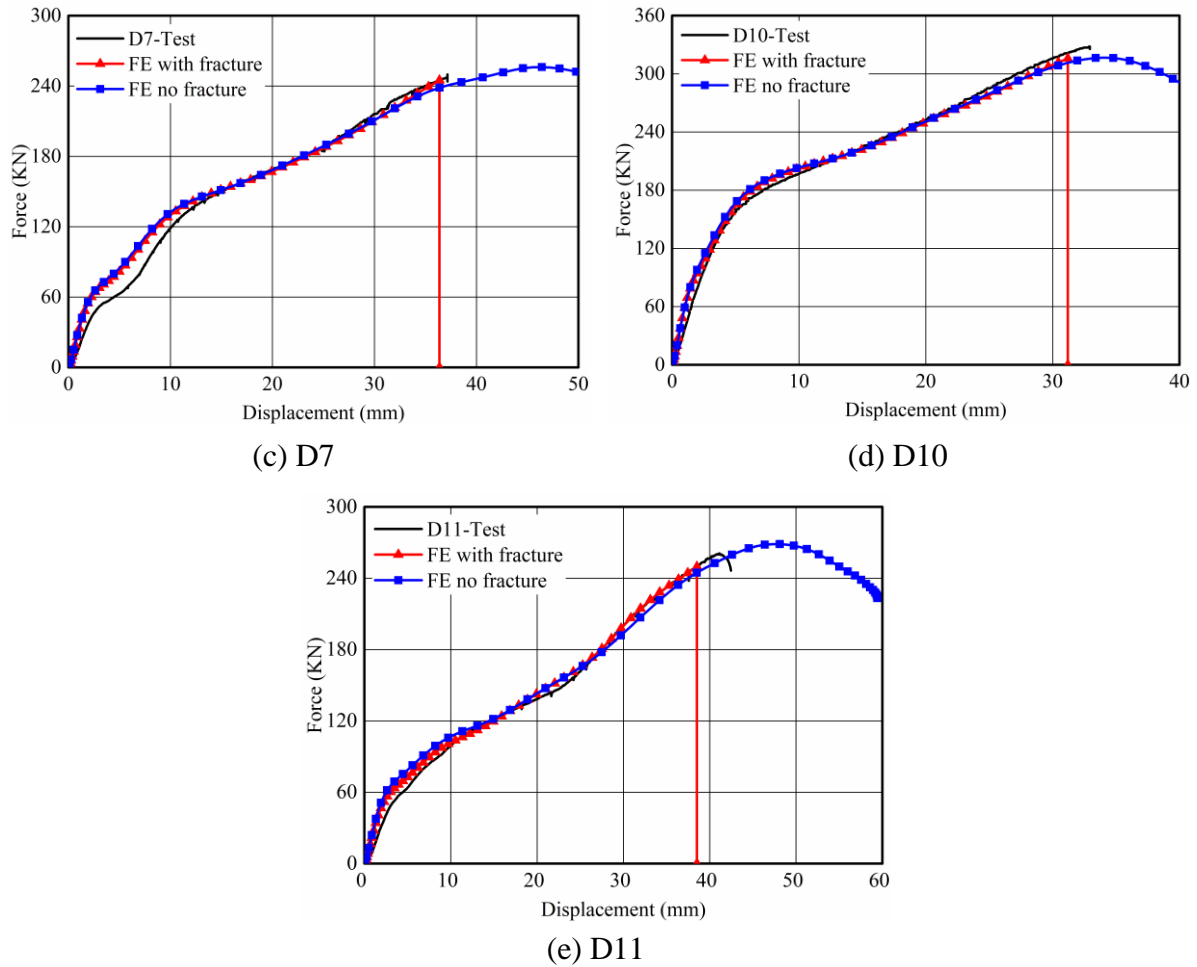


Fig. 8. The force-displacement curves of FE models with proposed damage model.

355 4. Parametric study

356 A comprehensive parametric study has been conducted in the scope of this study with the aim
 357 of quantifying membrane effects and assessing the applicability of relevant predictive
 358 equations as discussed in section 5. The modelling assumptions for the parametric analysis
 359 follow the ones discussed previously in the validation of the numerical models in section 2.1.
 360 The parametric studies consider bolted T-stub specimens with a single bolt row only.

361 4.1. FE modelling and assumptions

362 The FE model for the parametric study of ferritic stainless steel bolted T-stubs is constructed
 363 based on section 2. The dynamic explicit solver was utilized and boundary conditions and
 364 loading mechanism remained unchanged. A total of 35 FE models which were created based

365 on the selected parameters in Table 5 were performed. The material properties reported in Table
 366 1 for 5 mm thick ferritic stainless steel plates are utilised in the FE model. The predicted plastic
 367 and ultimate resistances and corresponding displacements are reported in Table 6.

368 Table 5: Geometric dimensions of the specimens for the parametric study (units are in mm).

Material	Bolt	$t_f = t_w$	Width	m	n	d_b	h_f
Ferritic	A4-80	3	$b_f = 220$	25	75	16	6
		6		30	70		
		9		40	60		
		12		50	50		
		15		60	40		
				70	30		
		75	25				

369 5. Design recommendations

370 5.1. EN 1993-1-8 design provisions for the plastic resistance F_{pl}

371 The expressions to predict the plastic resistances corresponding to the three failure modes
 372 identified in EN 1993-1-8 [1] for stainless steel bolted T-stubs are given by Eqs. 2-4, where all
 373 symbols are defined in EN 1993-1-8 [1].

374

$$\text{Type-1} \quad F_{1,Rd} = \frac{(8n - 2e_w)M_{f,1,Rd}}{2mn - e_w(m+n)} \quad (2)$$

$$\text{Type-2} \quad F_{2,Rd} = \frac{2M_{f,2,Rd} + n\Sigma F_{t,Rd}}{m+n} \quad (3)$$

$$\text{Type-3} \quad F_{3,Rd} = \Sigma F_{t,Rd} \quad (4)$$

375 Furthermore, the theoretical relationship between the thickness squared (t_f^2) and plastic
 376 resistance of T-stubs is depicted in Fig. 9. It can be observed that the resistance F_{pl} is
 377 proportional to t_f^2 for type 1 and type 2 failure modes, albeit with a different factor of
 378 proportionality, however type-3 failure mechanism is not affected by any change in thickness
 379 since it only involves bolt failure.

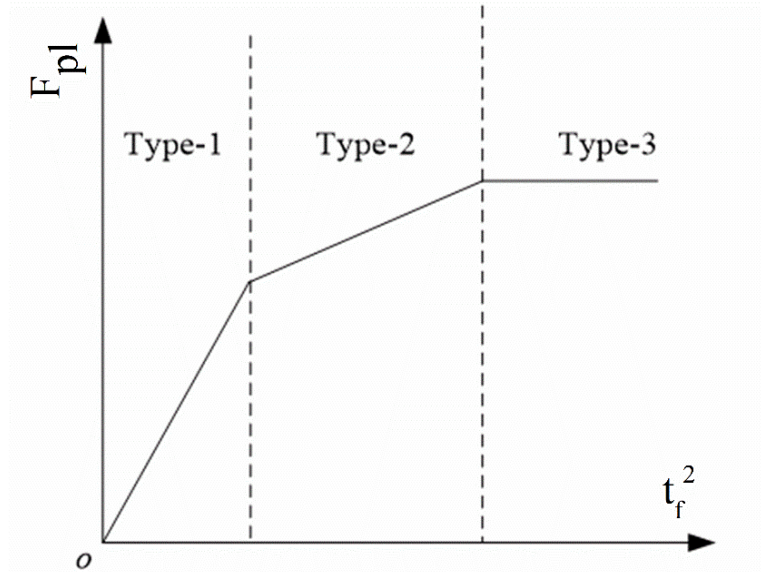


Fig. 9. Theoretical relationship between F_{pl} and t_f^2 provided in EN 1993-1-8 [1].

380 The parametric study results are considered to assess the EN 1993-1-8 [1] in terms of plastic
 381 resistance predictions. In Table 6, the ratio of the plastic resistance predicted based on EN
 382 1993-1-8 [1] over the numerical one is reported. The average ratio was 0.90 with a standard
 383 deviation of 0.08. It was concluded that the plastic resistance predictions based on EN 1993-1-
 384 8 [1] provided good estimations for ferritic stainless steel bolted T-stubs failing in either mode
 385 1 or mode 2. Since the strain-hardening characteristics of ferritic stainless steels is similar to
 386 that of carbon steel, the predictions for plastic resistance of the ferritic T-stubs were obtained
 387 in a good agreement with the parametric analysis results. Similar conclusions were reported by
 388 Yapici et al. [35] regarding the plastic resistance predictions of ferritic stainless steel T-stubs
 389 by EN 1993-1-8 [1] using experimental results.

390 Table 6. Assessment of EN 1993-1-8 based on the parametric study.

#	Material	n	t_f	m	b_{eff}	b_f	$F_{pl, FE}$	$\Delta_{pl, FE}$	$F_{u, FE}$	$\Delta_{u, FE}$	Failure mode	$F_{pl, EC3} / F_{pl, FE}$
1	Ferritic	75	3	25	100	220	23.5	0.6	74.1	53.1	Mode 1	0.66
2	Ferritic	70	3	30	100	220	15.0	0.8	75.8	66.2	Mode 1	0.83
3	Ferritic	60	3	40	100	220	10.9	1.2	85.2	98.5	Mode 1	0.81
4	Ferritic	50	3	50	100	220	10.0	2.0	76.6	72.5	Mode 1	0.69
5	Ferritic	40	3	60	100	220	5.8	1.3	76.5	98.5	Mode 1	0.98
6	Ferritic	30	3	70	100	220	5.3	1.6	65.6	79.0	Mode 1	0.93

7	Ferritic	25	3	75	100	220	5.9	3.8	56.0	63.0	Mode 1	0.79
8	Ferritic	75	6	25	100	220	78.0	0.6	158.4	28.9	Mode 1	0.80
9	Ferritic	70	6	30	100	220	52.2	0.7	153.7	30.5	Mode 1	0.95
10	Ferritic	60	6	40	100	220	37.4	0.9	147.1	42.9	Mode 1	0.94
11	Ferritic	50	6	50	100	220	33.5	1.0	132.9	41.2	Mode 1	0.82
12	Ferritic	40	6	60	100	220	23.5	1.3	124.2	44.3	Mode 1	0.97
13	Ferritic	30	6	70	100	220	20.8	1.5	117.7	48.0	Mode 1	0.95
14	Ferritic	25	6	75	100	220	20.5	1.8	121.2	78.0	Mode 1	0.91
15	Ferritic	75	9	25	100	220	155.0	0.5	193.9	15.3	Mode 1	0.91
16	Ferritic	70	9	30	100	220	118.4	0.9	183.9	20.1	Mode 1	0.94
17	Ferritic	60	9	40	100	220	84.6	1.0	165.2	26.4	Mode 1	0.93
18	Ferritic	50	9	50	100	220	77.0	1.0	147.2	31.5	Mode 1	0.80
19	Ferritic	40	9	60	100	220	55.0	1.1	133.9	34.6	Mode 1	0.93
20	Ferritic	30	9	70	100	220	48.0	1.3	116.6	37.4	Mode 1	0.93
21	Ferritic	25	9	75	100	220	48.0	1.3	111.2	37.9	Mode 1	0.88
22	Ferritic	75	12	25	100	220	195.0	0.7	205.2	7.7	Mode 2	0.87
23	Ferritic	70	12	30	100	220	170.5	0.9	197.0	9.5	Mode 2	0.95
24	Ferritic	60	12	40	100	220	146.3	1.1	178.0	14.4	Mode 1	0.96
25	Ferritic	50	12	50	100	220	134.0	1.1	159.6	19.9	Mode 1	0.82
26	Ferritic	40	12	60	100	220	101.0	1.4	141.3	25.1	Mode 1	0.90
27	Ferritic	30	12	70	100	220	85.2	1.8	121.6	29.1	Mode 1	0.93
28	Ferritic	25	12	75	100	220	87.0	1.9	117.5	35.7	Mode 1	0.86
29	Ferritic	75	15	25	100	220	208.0	0.7	225.9	7.8	Mode 2	0.93
30	Ferritic	70	15	30	100	220	192.0	0.8	216.8	9.5	Mode 2	0.95
31	Ferritic	60	15	40	100	220	182.0	0.9	199.5	11.3	Mode 2	0.92
32	Ferritic	50	15	50	100	220	154.2	1.0	176.0	14.4	Mode 2	0.98
33	Ferritic	40	15	60	100	220	132.4	1.2	157.4	17.7	Mode 2	0.97
34	Ferritic	30	15	70	100	220	108.6	1.4	139.1	25.1	Mode 2	0.97
35	Ferritic	25	15	75	100	220	98.7	1.4	139.2	41.6	Mode 2	0.96
											Average	0.90
											St. dev	0.08

391 Furthermore, the numerically obtained plastic force F_{pl} is plotted against the square of the
392 flange thickness t_f^2 for each model of the parametric study in Fig. 10. It can be concluded that
393 the predicted failure modes based on EN 1993-1-8 [1] agree well with the plastic force versus
394 t_f^2 behaviours. The curves corresponding to an m value between 40 and 75 mm are almost linear
395 with respect to the thickness squared until the flange thickness is reached to 12 mm. While the
396 flange thickness becomes 15 mm, a second linear branch emerges in the curves. This is
397 attributed to the change in the failure modes of all specimens with 15 mm flange thickness
398 (specimens 31-35 in Table 6) based on EN 1993-1-8 [1] in Table 6. Additionally, a second
399 linear branch are observed for the curves with an m distance of 30 and 35 mm when the

400 thickness is 12 mm which means that the change in failure mode becomes earlier for the T-
 401 stubs with lesser m distances. The change in the failure mode of specimens 22 and 23 in the
 402 parametric study was well represented by the plastic force versus t_f^2 curves given in Fig. 10.
 403 The change in the slope of the curves corresponds to the change of the failure mode predictions
 404 based on EN 1993-1-8 [1] from mode 1 to mode 2, the predicted failure modes of the
 405 specimens.

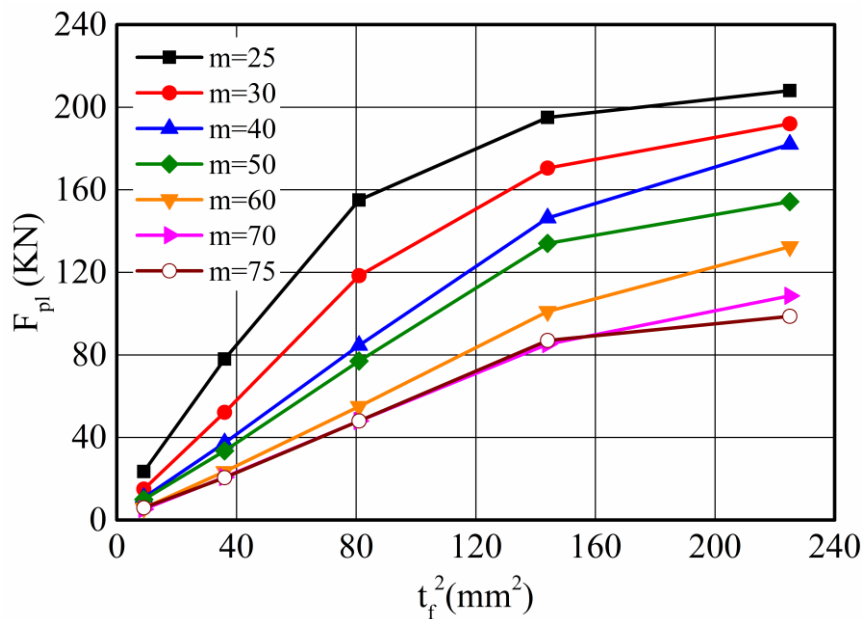


Fig. 10. Relationships between F_{pl} and t_f^2 for the parametric study.

406

407 5.2. Prediction of ultimate resistance force F_u

408 Predictive equations for the determination of the ultimate force of a T-stub were recently
 409 proposed by Tartaglia et al. [48] for carbon steel specimens. Its applicability to stainless steel
 410 T-stubs is assessed herein based on the reported experimental and numerical results. The
 411 proposed predictive equations are given by Eqs. 5-7 where $F_{T,1}$ and $F_{T,2}$ are the resistances for
 412 failure mode 1 and 2 according to EN 1993-1-8 [1], whilst $F_{T,LD}$ is an additional force due to
 413 the development of membrane action at large deformations. The l_{eff} is the effective length of
 414 the T-stub, t_f is the flange thickness, f_u is the ultimate strength of the flange material, $F_{B,R}$ is the
 415 bearing resistance calculated based on EN 1993-1-8 [1]. The ratio between the imposed gap

416 opening δ and the distance m is termed as α (Fig. 11) and ψ is a reduction factor applied to the
 417 bolts, which accounts for their reduced tensile strength due to the simultaneous presence of
 418 shear force and bending moment.

419

$$F_T = F_{T,1} + F_{T,LD} \text{ for Mode 1} \quad (5)$$

$$F_T = F_{T,2} + F_{T,LD} \text{ for Mode 2} \quad (6)$$

$$F_{T,LD} = 2 \times \min\left(\frac{l_{eff}}{2} \times t \times f_u \times \sin \alpha; F_{B,R} \times \tan \alpha; F_{t,R} \times \psi\right) \quad (7)$$

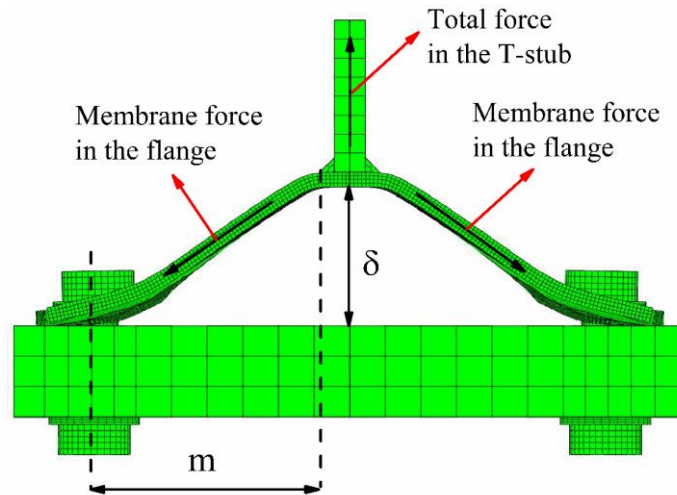


Fig. 11. Development of membrane forces in bolted T-stubs.

420 5.2.1. Assessment of predictive equations using experimental results in the literature

421 The experimental test results on austenitic and duplex stainless steel bolted T-stubs under
 422 monotonic loading reported by Yuan et al. [20,33] were used to validate the design formula
 423 proposed by Tartaglia et al. [48] to predict the ultimate resistances. A total of 27 bolted T-stubs
 424 were considered with three different geometric configuration such as single and double bolt
 425 rows named as S and D, respectively. The experimental plastic and ultimate forces and
 426 predicted ultimate forces are represented in Table 7 with comparisons. The parameter β in
 427 Table 7 is defined as the ratio of plastic resistance of the T-stub for mode 1 failure over the

428 resistance of the bolts [35]. The proposed expressions in Eqs. 5-7 by Tartaglia et al. [48]
 429 provide accurate ultimate resistance predictions for austenitic and duplex stainless steel bolted
 430 T-stubs. The average ratio of predicted and experimental ultimate force is 0.97 with a standard
 431 deviation of 0.11.

432 Table 7: Assessment of proposed design formula by Tartaglia et al. [48] using available test
 433 data for austenitic and duplex stainless steel T-stubs.
 434

#	Material	$F_{pl,Exp.}$	$F_{u, Exp.}$	β	$F_{T,pred.}$	$F_{T,pred} / F_{u,Exp.}$
S1	EN 1.4301	154.0	200.2	0.48	183.0	0.91
S2	EN 1.4301	85.8	106.8	0.60	112.4	1.05
S3	EN 1.4462	175.7	198.4	0.58	228.8	1.15
S4	EN 1.4462	93.9	108.9	0.61	124.5	1.14
S5	EN 1.4462	87.6	161.6	0.25	150.9	0.93
S6	EN 1.4301	61.8	104.3	0.34	92.1	0.88
S7	EN 1.4462	105.8	175.2	0.33	172.0	0.98
S8	EN 1.4301	131.2	188.0	0.36	157.8	0.84
S9	EN 1.4301	83.3	108.9	0.60	112.5	1.03
S10s	EN 1.4301	51.2	97.3	0.29	74.8	0.77
S11s	EN 1.4301	43.1	136.1	0.11	114.8	0.84
S12s	EN 1.4462	97.3	111.8	0.96	114.5	1.02
S13s	EN 1.4462	79.6	141.8	0.29	142.4	1.00
S14s	EN 1.4462	127.8	140.0	1.65	142.7	1.02
D1	EN 1.4301	211.1	367.5	0.30	286.2	0.78
D2	EN 1.4301	142.2	179.1	0.37	194.7	1.09
D3	EN 1.4462	97.8	260.9	0.18	234.7	0.90
D4	EN 1.4462	254.1	312.5	0.43	344.5	1.10
D5	EN 1.4462	338.7	382.5	0.56	402.5	1.05
D6	EN 1.4301	150.8	306.6	0.20	277.0	0.90
D7	EN 1.4301	104.4	174.3	0.27	167.6	0.96
D8	EN 1.4301	136.2	181.6	0.37	194.3	1.07
D9s	EN 1.4301	63.3	163.1	0.18	123.6	0.76
D10s	EN 1.4301	50.5	224.3	0.06	208.7	0.93
D11s	EN 1.4462	146.8	182.3	0.58	203.3	1.12
D12s	EN 1.4462	244.7	368.4	0.36	358.2	0.97
D13s	EN 1.4462	131.3	194.6	0.38	196.5	1.01
					Average	0.97
					St. dev.	0.11

435 **5.2.2. Assessment of predictive equations using the parametric study results**

436 The equations proposed by Tartaglia et al. [48] was applied to the ferritic stainless steel bolted
 437 T-stubs considering a wide range of parameters and failure modes to predict the ultimate
 438 resistances. In Table 8, the summary of the numerical and predicted ultimate resistance forces
 439 are reported with the comparison ratios. The average ratio of the ultimate force predicted by
 440 the proposed formula over obtained by the numerical parametric analysis is 1.03 with a
 441 standard deviation of 0.20 which indicates a slight overprediction of ultimate resistances of FE
 442 models. The predictions agree well with the FE models overall for ferritic stainless steel.

443 Table 8: Assessment of proposed design formula by Tartaglia et al. [48] using the parametric
 444 study results.

#	Material	n	t _f	m	b _{eff}	b _f	F _u	Δ _u	Failure mode	β	F _{u, pred.}	F _{u,pred} / F _{u,FE}
1	Ferritic	75	3	25	100	220	74.1	53.1	Mode 1	0.05	103.55	1.40
2	Ferritic	70	3	30	100	220	75.8	66.2	Mode 1	0.04	75.70	1.00
3	Ferritic	60	3	40	100	220	85.2	98.5	Mode 1	0.03	72.08	0.85
4	Ferritic	50	3	50	100	220	76.6	72.5	Mode 1	0.03	94.79	1.24
5	Ferritic	40	3	60	100	220	76.5	98.5	Mode 1	0.02	69.01	0.90
6	Ferritic	30	3	70	100	220	65.6	79.0	Mode 1	0.02	68.25	1.04
7	Ferritic	25	3	75	100	220	56.0	63.0	Mode 1	0.02	44.48	0.79
8	Ferritic	75	6	25	100	220	158.4	28.9	Mode 1	0.21	150.43	0.95
9	Ferritic	70	6	30	100	220	153.7	30.5	Mode 1	0.18	112.89	0.73
10	Ferritic	60	6	40	100	220	147.1	42.9	Mode 1	0.13	98.43	0.67
11	Ferritic	50	6	50	100	220	132.9	41.2	Mode 1	0.11	115.40	0.87
12	Ferritic	40	6	60	100	220	124.2	44.3	Mode 1	0.09	86.15	0.69
13	Ferritic	30	6	70	100	220	117.7	48.0	Mode 1	0.08	83.09	0.71
14	Ferritic	25	6	75	100	220	121.2	78.0	Mode 1	0.07	106.63	0.88
15	Ferritic	75	9	25	100	220	193.9	15.3	Mode 1	0.48	228.56	1.18
16	Ferritic	70	9	30	100	220	183.9	20.1	Mode 1	0.40	174.87	0.95
17	Ferritic	60	9	40	100	220	165.2	26.4	Mode 1	0.30	142.34	0.86
18	Ferritic	50	9	50	100	220	147.2	31.5	Mode 1	0.24	149.76	1.02
19	Ferritic	40	9	60	100	220	133.9	34.6	Mode 1	0.20	114.71	0.86
20	Ferritic	30	9	70	100	220	116.6	37.4	Mode 1	0.17	107.82	0.92
21	Ferritic	25	9	75	100	220	111.2	37.9	Mode 1	0.16	113.94	1.02
22	Ferritic	75	12	25	100	220	205.2	7.7	Mode 2	0.86	256.67	1.25
23	Ferritic	70	12	30	100	220	197.0	9.5	Mode 2	0.72	224.86	1.14
24	Ferritic	60	12	40	100	220	178.0	14.4	Mode 1	0.54	203.82	1.15
25	Ferritic	50	12	50	100	220	159.6	19.9	Mode 1	0.43	197.85	1.24
26	Ferritic	40	12	60	100	220	141.3	25.1	Mode 1	0.36	154.69	1.09
27	Ferritic	30	12	70	100	220	121.6	29.1	Mode 1	0.31	142.45	1.17
28	Ferritic	25	12	75	100	220	117.5	35.7	Mode 1	0.29	162.76	1.39
29	Ferritic	75	15	25	100	220	225.9	7.8	Mode 2	1.34	256.32	1.13

30	Ferritic	70	15	30	100	220	216.8	9.5	Mode 2	1.12	245.09	1.13
31	Ferritic	60	15	40	100	220	199.5	11.3	Mode 2	0.84	231.04	1.16
32	Ferritic	50	15	50	100	220	176.0	14.4	Mode 2	0.67	214.27	1.22
33	Ferritic	40	15	60	100	220	157.4	17.7	Mode 2	0.56	191.66	1.22
34	Ferritic	30	15	70	100	220	139.1	25.1	Mode 2	0.48	169.05	1.22
35	Ferritic	25	15	75	100	220	139.2	41.6	Mode 2	0.45	157.75	1.13
											Average	1.03
											St. dev	0.20

445

446 **6. Conclusions**

447 A comprehensive numerical study on the structural behaviour of stainless steel bolted T-stubs
448 fabricated from EN 1.4003 ferritic stainless steel grade is reported herein. The numerical study
449 details the development of an FE model, which takes into account the recorded material
450 anisotropy and employs a quasi-static explicit dynamic solution scheme to overcome
451 convergence difficulties. The developed model is validated against the experimental results
452 reported in the companion paper [35]. The validation is carried out by comparing the numerical
453 to the experimental results in terms of plastic resistance, ultimate resistance and ultimate
454 displacements, as well as overall load deformation response. A comparison of the results
455 obtained from the models employing a general static analysis method with those based on an
456 explicit dynamic analysis has been reported. The effect of changing the number of elements in
457 the mesh through the flange thickness was revealed. Moreover, the failure modes obtained from
458 numerical study was compared with the experimental response and comprehensively reported.
459 The effect of incorporating the material anisotropy into the FE model was studied and it was
460 concluded that the plastic force predictions are very accurate and more consistent when
461 material anisotropy is considered.

462 Based on the validated model, stress distributions through the thickness of the flange at various
463 locations along the length of the T-stub models were obtained at load levels corresponding to
464 the plastic and the ultimate resistance of the T-stub. The obtained results confirmed
465 observations made in the companion paper [35] regarding the prevailing load transfer

466 mechanism changing from flexural to membrane at high deformations. Furthermore, the actual
467 stress values at which the plastic resistance load is reached were found to be close to the
468 ultimate tensile stress at the extreme fibres of the T-stubs. It is thus believed that the main
469 source of overstrength observed for T-stubs is not the strain hardening at the developed yield
470 lines but the membrane action (and strain hardening) occurring at high deformation values.
471 This significant reserve strength may be important in enhancing the robustness of structures.
472 Subsequently, the developed FE model which explicitly considers damage provides accurate
473 predictions for the available ductility and fracture of the stainless steel bolted T-stubs in
474 tension. It was concluded that neglecting the propagation of damage in the FE models leads to
475 conservative predictions for the displacement of fracture and the FE model although
476 computationally less costly cannot accurately simulate the behaviour of the T-stubs near and
477 after their peak resistance, yields however predictions with a reasonable level of conservatism,
478 suitable for design purposes.

479 Moreover, the attained plastic resistance forces from the developed FE models are in a good
480 agreement with plastic resistance predictions based on EN 1993-1-8 [1]. This was attributed to
481 similar strain-hardening characteristics of ferritic stainless steels and carbon steel. The plastic
482 resistances of the ferritic T-stubs were well predicted by EN 1993-1-8 [1].

483 Finally, the proposed expressions for ultimate resistance predictions of bolted T-stubs made of
484 carbon steel by Tartaglia et al. [48] which take into account the effect of membrane actions,
485 were confirmed against the available test data for austenitic and duplex stainless steel bolted
486 T-stubs [20, 33] and numerical parametric study results on ferritic stainless steel T-stubs. The
487 ultimate resistance predictions were obtained with a consistent accuracy for austenitic and
488 duplex stainless steel T-stubs which exhibited failure mode 1 and mode 2 by the proposed
489 formula. The mean value of predicted and experimental ultimate force is 0.97 with a standard
490 deviation of 0.11. Similarly, the proposed predictive model was shown to predict the ultimate

491 resistance of the ferritic stainless steel T-stubs with the overall ratio of predictive ultimate
492 forces and the parametric study results as 1.03 with a COV value of 0.20 which clearly shows
493 that the proposed expressions provide on average good ultimate force predictions for ferritic
494 stainless steel bolted T-stubs. The predictions were satisfactory in overall with a COV value of
495 0.20, yet it overpredicted the ultimate resistances of the T-stubs which exhibited failure mode
496 2 or very close to the failure mode 3, since originally, the developed equations were intended
497 to be used for T-stubs failing predominantly in mode 1.

498 **References**

- 499 [1] EN 1993-1-8. Eurocode 3: Design of steel structures – Part 1-8: Design of joints. CEN.
500 2005.
- 501 [2] Bursi OS, Jaspart JP, Benchmarks for finite element modelling of bolted steel connections,
502 *J. Constr. Steel Res.* 43 (1997) 17–42.
- 503 [3] Zajdel, M. _1997_. “Numerical analysis of bolted tee-stub connections.” *TNO-Rep. No. 97-*
504 *CON-R-1123*.
- 505 [4] Gebbeken, N., Wanzek, T., and Petersen, C. _1997_. “Semi-rigid connections, T-stub
506 model-Report on experimental investigations.” *Rep. No. 97/2*, Institut für Mechanik und Static,
507 Univ. des Bundeswehr München, Munich, Germany.
- 508 [5] Mistakids ES, Baniotopoulos CC, Bisbos CD, Panagiotopoulos PD, Steel T-stub
509 connections under static loading: an effective 2-D numerical model, *J. Constr. Steel Res.* 44
510 (1997) 51–67.
- 511 [6] Swanson JA, Kokan DS, Leon RT, Advanced finite element modelling of bolted T-stub
512 connection components, *J. Constr. Steel Res.* 58 (2002) 1015–1031.
- 513 [7] Gantes CJ, Lemonis ME, Influence of equivalent bolt length in finite element modelling of
514 T-stub steel connections, *Comput. Struct.* 81 (2003) 595–604.
- 515 [8] Coelho AMG, Silva LSD, Bijlaard FSK, Finite-element modelling of the nonlinear

516 behaviour of bolted T-stub connections, *J. Struct. Eng.* 132 (2006) 918–928.

517 [9] Coelho AMG, Silva LSD, Bijlaard FSK. Ductility analysis of bolted extended end plate
518 beam-to-column connections in the framework of the component method. *Steel Compos Struct*
519 2006;6:33–53. doi:10.12989/scs.2006.6.1.033.

520 [10] Herrera RA, Bravo M, Gómez G, Aedo G, Performance of built-up T-stubs for double T
521 moment connections, *J. Constr. Steel Res.* 88 (2013) 289–295.

522 [11] Hantouche EG, Kukreti AR, Rassati GA, Investigation of secondary prying in thick built-
523 up T-stub connections using nonlinear finite element modelling, *Eng. Struct.* 36 (2012) 113–
524 122.

525 [12] Hantouche EG, Kukreti AR, Rassati GA, Prying models for strength in thick-flange built-
526 up T-stubs with complete joint penetration and fillet welds, *J. Struct. Eng.* 141 (2014) 1–6.

527 [13] Abidelah A, Bouchair A, Kerdal DE, Influence of the flexural rigidity of the bolt on the
528 behaviour of the T-stub steel connection, *Eng. Struct.* 81 (2014) 181–194.

529 [14] Francavilla AB, Latour M, Piluso V, Rizzano G, Simplified finite element analysis of
530 bolted T-stub connection components, *Eng. Struct.* 100 (2015) 656–664.

531 [15] Cenicerros JF, Garcia AS, Torres FA, Pison FJMDA, numerical-informational approach
532 for characterising the ductile behaviour of the T-stub component. Part 1: refined finite element
533 model and test validation, *Eng. Struct.* 82 (2015) 236–248.

534 [16] Cenicerros JF, Garcia AS, Torres FA, Pison FJMDA, numerical-informational approach
535 for characterising the ductile behaviour of the T-stub component. Part 2: parsimonious soft-
536 computing-based metamodel, *Eng. Struct.* 82 (2015) 249–260.

537 [17] Kon Z, Kim S-E. Numerical estimation for initial stiffness and ultimate moment of T-stub
538 connections. *Journal of Constructional Steel Research* 2018;141:118–31.
539 <https://doi.org/10.1016/j.jcsr.2017.11.008>.

540 [18] Gödrich L, Wald F, Kabeláč J, Kuřiková M. Design finite element model of a bolted T-

541 stub connection component. *Journal of Constructional Steel Research* 2019;157:198–206.
542 <https://doi.org/10.1016/j.jcsr.2019.02.031>.

543 [19] Bouchair A, Averseng J, Abidelah A. Analysis of the behaviour of stainless steel bolted
544 connections. *J Constr Steel Res* 2008;64:1264–74. doi:10.1016/j.jcsr.2008.07.009.

545 [20] Yuan HX, Hu S, Du XX, Yang L, Cheng XY, Theofanous M. Experimental behaviour of
546 stainless steel bolted T-stub connections under monotonic loading. *J Constr Steel Res*
547 2019;152:213–24.

548 [21] Elflah M, Theofanous M, Dirar S, Yuan HX. Behaviour of stainless steel beam-to-column
549 joints—Part 1: Experimental investigation. *J Constr Steel Res* 2019;152:183–93.

550 [22] Elflah M, Theofanous M, Dirar S. Behaviour of stainless steel beam-to-column joints—
551 Part 2: Numerical modelling parametric study. *J Constr Steel Res* 2019;152:194–212.

552 [23] Elflah M, Theofanous M, Dirar S, Yuan HX. Structural behaviour of stainless steel beam-
553 to-tubular column joints. *Engineering Structures* 184: 158-175.

554 [24] EN 1993-1-4:2006+A1:2015, Eurocode 3: Design of Steel Structures—Part 1.4: General
555 Rules—Supplementary Rules for Stainless Steels, CEN. 2015.

556 [25] Wang, J., Uy, B. and Li, D. (2019), “Behaviour of large fabricated stainless steel beam-
557 to-tubular column joints with extended endplates”, *Steel Compos. Struct., Int. J.*, 32(1), 141-
558 156. <https://doi.org/10.12989/scs.2019.32.1.141>

559 [26] Bu, Y., Wang, Y. and Zhao, Y. (2019) Study of stainless steel bolted extended end-plate
560 joints under seismic loading. *Thin-Walled Structures*, 144: 106255.
561 doi:10.1016/j.tws.2019.106255.

562 [27] Song, Y. & Uy, B. and Wang, J. (2019). Numerical analysis of stainless steel-concrete
563 composite beam-to-column joints with bolted flush endplates. *Steel and Composite Structures*.
564 33. 975-994. 10.12989/scs.2019.33.1.975.

565 [28] Gao, J. D., Yuan, H. X., Du, X. X., Hu, X. B. & Theofanous, M. Structural behaviour of

566 stainless steel double extended end-plate beam-to-column joints under monotonic loading.
567 Thin-Walled Structures 151, 106743 (2020), doi: 10.1016/j.tws.2020.106743.

568 [29] Gao JD, Du XX, Yuan HX, Theofanous M. Hysteretic performance of stainless steel
569 double extended end-plate beam-to-column joints subject to cyclic loading. Thin-Walled
570 Structures 2021;164:107787. <https://doi.org/10.1016/j.tws.2021.107787>.

571 [30] Yapici O, Theofanous M, Dirar S, Yuan H. Behaviour of Ferritic Stainless Steel Bolted
572 T-stubs Under Tension-Part 1: Experimental Investigations. Ce/Papers 2021;4:866–75.
573 <https://doi.org/10.1002/cepa.1372>.

574 [31] Yapici O, Theofanous M, Dirar S, Yuan H. Behaviour of Ferritic Stainless Steel Bolted
575 T-stubs Under Tension-Part 2: Numerical Investigations. Ce/Papers 2021;4:876–85.
576 <https://doi.org/10.1002/cepa.1373>.

577 [32] Yapici O, Theofanous M, Afshan S, Yuan H, Dirar S. Numerical modelling of stainless
578 steel bolted T-stubs in tension. Thin-Walled Structures 2022;177:109432.
579 <https://doi.org/10.1016/j.tws.2022.109432>.

580 [33] Yuan HX, Gao JD, Theofanous M, Yang L, Schafer BW. Initial stiffness and plastic
581 resistance of bolted stainless steel T-stubs in tension. Journal of Constructional Steel Research
582 2020;173:106239. <https://doi.org/10.1016/j.jcsr.2020.106239>.

583 [34] Yuan HX, Liu XH, Liu JL, Theofanous M. Cyclic behaviour and hysteretic model of
584 austenitic stainless steel bolted T-stubs. Journal of Constructional Steel Research
585 2021;182:106659. <https://doi.org/10.1016/j.jcsr.2021.106659>

586 [35] Yapici O, Theofanous M, Yuan H, Skalomenos K, Dirar S. Experimental study of ferritic
587 stainless steel bolted T-stubs under monotonic loading. Journal of Constructional Steel
588 Research 2021;183:106761. <https://doi.org/10.1016/j.jcsr.2021.106761>.

589 [36] Hibbitt H, Karlsson B, Sorensen P, ABAQUS Analysis User's Manual Version 6.10,
590 Dassault Systèmes Simulia Corp.: Providence, RI, USA, 2011.

- 591 [37] Wang, Z., Tizani, W. and Wang, Q. (2010) Strength and initial stiffness of a blind-bolt
592 connection based on the T-stub model. *Engineering structures*, 32: (9): 2505-2517.
- 593 [38] Liu, Y., Malaga-Chuquitaype, C. and Elghazouli, A.Y. (2012b) Response and component
594 characterisation of semi-rigid connections to tubular columns under axial loads. *Engineering*
595 *structures*, 41: 510-532.
- 596 [39] Massimo, L., Gianvittorio, R., Aldina, S., et al. (2014) Experimental analysis and
597 mechanical modeling of T-stubs with four bolts per row. *Journal of Constructional Steel*
598 *Research*, 101: 158-174.
- 599 [40] De Matteis G, Mandara A, Mazzolani FM. T-stub aluminium joints: influence of
600 behavioural parameters. *Comput Struct* 2000;78(1–3):311–27.
- 601 [41] Wang, Z.-Y. and Wang, Q.-Y. (2016) Yield and ultimate strengths determination of a
602 blind bolted endplate connection to square hollow section column. *Engineering Structures*,
603 111: 345-369.
- 604 [42] Quach, W., Teng, J.G. and Chung, K. (2008) Three-stage full-range stress-strain model
605 for stainless steels. *Journal of structural engineering*, 134: (9): 1518-1527.
- 606 [43] Becque, J, Oyawoye, A, Guadagnini, M, Huang, S. Notched Strip Tensile Tests to
607 Determine Yield Characteristics of Stainless Steel. *Journal of Engineering Mechanics*
608 2014;140:04013007.
- 609 [44] Hill, R. (1953). “A new method for determining the yield criterion and plastic potential of
610 ductile metals.” *J. Mech. Phys. Solids*, 1(4), 271–276.
- 611 [45] Salih, E.L., Gardner, L. and Nethercot, D.A. (2010) Numerical investigation of net section
612 failure in stainless steel bolted connections. *Journal of Constructional Steel Research*, 66: (12):
613 1455-1466.
- 614 [46] Pavlović M, Marković Z, Veljković M, Buđevac D. Bolted shear connectors vs. headed
615 studs behaviour in push-out tests. *Journal of Constructional Steel Research* 2013;88:134–49.

616 <https://doi.org/10.1016/j.jcsr.2013.05.003>.

617 [47] Yapici O (2021). Ultimate response of stainless steel bolted connections, The University
618 of Birmingham, PhD dissertation. <http://etheses.bham.ac.uk/id/eprint/11892>

619 [48] Tartaglia R, D’Aniello M, Zimbru M. Experimental and numerical study on the T-Stub
620 behaviour with preloaded bolts under large deformations. *Structures* 2020;27:2137–55.

621 <https://doi.org/10.1016/j.istruc.2020.08.039>.